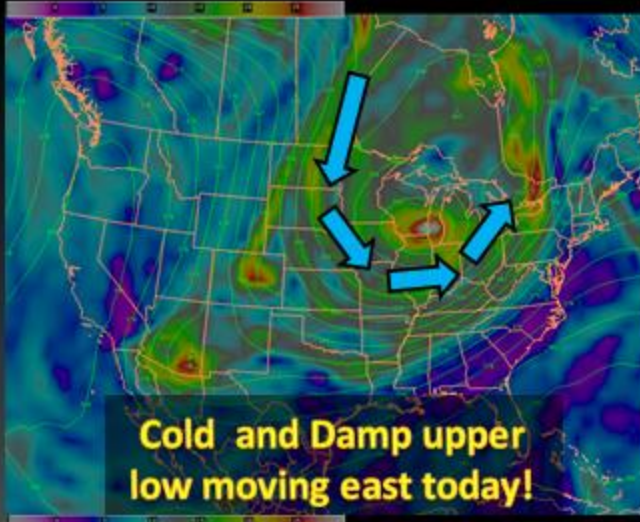


# Warm weather's a comin'!



## Highlights

- Low pressure departing today with rain chances diminishing through the day
- Highs in the 50s and 60s Friday
- Temperatures seasonal this weekend.
- Much warmer next week

## Social Media



<https://www.facebook.com/US.NationalWeatherService.DesMoines.gov>



<https://www.twitter.com/NWSDesMoines>  
OR  
[@NWSDesMoines](#) or [#iawx](#) or [#nwsdmx](#)



May 1, 2014  
National Weather Service  
Des Moines, Iowa



# Performance Dependence on Closure Constants of the MYNN PBL Scheme for Wind Ramp Events in a Stable Boundary Layer

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# Definition of Wind Ramp

Change in power > 50% wind power capacity within 1-2 hours (depending on respondent)

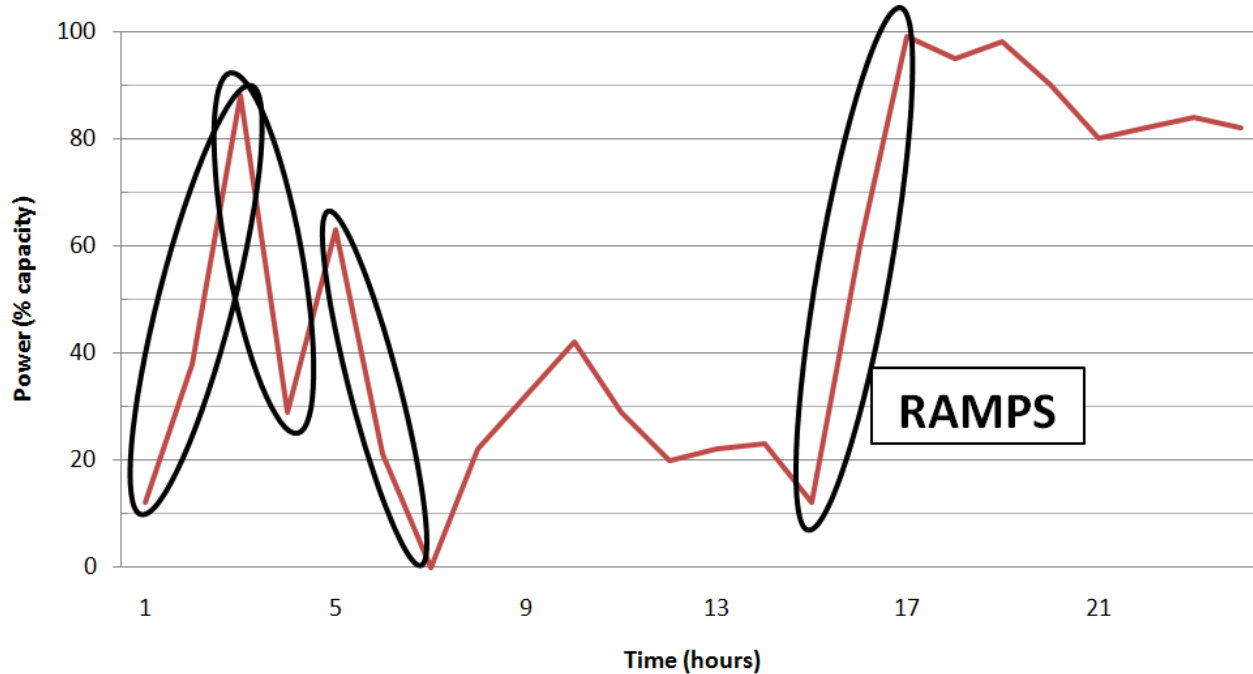


Figure taken from  
Ferreira et al. (2010)

# Definition of Wind Ramp

- For 1.5MW turbine, a wind ramp translates to a change in wind 3 m/s over 1-4 hrs.
- In this study, used change of  $\geq 3$  m/s in  $\leq 1$  hr.

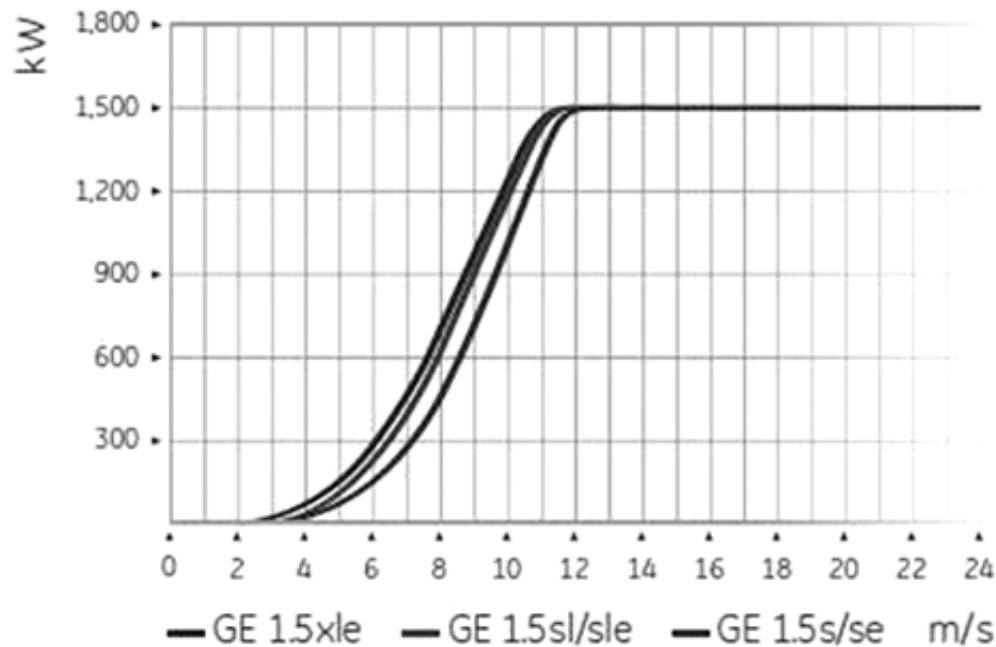


Figure taken from  
Deppe , Gallus &  
Takle (2013)

# Causes of Wind Ramps

## **Fronts**

- Mesoscale models do well in identifying fronts, although timing can be an issue

## **Storm outflow**

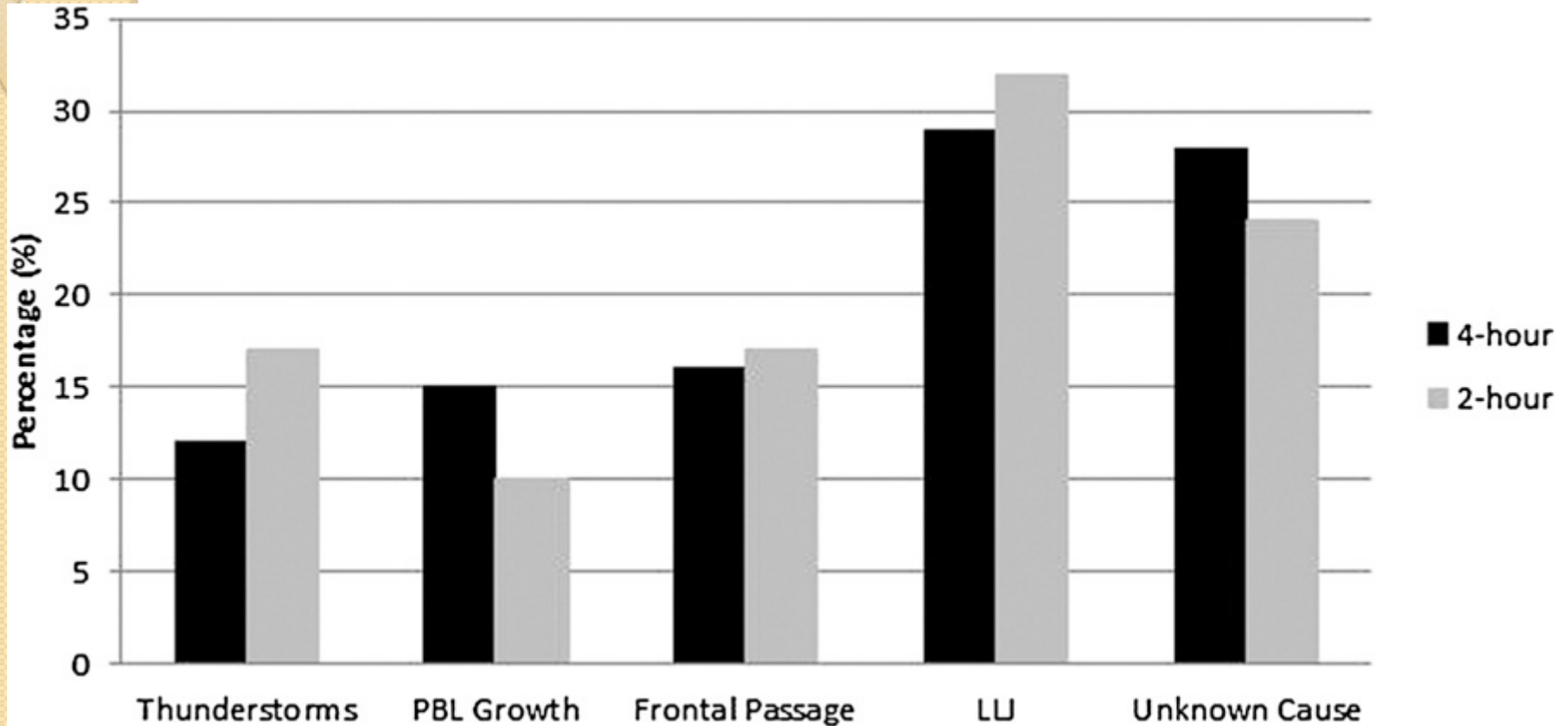
- Storm initiation is an issue and can be of various scales (local or regional)
- Strength of storm downdraft determines strength of storm outflow (related to microphysics)

## **Nocturnal low-level jet (LLJ)**

- Develops as layer just above BL is decoupled from surface friction effects and winds increase (inertial oscillation)

**Ramp events can be caused by various weather situations, each with its own forecast issues.**

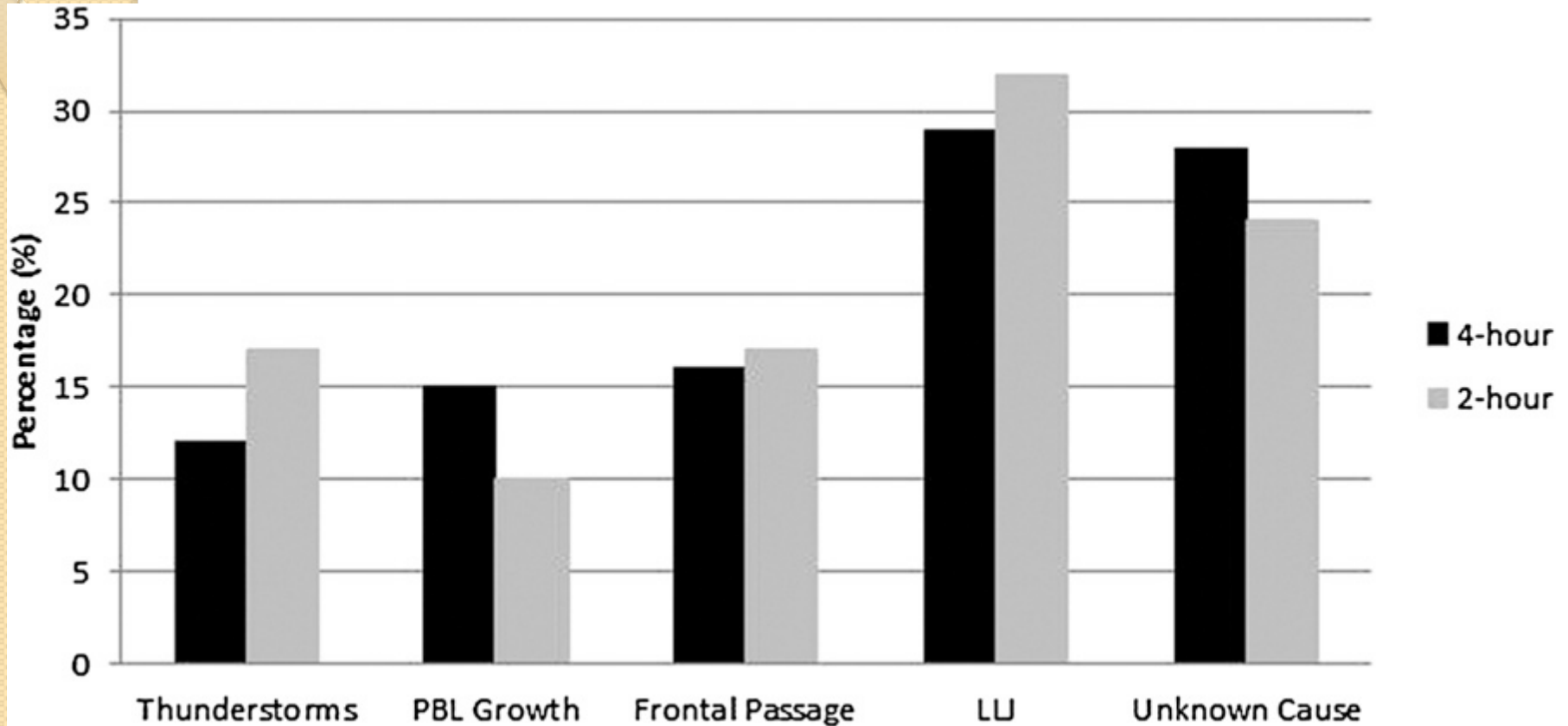
# Causes of wind ramps



Based on 58 wind ramp cases between 06/08-06/09

Figure taken from  
Deppe , Gallus &  
Takle (2013)

# Causes of wind ramps



Based on 58 wind ramp cases between 06/08-06/09

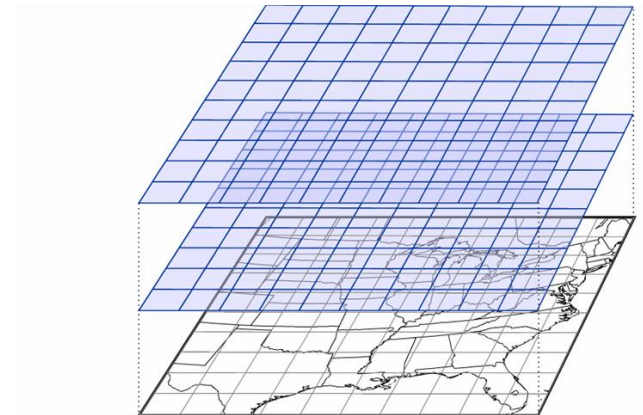
**With work contributed also by Aaron Rosenberg!!**

Figure taken from  
Deppe, Gallus &  
Takle (2013)



# Wind Forecasting using Numerical Weather Prediction (NWP)

- Mesoscale weather models often predict the height of the LLJ too high and the magnitude too low
- Overwhelming consensus in research community is a need to improve BL schemes (effect of subgrid features such as turbulence)





# Accuracy of Wind Ramp NWP Forecasts

- Study by Deppe, Gallus, Takle (2013)
  - Evaluated 6 different PBL schemes
    - Local mixing scheme (MYJ, MYNN)
    - Non-local mixing scheme (YSU)
  - General results
    - Non-local mixing scheme performed best for 80m height wind forecasts
    - Local mixing scheme performed best for wind ramp forecasting

# Limitations of research to date

- Bulk of research has involved the **evaluation** of existing PBL schemes and **not modification** to the model itself
- PBL schemes have been developed as a “**one size fits all**” approach
- PBL schemes have, for the most part, been **tuned for neutral cases** (i.e., not directly for the SBL)

# Limitations of research to date

- Bulk of research has involved the evaluation of existing PBL schemes and not modification to the model itself
- PBL schemes have been developed as a “one size fits all” approach
- PBL schemes have, for the most part, been tuned for neutral cases (i.e., not directly for the SBL)

## → Leaves room for unique research in improving PBL schemes:

- Digging into the scheme to seek means for improvement
- Specifically for the stable boundary layer (SBL) and wind ramp events



# MYNN Scheme: Prognostic Eq. for Turbulence Momentum Flux

Time-tendency

$$\frac{D\overline{u_i u_j}}{Dt}$$

=

Energy redistribution

$$p\left(\frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i}\right)$$

+

Dissipation

$$\nu \overline{\frac{\partial u_i}{\partial x_k} \frac{\partial u_j}{\partial x_k}}$$

+

Buoyancy term

$$\overline{g u_j \theta}$$

+

Diffusion

$$\overline{u_i u_j u_k}$$

+

Shear production

$$\overline{u_k u_i} \frac{\partial \overline{U_j}}{\partial x_k}$$

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# Closure Equation: Dissipation

$$-\nu \overline{\frac{\partial u_i}{\partial x_k} \frac{\partial u_j}{\partial x_k}} = \frac{1}{B_1} - \frac{q^3}{3L} \delta_{ij}$$

$$q = [u^2 + v^2 + w^2]^{\frac{1}{2}}$$

# Closure Equation: Dissipation

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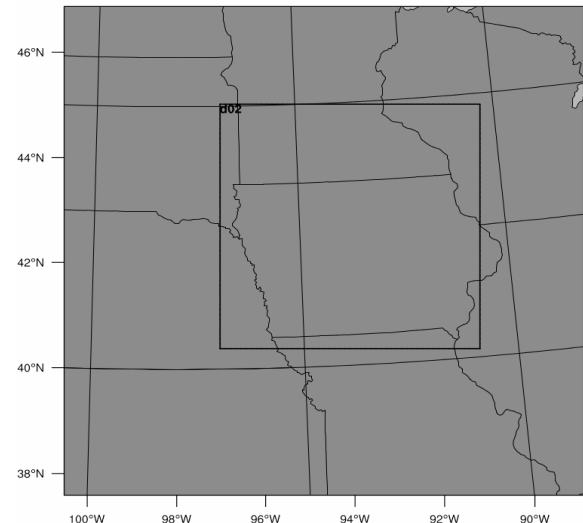
$$B1_{MYNN} = 24.0 \quad X [0.2, 0.5, 2.0, 5.0]$$



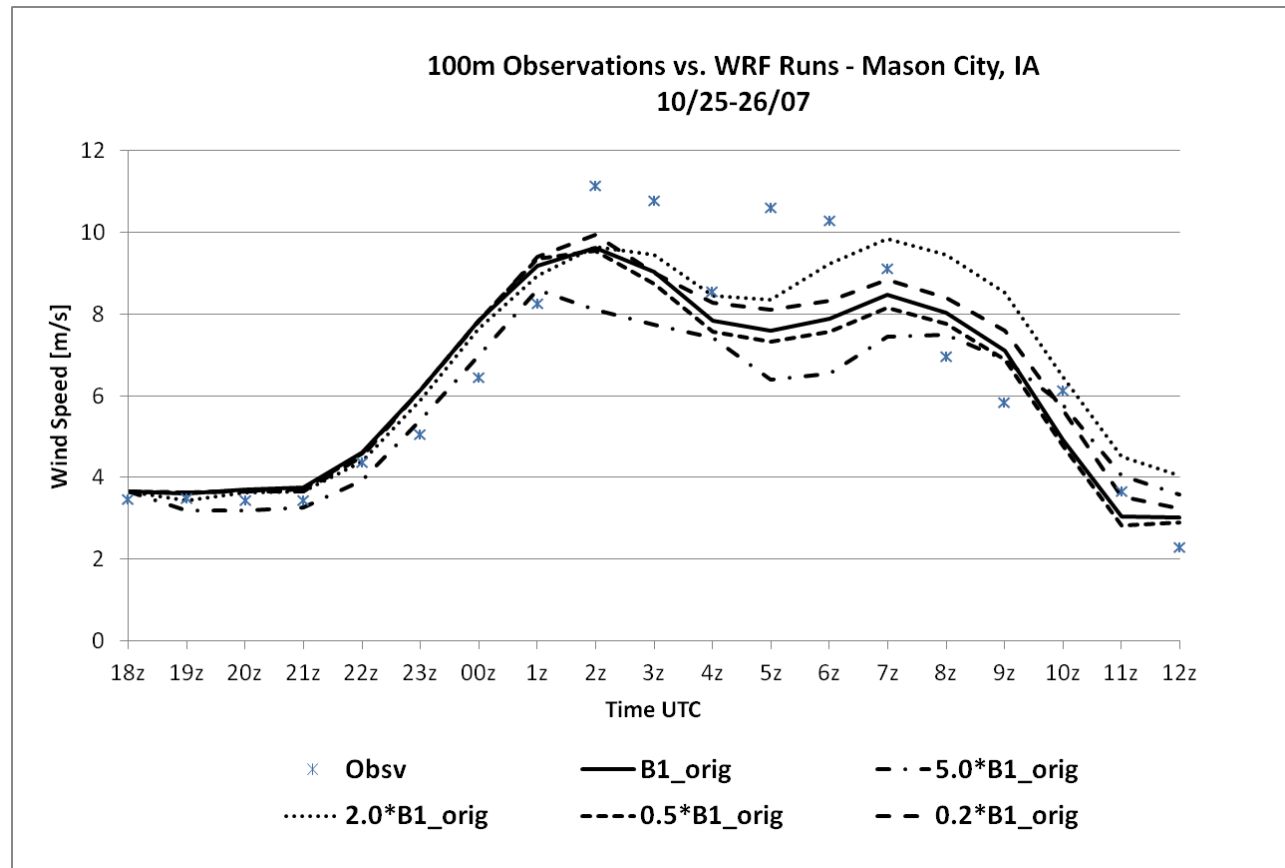
# Model Simulations

## Weather Research and Forecast (WRF) Model

- Model set-up
  - Initialized model using the North America Region Reanalysis (32-km horiz. resolution, 25mb vertical resolution) acquired from the NOAA National Climate Data Center (NCDC)
  - Nested forecast domains at 10-km and 3.33km grid resolution centered of Mason City, IA
  - Vert. resolution 10 pts. below 250m
  - Used MYNN PBL scheme
  - 18-hr. forecasts initialized at 18Z



# Dissipation Term Sensitivity Tests



# Next Step

- Current Work
  - Determine closure constant values for the SBL using LES-produced data for select LLJ cases

$$\frac{\partial q^2}{\partial t} = -\frac{\partial}{\partial z} (\overline{wq} + 2\overline{wp}/\rho) - 2(\overline{uw} \frac{\partial U}{\partial z} + \overline{vw} \frac{\partial V}{\partial z}) + 2 \frac{g}{\Theta_o} \overline{w\theta} - 2\epsilon$$

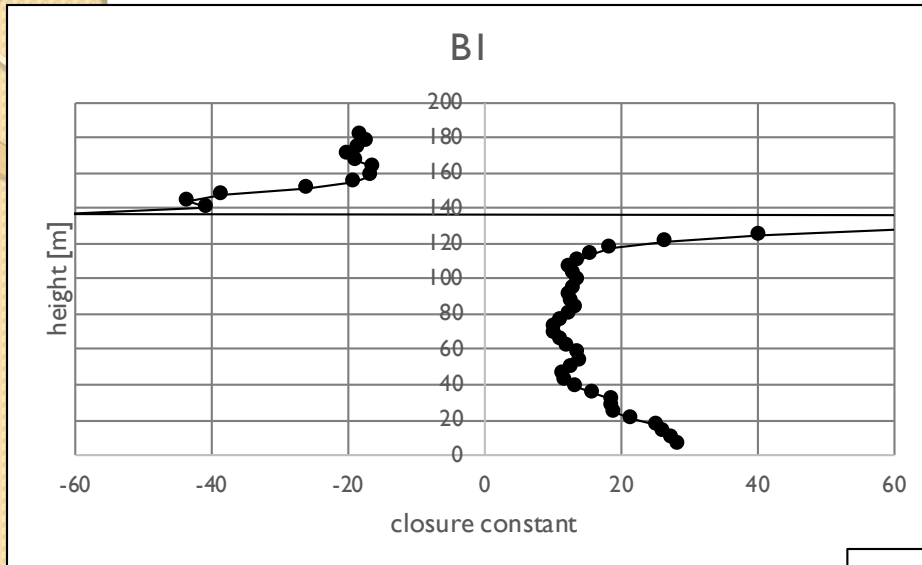
$$\epsilon = -\frac{q^3}{B_1 L}$$

$$B_1 = \frac{q^3}{L} \left[ -\overline{uw} \frac{\partial U}{\partial z} + \frac{g}{\Theta_o} \overline{w\theta} \right]^{-1}$$

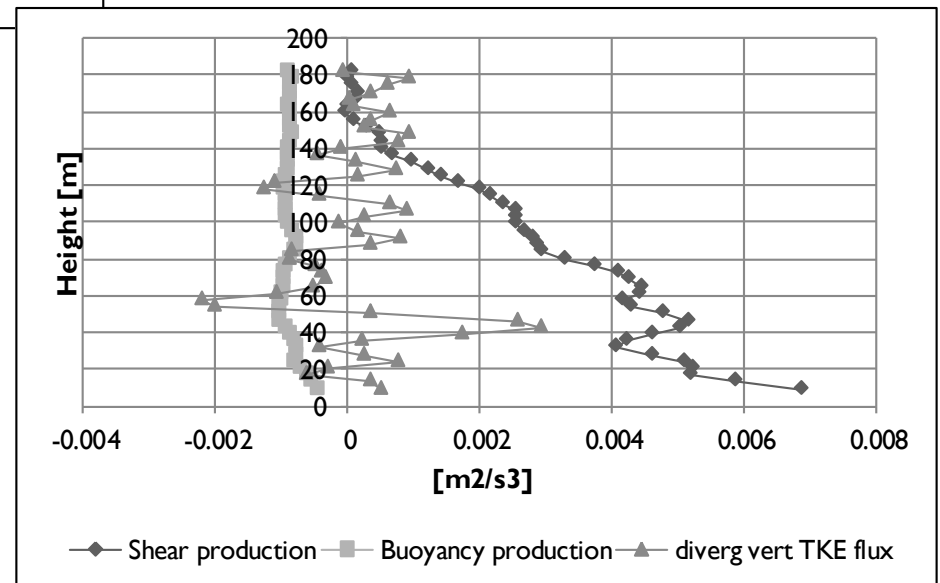
# LES Simulation of a LLJ case

- WRF-LES model
  - 4m grid resolution (dx, dy, dz)
  - Domain 400m x 400m x 1300m
  - Initialized using a vertical profile of wind velocity and pot. temp. extracted from mesoscale WRF forecast
  - Horizontally homogeneous

# Calculate Closure Constants

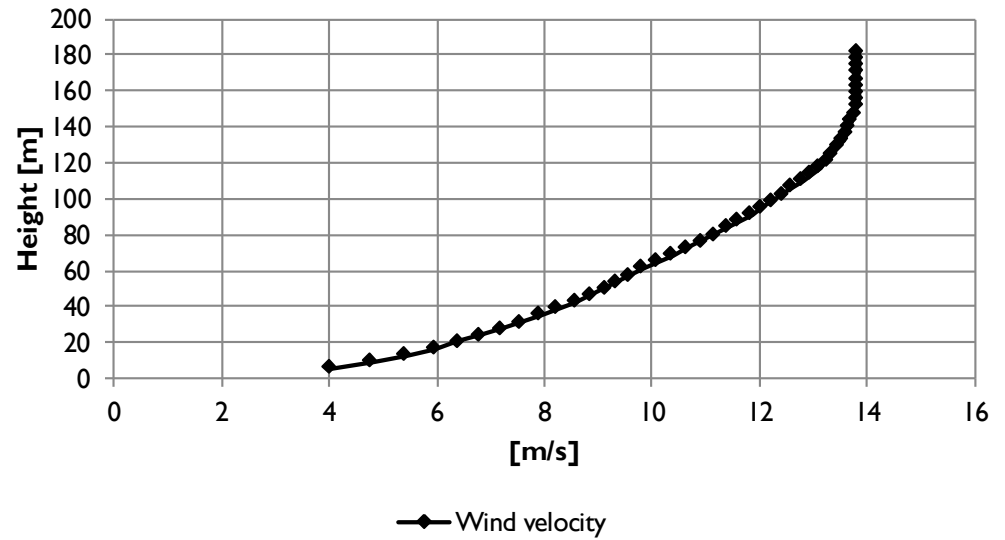


$$B1 = \frac{q^3}{L} \left[ -\overline{uw} \frac{\partial U}{\partial z} + \frac{g}{\Theta_o} \overline{w\theta} \right]^{-1}$$

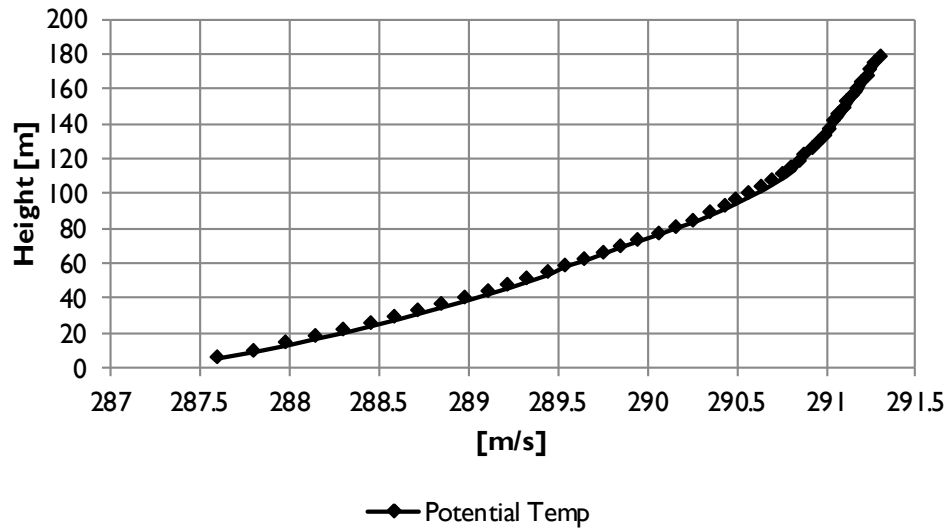


# Base State

## Wind velocity



## Potential Temp



# MYNN Scheme: Prognostic Eq. for Turbulence Momentum Flux

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$$\frac{D\overline{u_i u_j}}{Dt}$$

=

Energy redistribution

$$p\left(\frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i}\right)$$

+

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$$\nu \overline{\frac{\partial u_i}{\partial x_k} \frac{\partial u_j}{\partial x_k}}$$

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$$\overline{u_i u_j u_k}$$

+

Shear production

$$\overline{u_k u_i} \frac{\partial \overline{U_j}}{\partial x_k}$$



# Closure Equation: Energy Redistribution

$$\begin{aligned}
 & \overline{p \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right)} = \frac{1}{A_1} \overline{-\frac{q}{3L} u_i u_j} \\
 & + C_1 \overline{q^2 \left( \frac{\partial \overline{U}_i}{\partial x_j} \right)} + C_2 \overline{\frac{g}{\Theta_o} u_i \theta} \\
 & + C_4 \overline{u_i u_k \frac{\partial \overline{U}_j}{\partial x_k}} \quad q^2 = \overline{u_i^2}
 \end{aligned}$$

(Adapted from Mellor 1973, Mellor & Yamada 1974, 1982, Nakanishi 2001)

# Closure Equation: Energy Redistribution

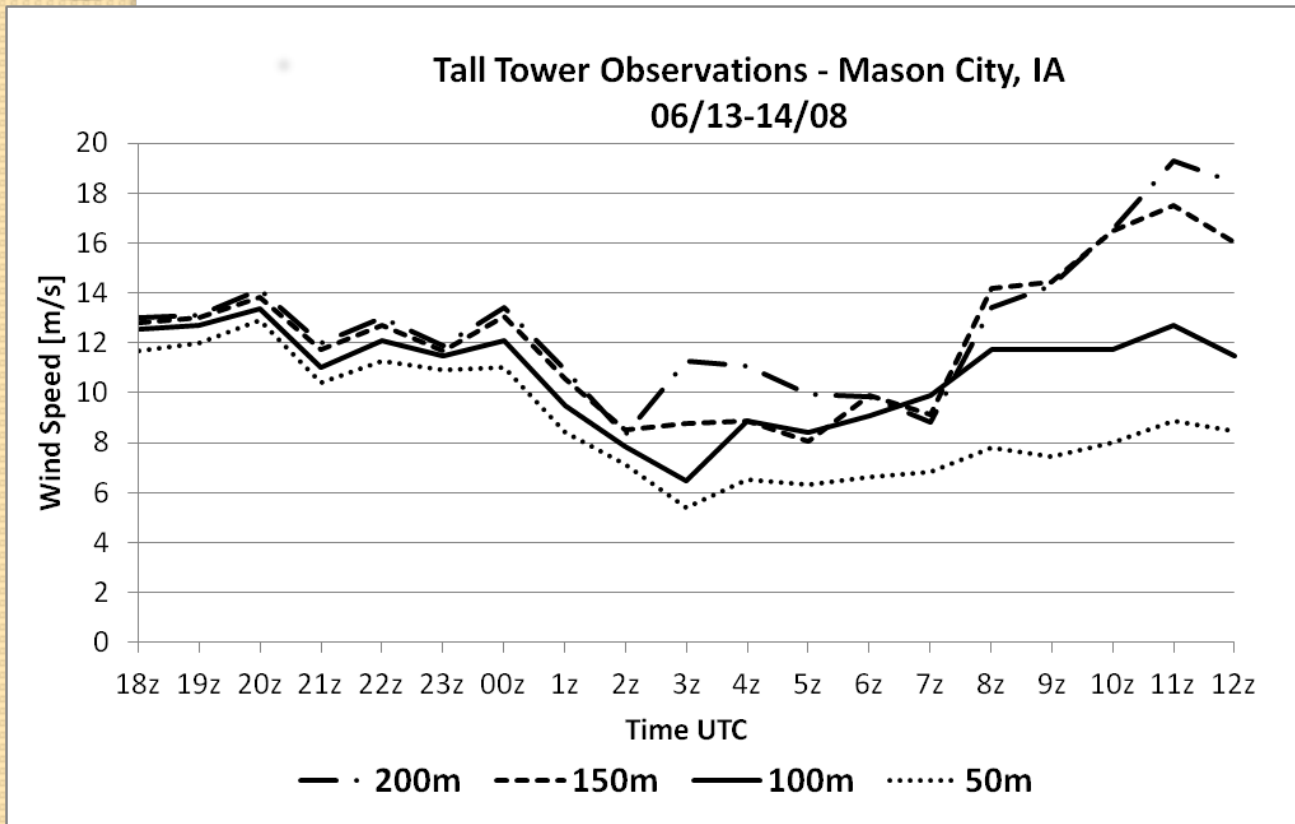
$$\begin{aligned}
 & \overline{p \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right)} = \frac{1}{A_1} \left[ -\frac{q}{3L} \overline{u_i u_j} \right] \\
 & + C_1 \left[ \text{TKE-Mean shear term } q^2 \left( \frac{\partial \overline{U}_i}{\partial x_j} \right) \right] + C_2 \left[ \text{Buoyancy term } \frac{g}{\Theta_o} \overline{u_i \theta} \right] \\
 & + C_4 \left[ \text{Covariance-Mean shear term } \overline{u_i u_k} \frac{\partial \overline{U}_j}{\partial x_k} \right] \quad \text{OFF}
 \end{aligned}$$

$q^2 = \overline{u_i^2}$

(Adapted from Mellor 1973, Mellor & Yamada 1974, 1982, Nakanishi 2001)

# Select Wind Ramp Case

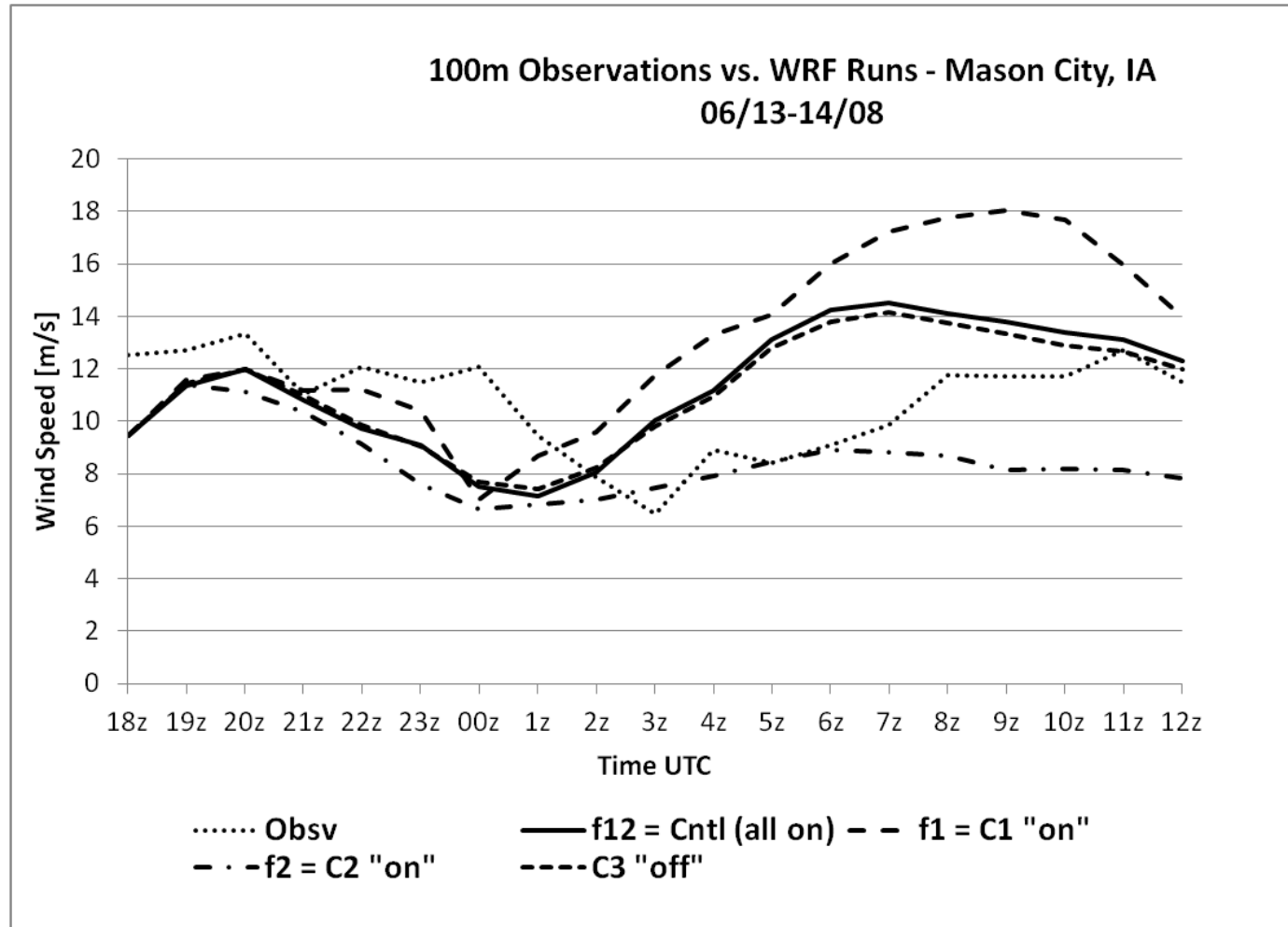
- Ramp event at Mason City, IA on 06/13/08



Data provided by Iowa Energy Center/ISU working with AWSTruepower (2007-08)



# Results



# Closure Equation: Energy Redistribution

$$\begin{aligned}
 & \overline{p \left( \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right)} = \frac{1}{A_1} \left[ -\frac{q}{3L} \overline{u_i u_j} \right] \\
 & + C_1 \left[ \text{TKE-Mean shear term } q^2 \left( \frac{\partial \overline{U}_i}{\partial x_j} \right) \right] + C_2 \left[ \text{Buoyancy term } \frac{g}{\Theta_o} \overline{u_i \theta} \right] \\
 & + C_4 \left[ \text{Covariance-Mean shear term } \overline{u_i u_k} \frac{\partial \overline{U}_j}{\partial x_k} \right] \quad \text{OFF}
 \end{aligned}$$

$q^2 = \overline{u_i^2}$

(Adapted from Mellor 1973, Mellor & Yamada 1974, 1982, Nakanishi 2001)

# Summary

- Sensitivity tests
  - Tests involving energy distribution reveal dominance of terms dependent on mean wind shear
  - Tests involving energy dissipation show a non-negligible sensitivity to variations in closure constants
- Define closure constants for LLJ cases in the the SBL(B1 and B2)
  - Values vary by height
  - Constant values may be appropriate over vertical depths of similar dynamic structure

# Future Work

- Sensitivity tests
  - Expand number of LLJ test cases (4 considered to date)
  - Consider remaining closure constants:  $A_1$ ,  $A_2$  (associated with energy redistribution term)
- Define closure constants for LLJ cases in the the SBL
  - Expand number of LES simulations of test cases (2 considered to date)
  - Calculate suite of closure constants ( $A_1, A_2, C_1-C_5$ )
- Comparison to observations



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# Discussion

# Mixing Length

$$\frac{1}{L} = \frac{1}{L_S} + \frac{1}{L_T} + \frac{1}{L_B}$$

$$L_S = \begin{cases} kz/3.7, & \zeta \geq 1 \\ kz(1 + 2.7\zeta)^{-1}, & 0 \leq \zeta < 1 \\ kz(1 - \alpha_4\zeta)^{0.2}, & \zeta < 0, \end{cases}$$

$$L_T = \alpha_1 \frac{\int_0^\infty qz dz}{\int_0^\infty q dz},$$

If MYNN has a non-local component, here it is.

$$L_B = \begin{cases} \alpha_2 q / N, & \partial\Theta/\partial z > 0 \text{ and } \zeta \geq 0 \\ [\alpha_2 q + \alpha_3 q (q_c / L_T N)^{1/2}] / N, & \partial\Theta/\partial z > 0 \text{ and } \zeta < 0 \\ \infty, & \partial\Theta/\partial z \leq 0, \end{cases}$$



# NOTES