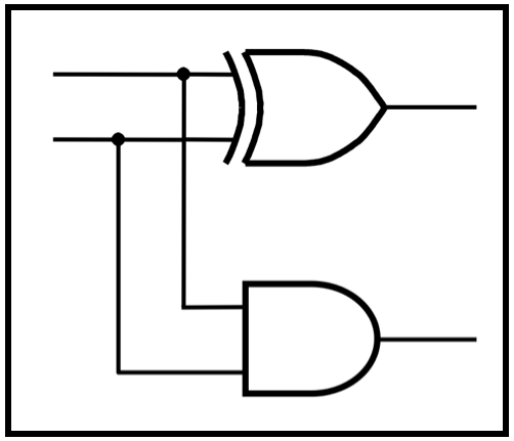


CprE 2810: Digital Logic

Instructor: Alexander Stoytchev

http://www.ece.iastate.edu/~alexs/classes/

Synchronous Sequential Circuits
Basic Design Steps

CprE 2810: Digital Logic
Iowa State University, Ames, IA

Administrative Stuff

- **Homework 10 is due on Monday Nov. 10 @ 10pm.**

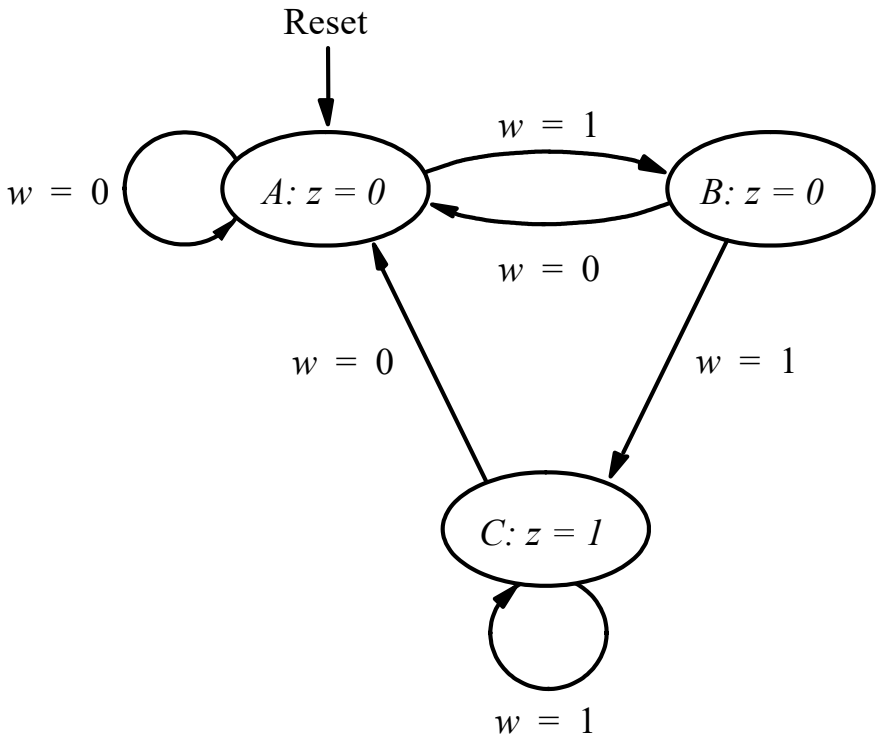
Administrative Stuff

- We are starting with Chapter 6 from the textbook

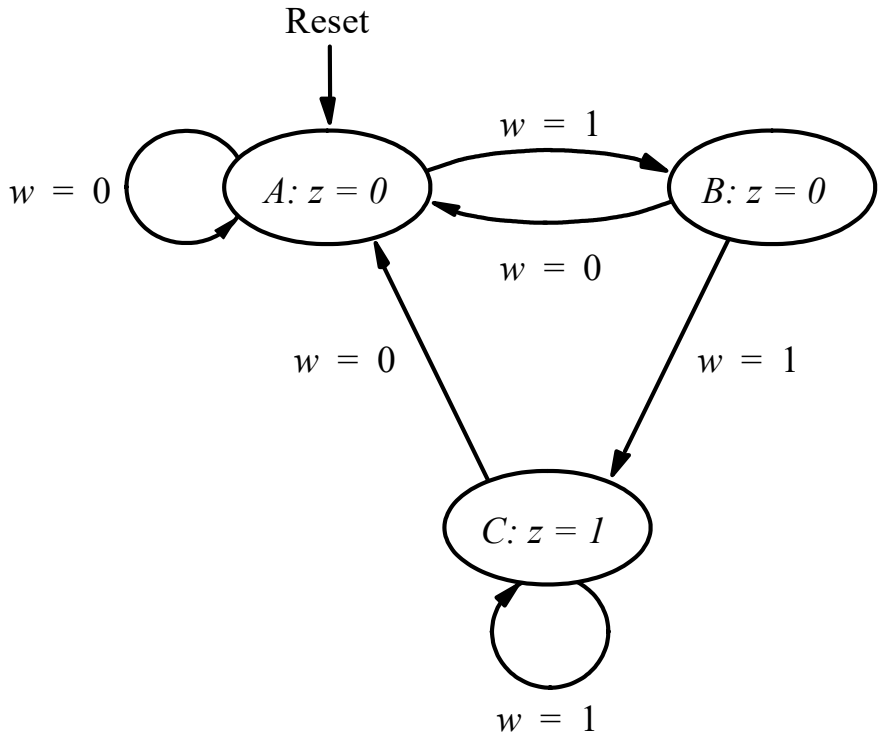
First Design Pattern: Moore Machines

Moore Machine:

A Type of Finite State Machine (FSM)

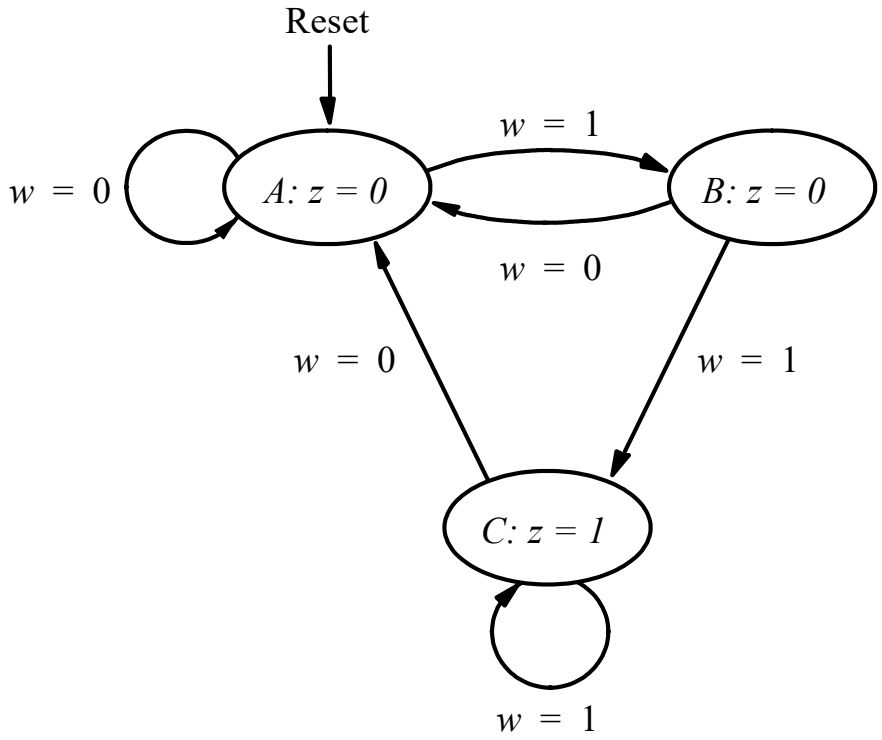


[Figure 6.3 from the textbook]



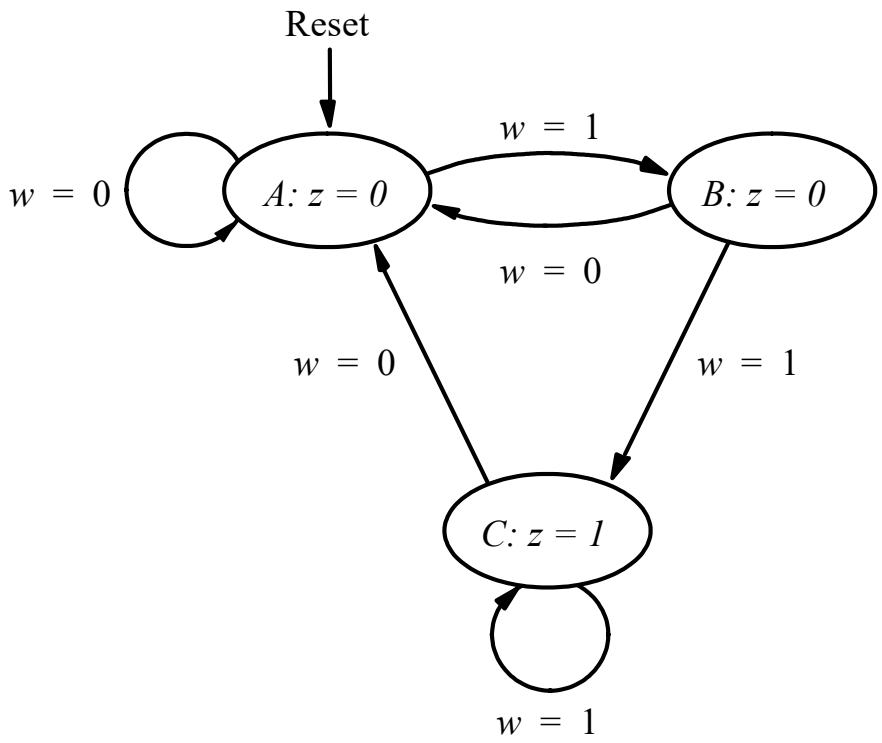
- Finite number of states (nodes).
- Discrete state transitions (edges).
- Only “in” one state at a time.
- One reset state
- Every state has an outgoing state transition for each possible input.

[Figure 6.3 from the textbook]



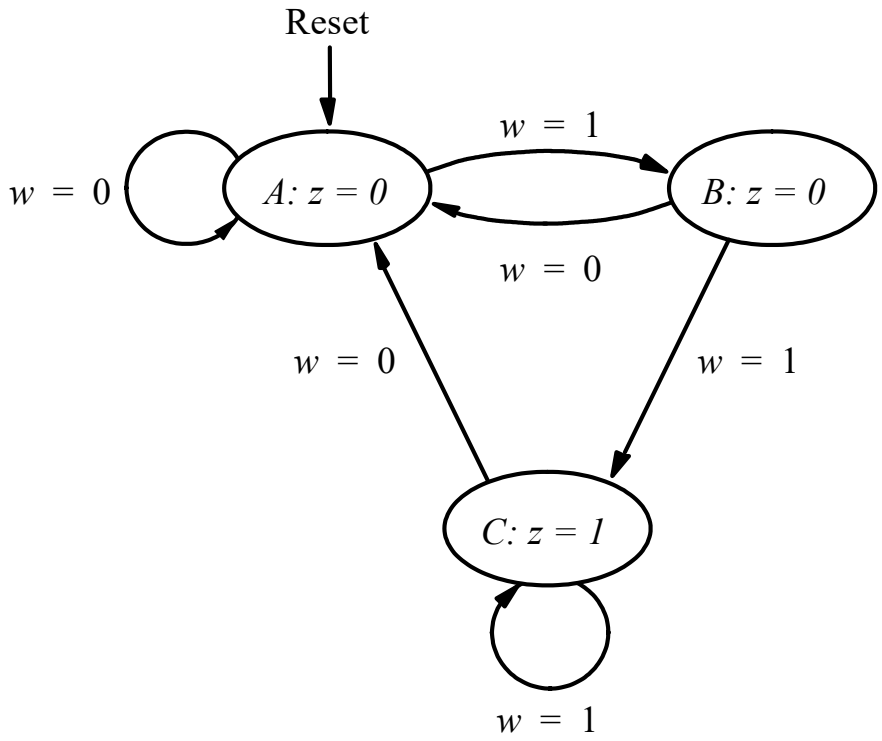
The next state depends on both
the current state and the current input.

[Figure 6.3 from the textbook]

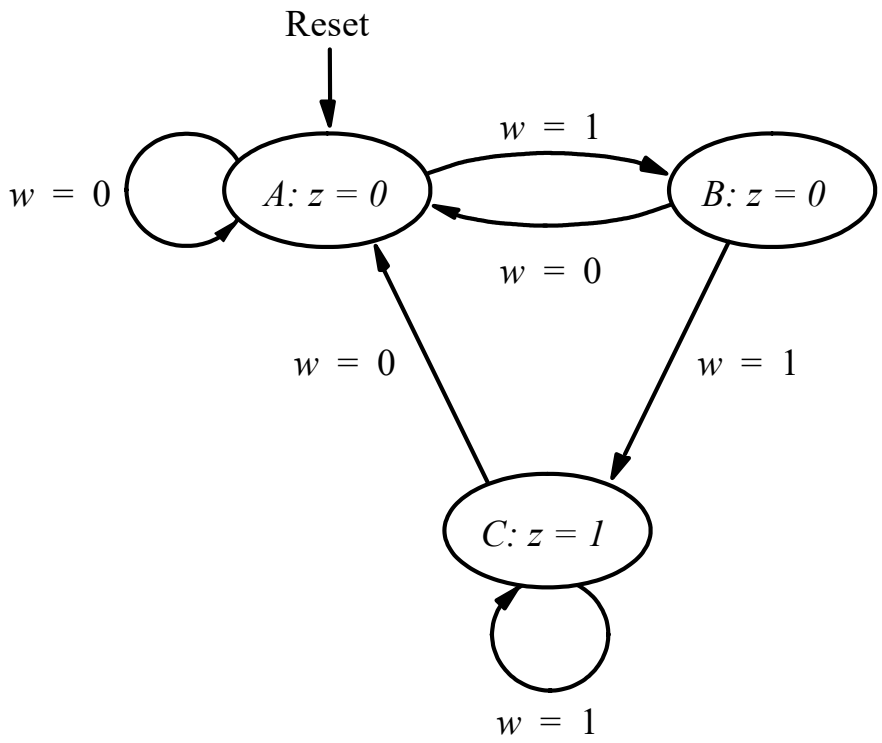


The output depends only on the current state.

[Figure 6.3 from the textbook]

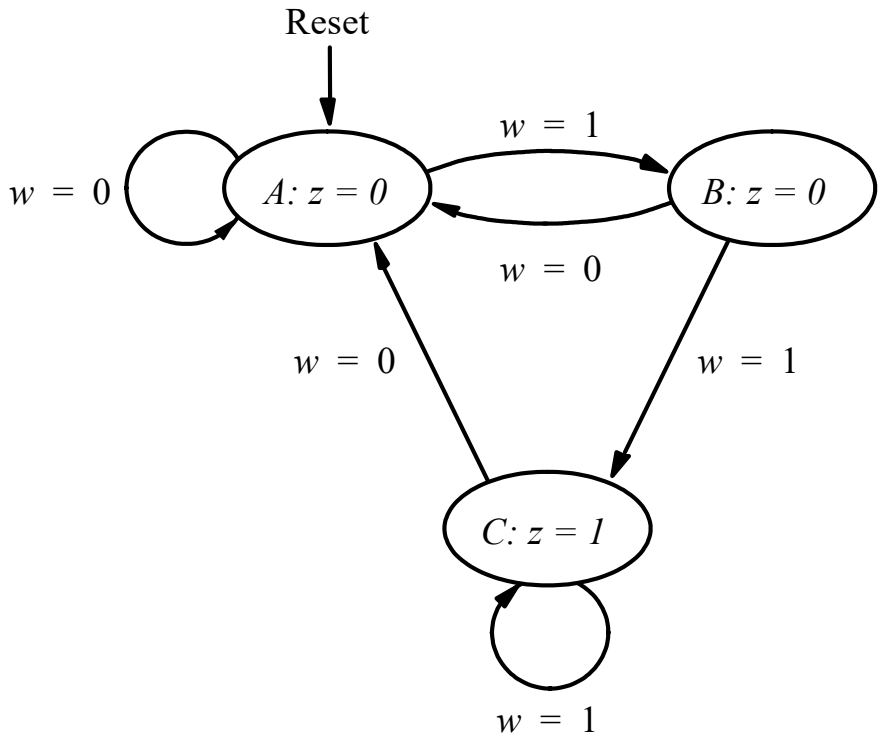


Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0

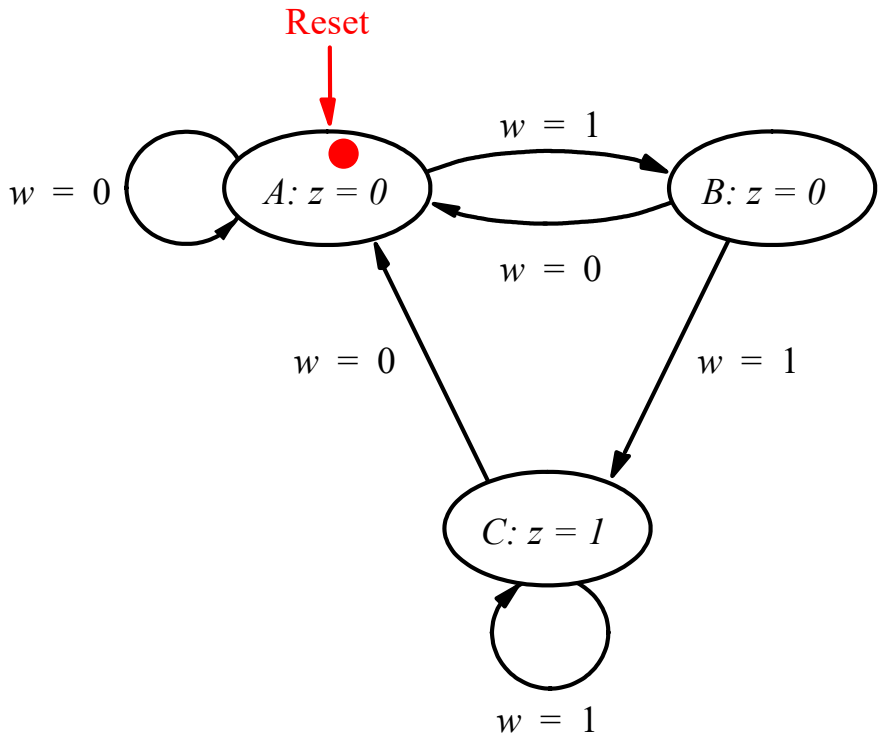


Clockcycle:		t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
input	w:	0	1	0	1	1	0	1	1	1	0	1
output	z:	0	0	0	0	0	1	0	0	1	1	0

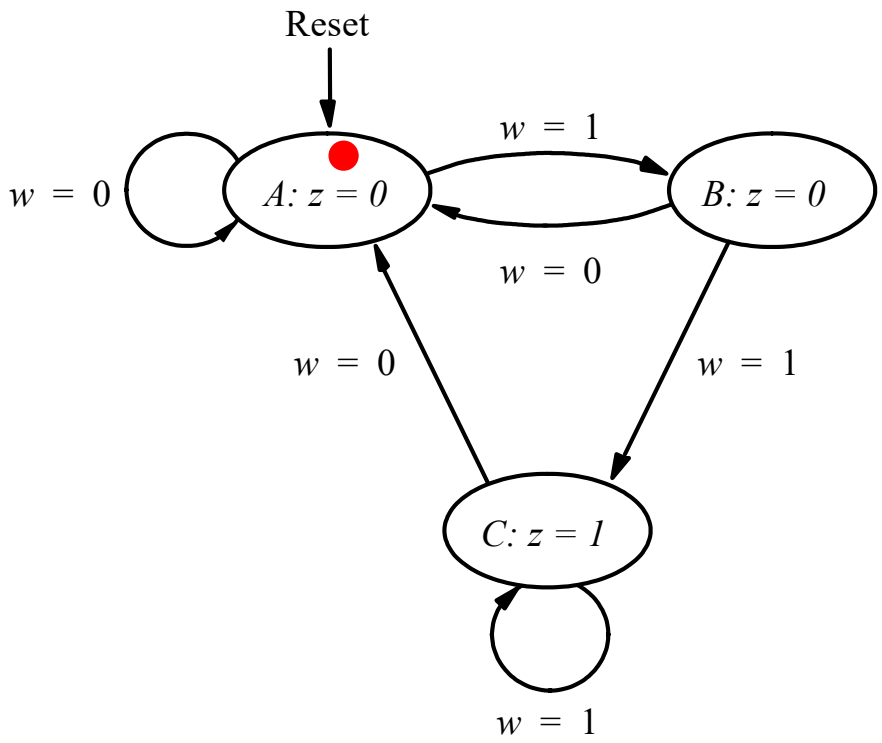
Let’s do a simulation



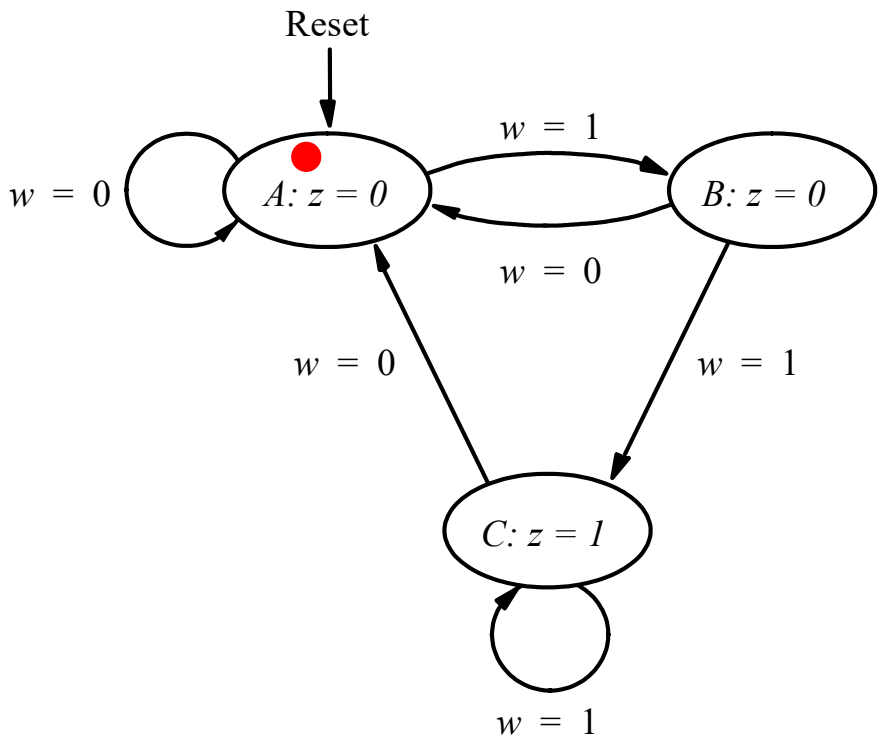
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



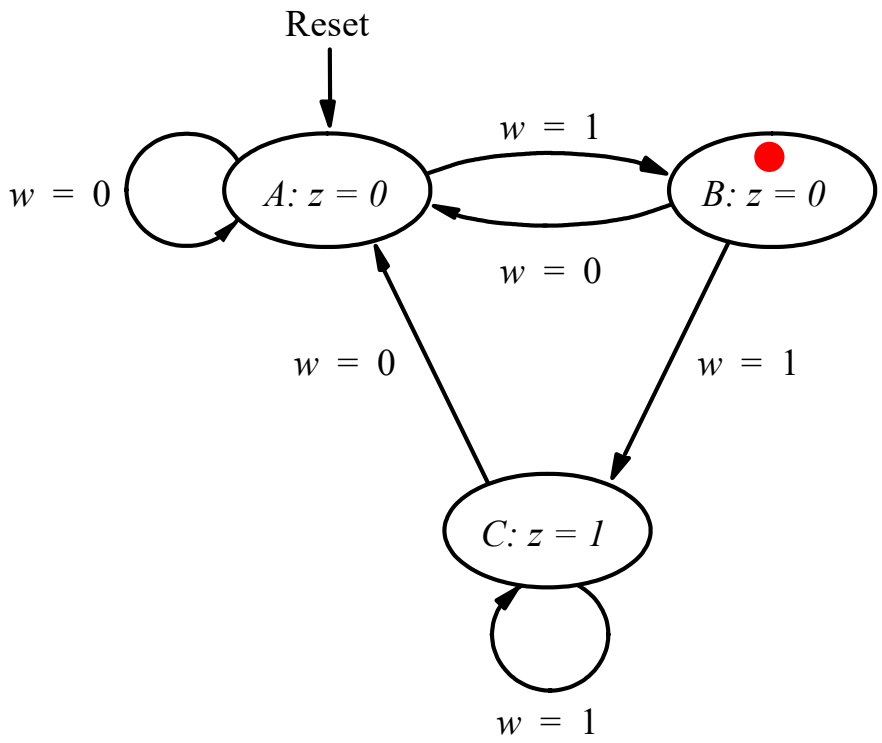
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



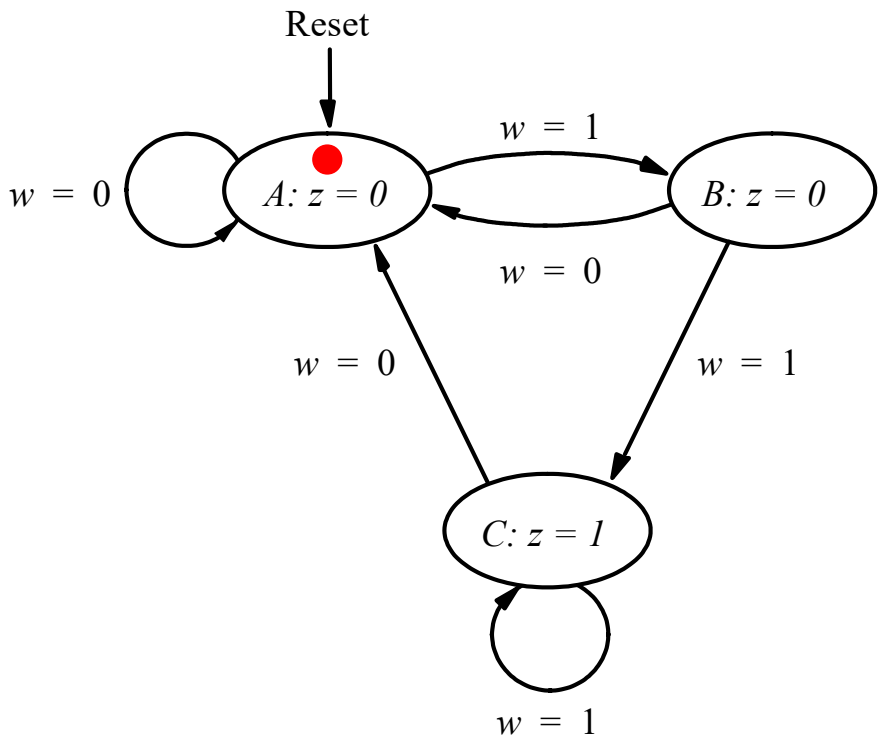
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



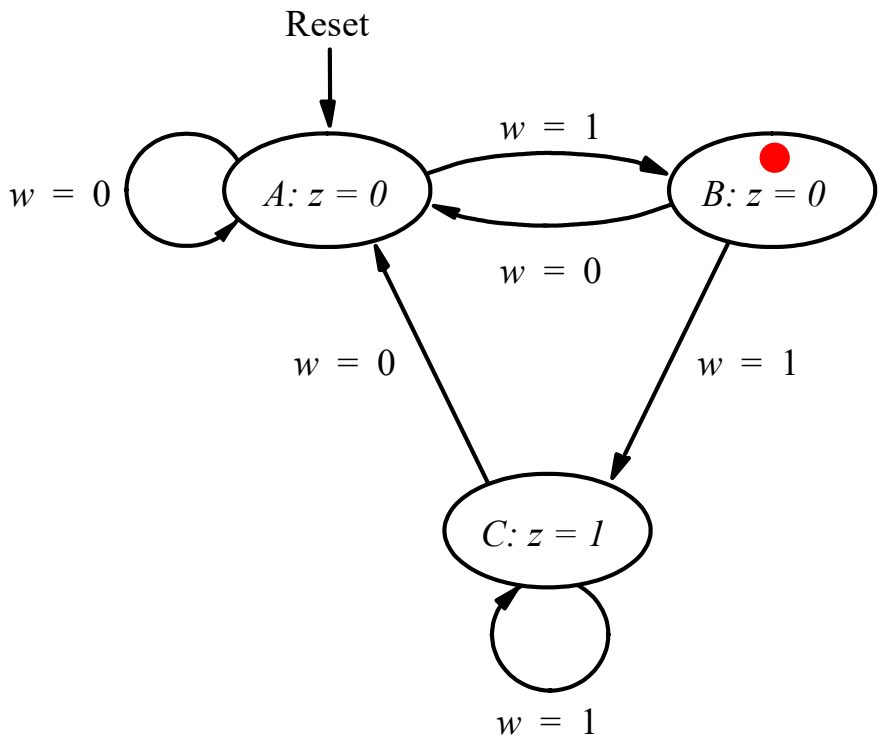
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



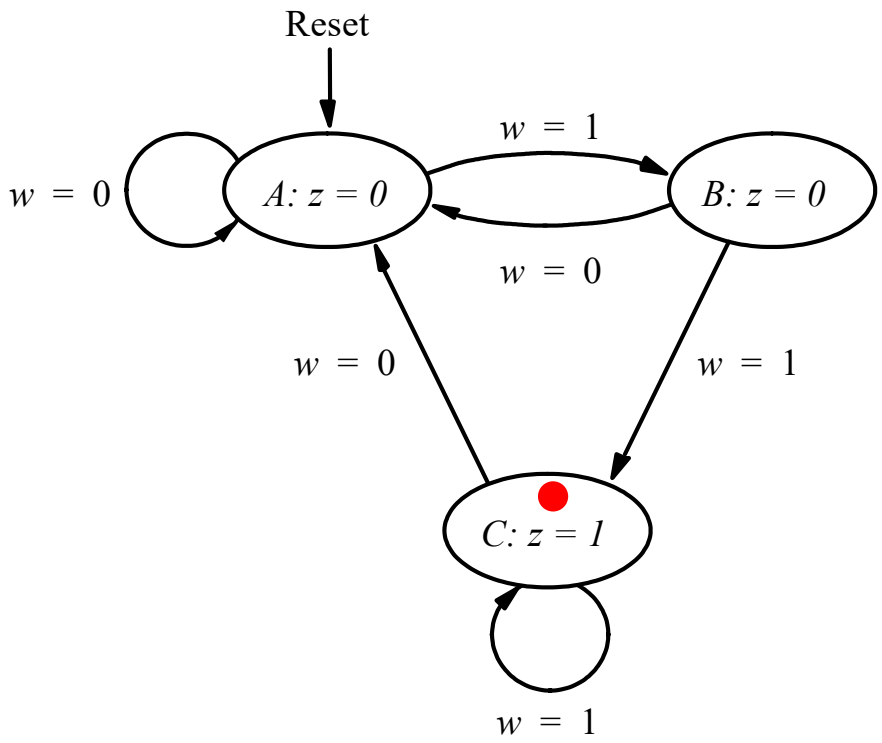
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



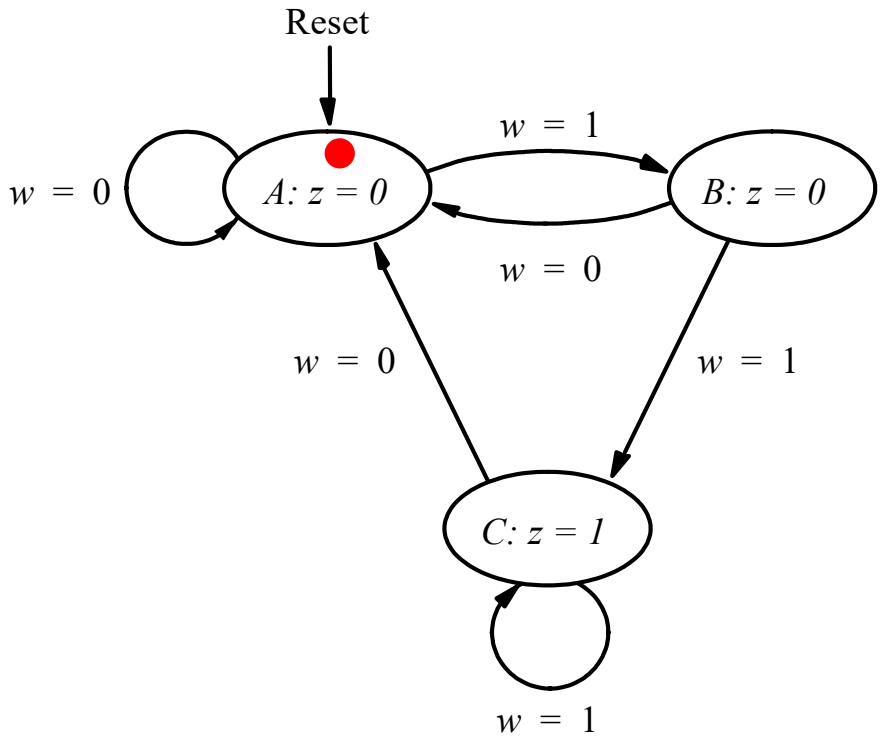
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



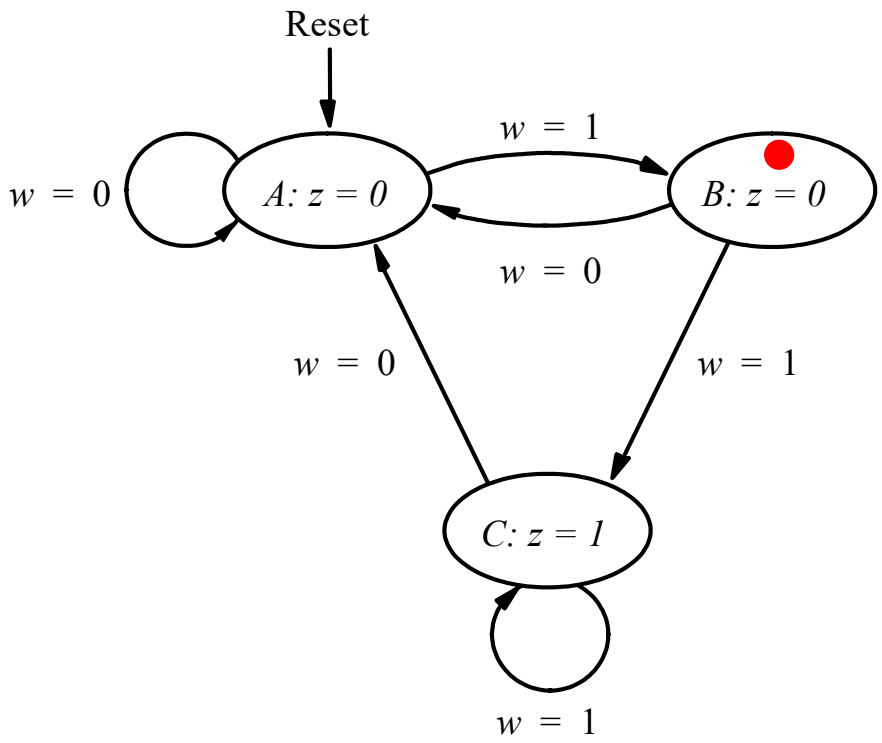
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



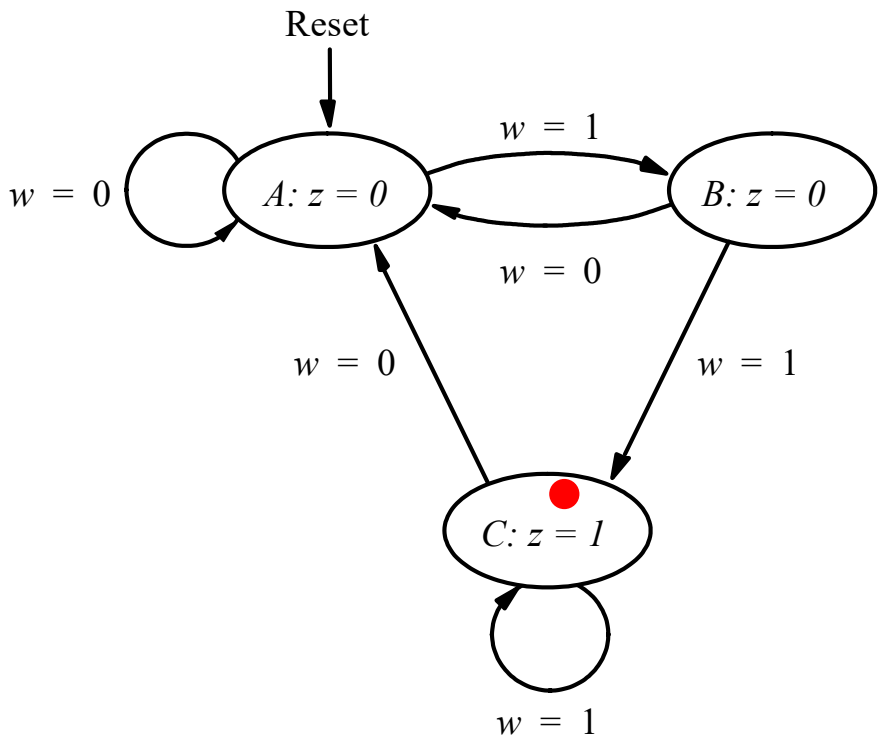
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



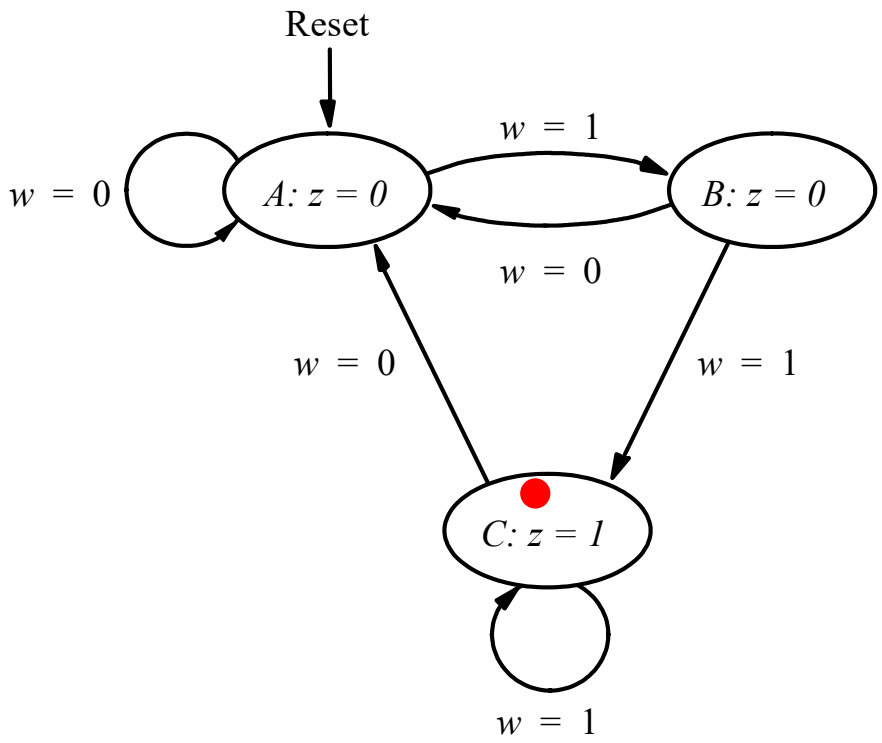
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



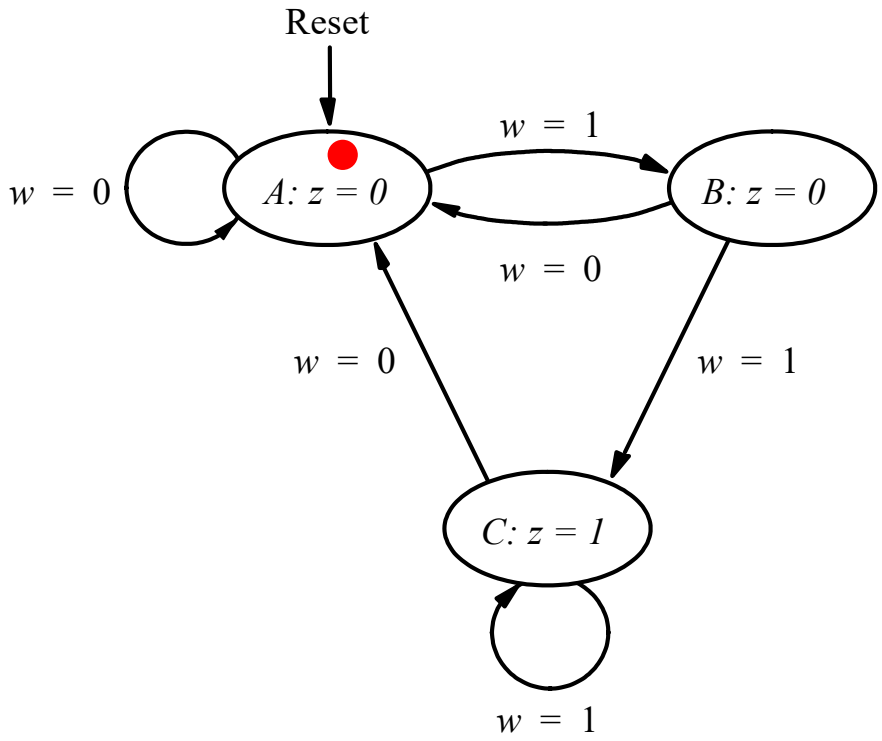
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



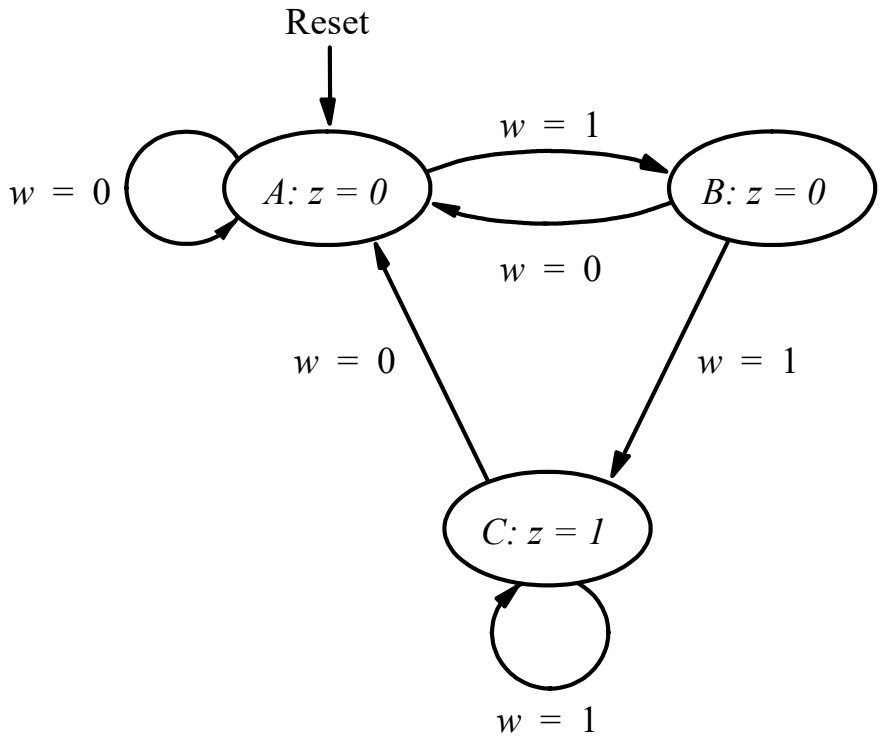
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



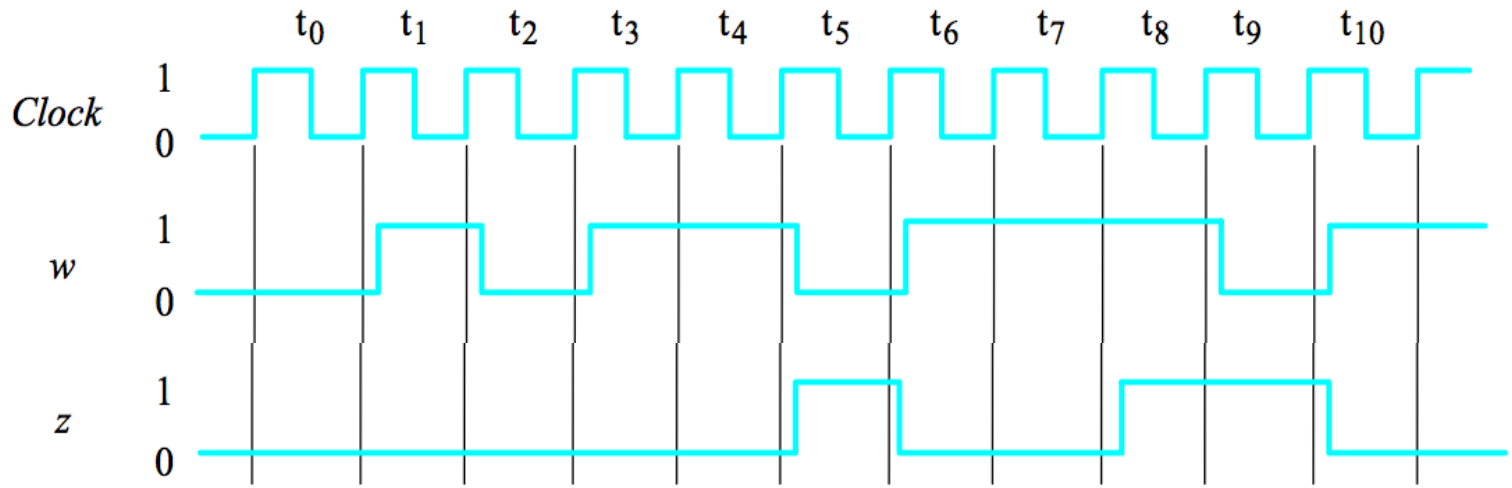
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



In general, we need to start tracing from the beginning to know which state the FSM is in. It may not be clear from a short sequence of outputs.

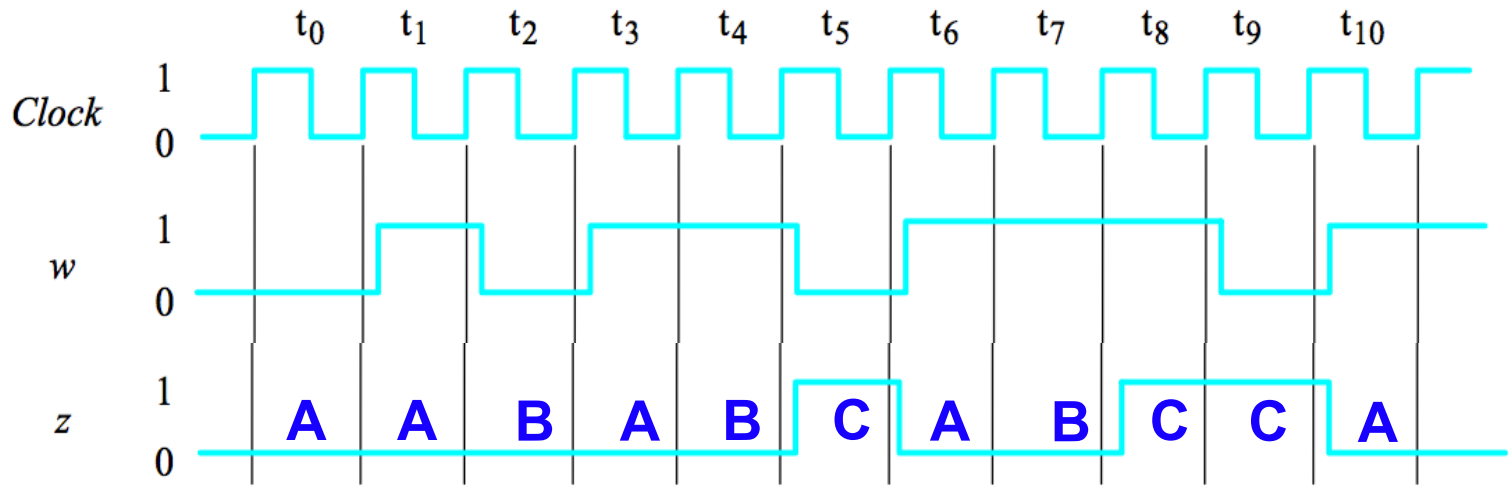
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0

Inferring the States

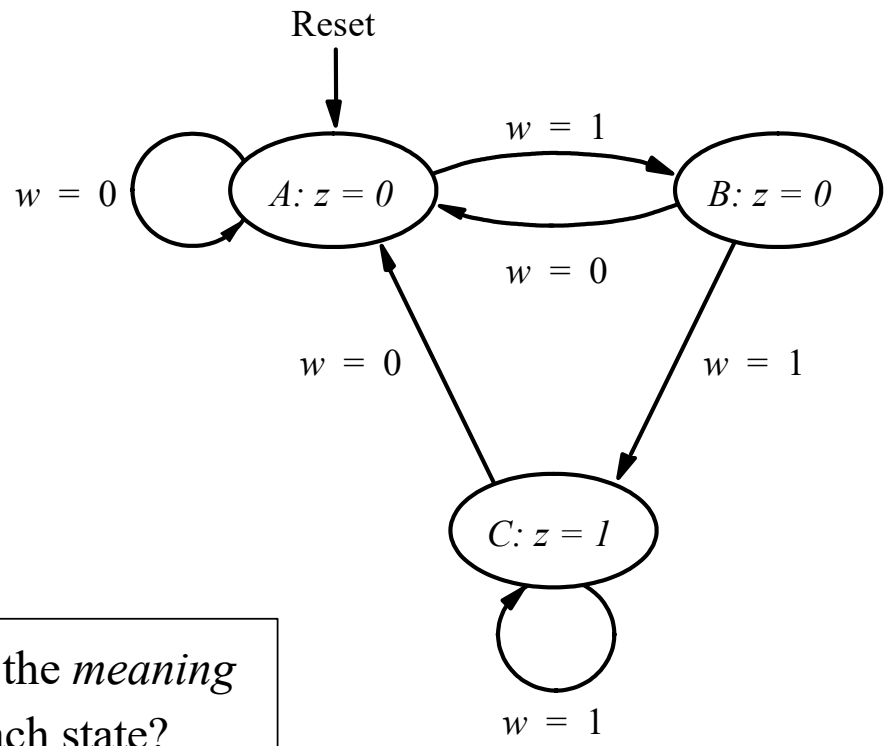


Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0

Inferring the States



Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



What is the *meaning* of each state?

Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0

What is a State?

It is not really a memory of every past input

(We might run out of space to remember it all!)

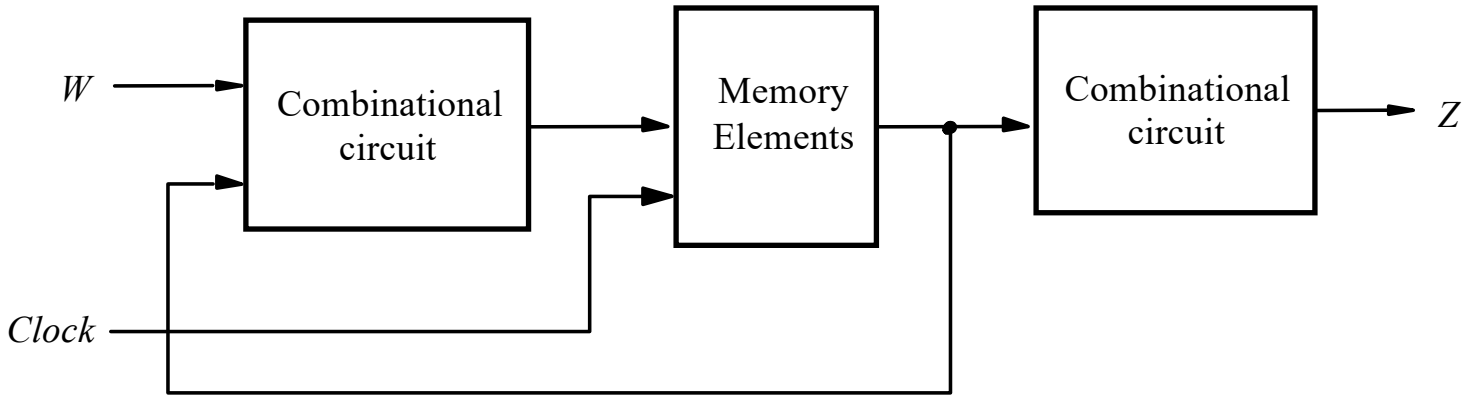
Rather, it is a characterization or snapshot of the pattern of inputs that have come before.

Moore Machine Implementation

The state diagram is just an illustration to help us describe and reason about how the FSM will behave in each of its states.

So, how do we turn it into a circuit?

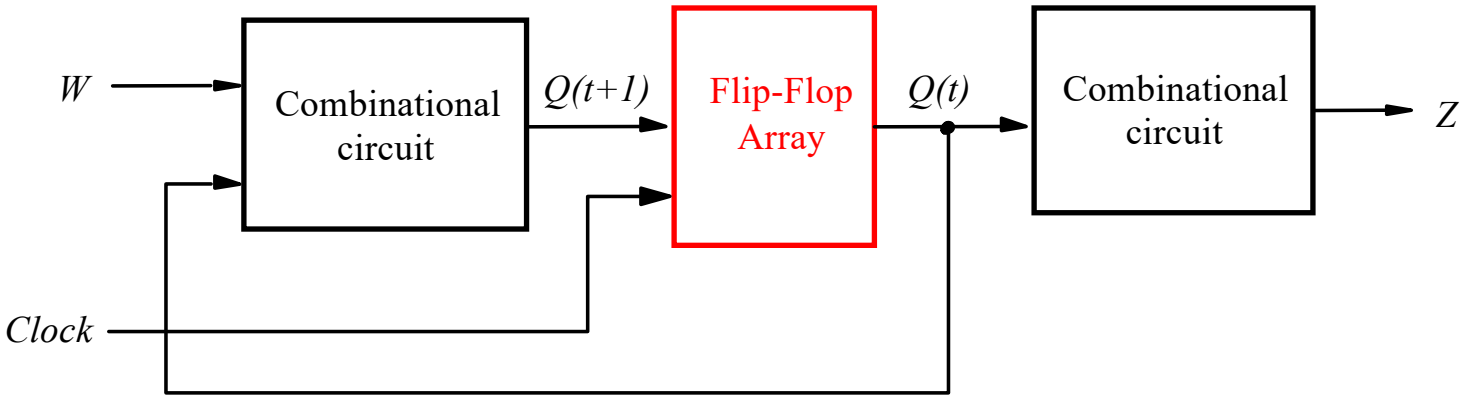
Moore Machine Implementation



Note: The *W* and *Z* lines need not be wires. They can be buses.

[Figure 6.1 from the textbook]

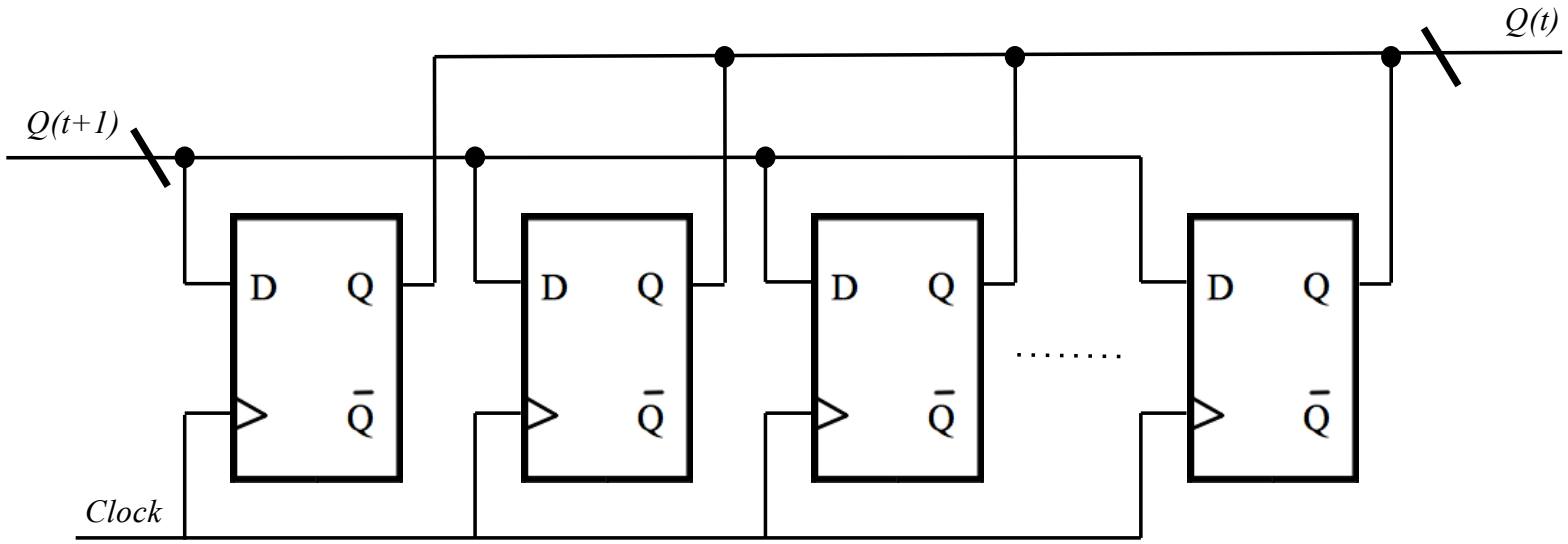
State Storage



Any usable “memory” of the preceding input sequence is encoded in the flip-flop array.

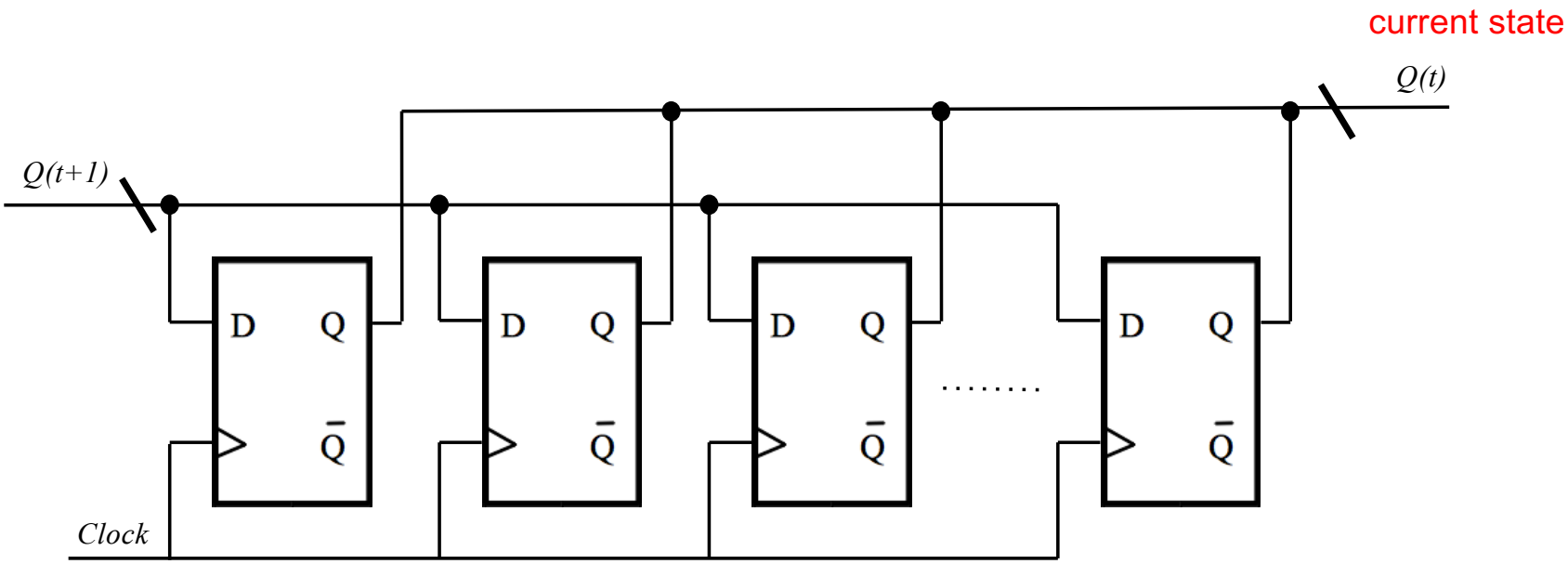
FSM States

The Flip-Flop array stores an encoding of the current state.



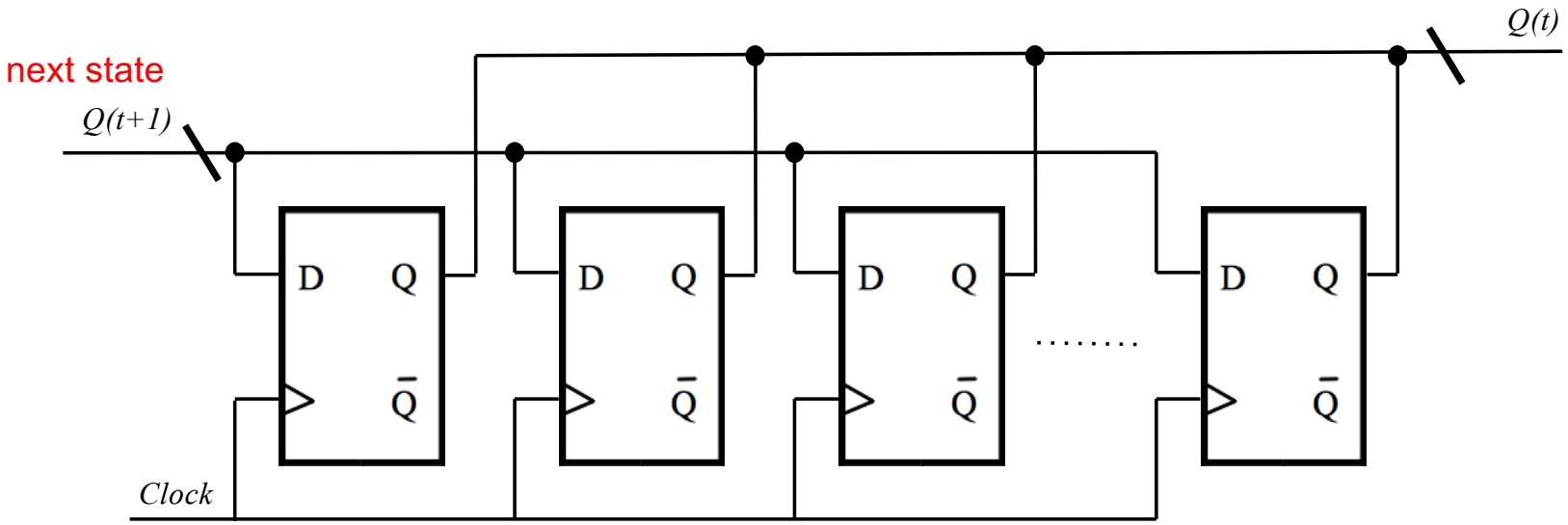
FSM States

The Flip-Flop array stores an encoding of the current state.

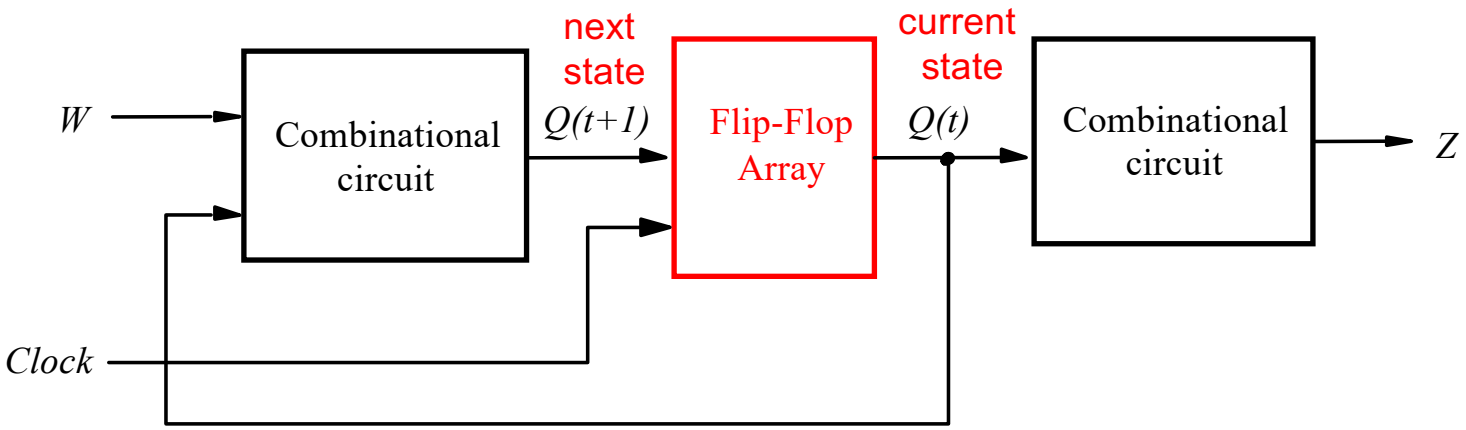


FSM States

The Flip-Flop array stores an encoding of the current state.



State Storage



Any usable "memory" of the preceding input sequence is encoded in the flip-flop array.

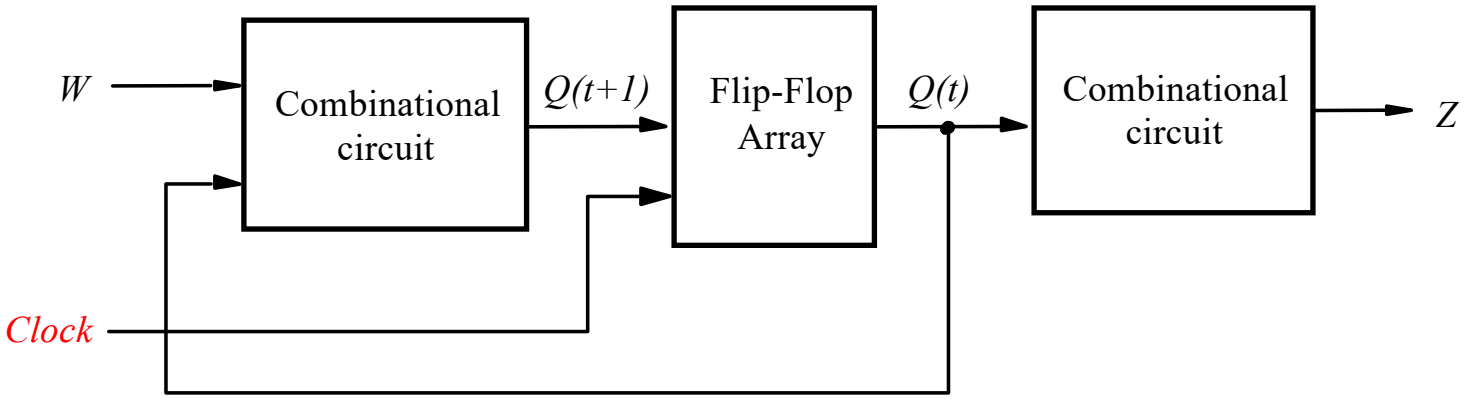
State Encoding

Each of the states in our design is identified by a distinct code.

If we use *3* flip-flops, then the FSM can have up to $2^3 = 8$ distinct states.

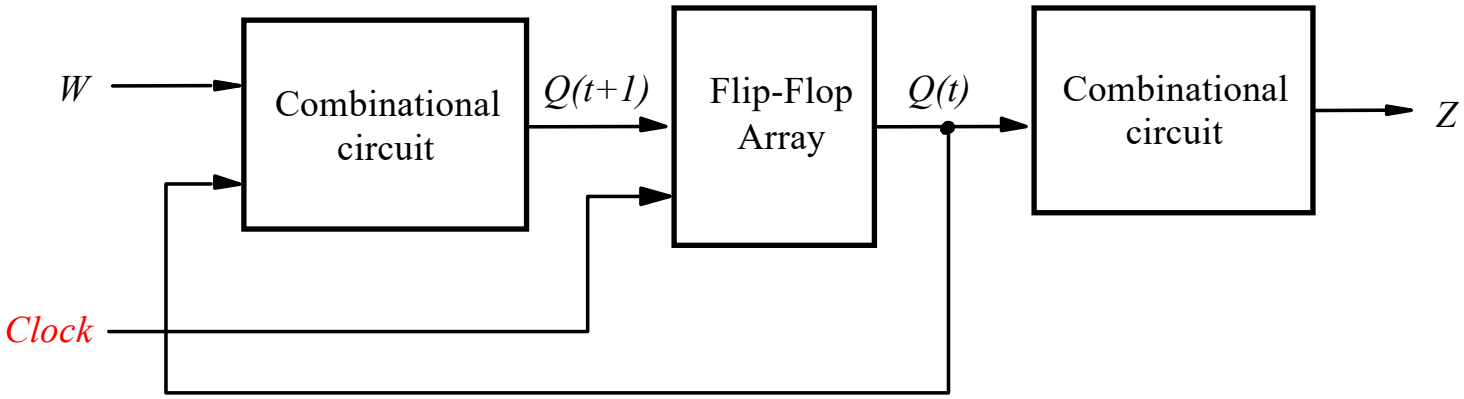
So, when the flip-flop array contains the code *011*, we say that the machine is in state *011*.

Synchronous Design



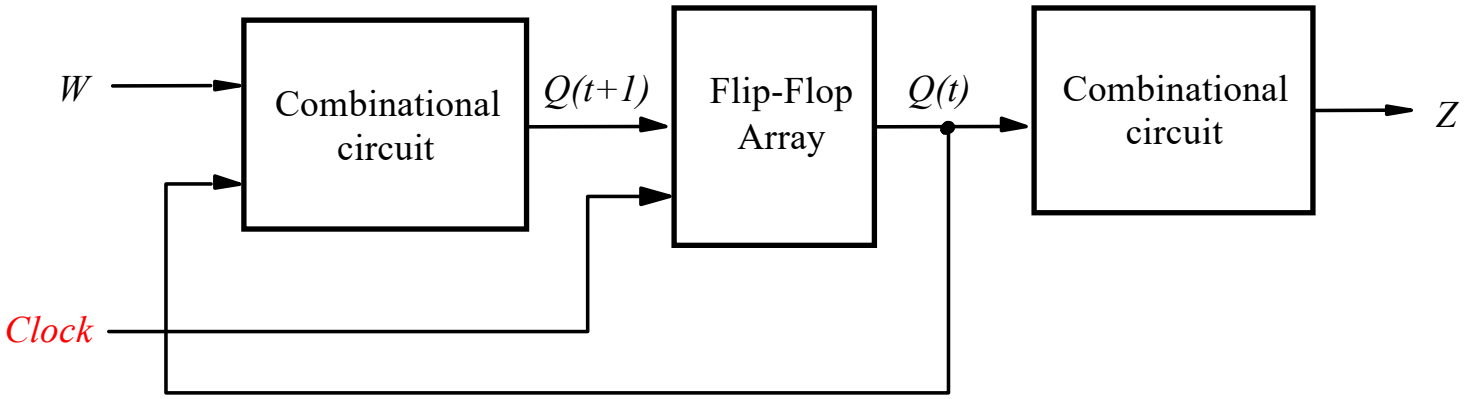
Every *active clock edge* causes a state transition.

Synchronous Design



We expect the input signals to be stable before the *active clock edge* occurs.

Synchronous Design



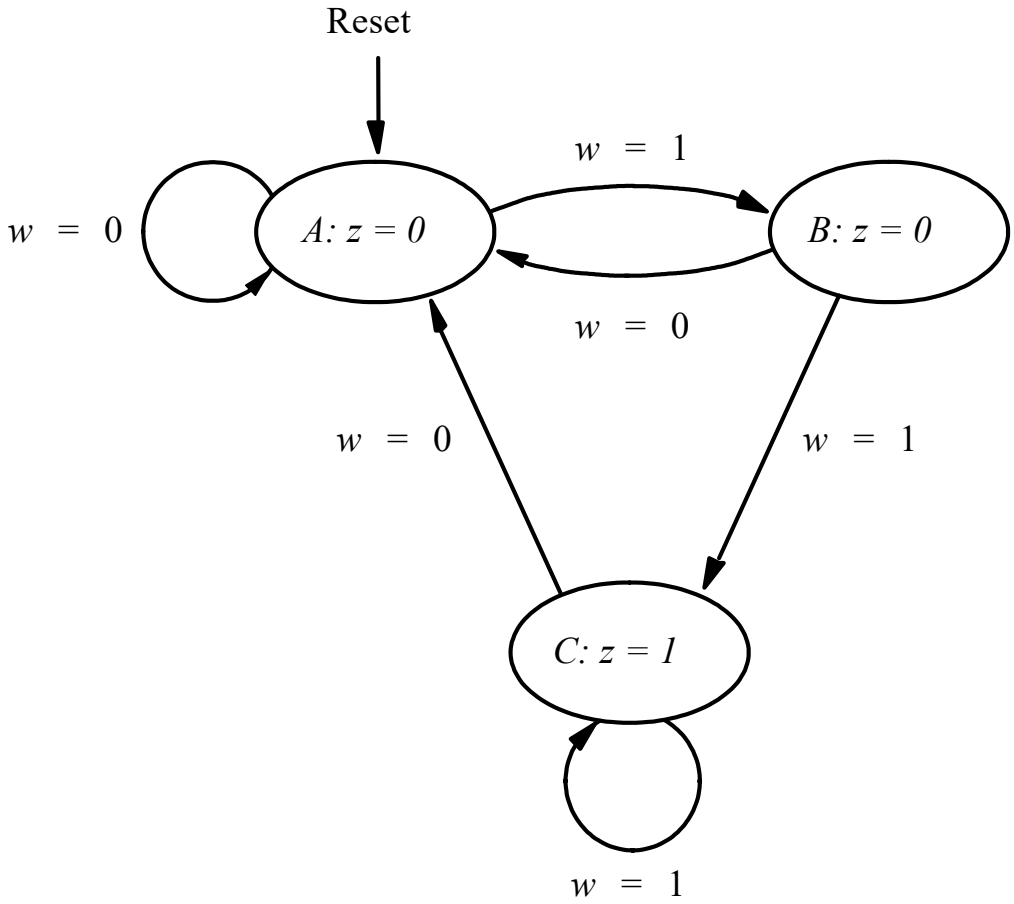
There is a whole other class of sequential circuits that are asynchronous, but we will not study them in this course.

Sequential Circuits: Key Ideas

The current output depends on something about the preceding sequence of inputs (and maybe the current output).

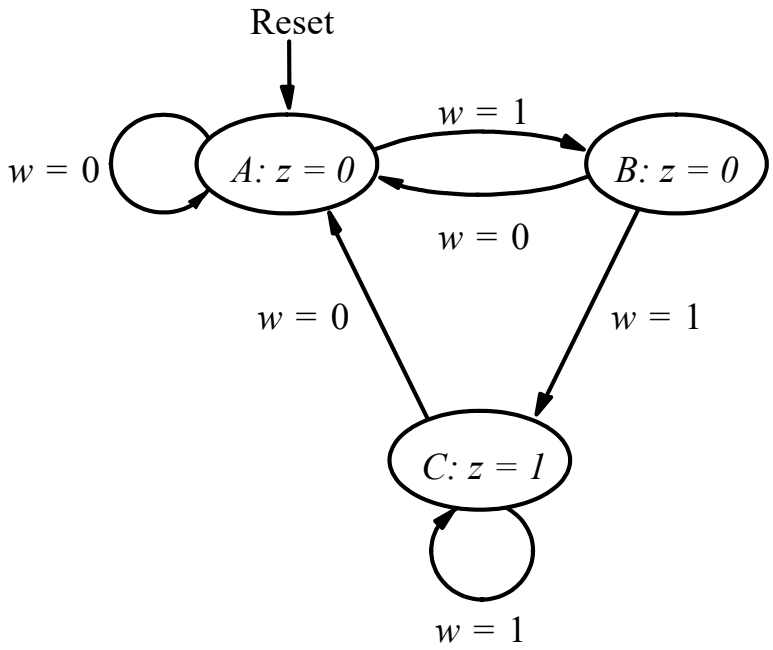
Using *memory elements* (i.e., flip-flops), we design the circuit to remember some *relevant* information about the prior inputs.

Moore Machine Example

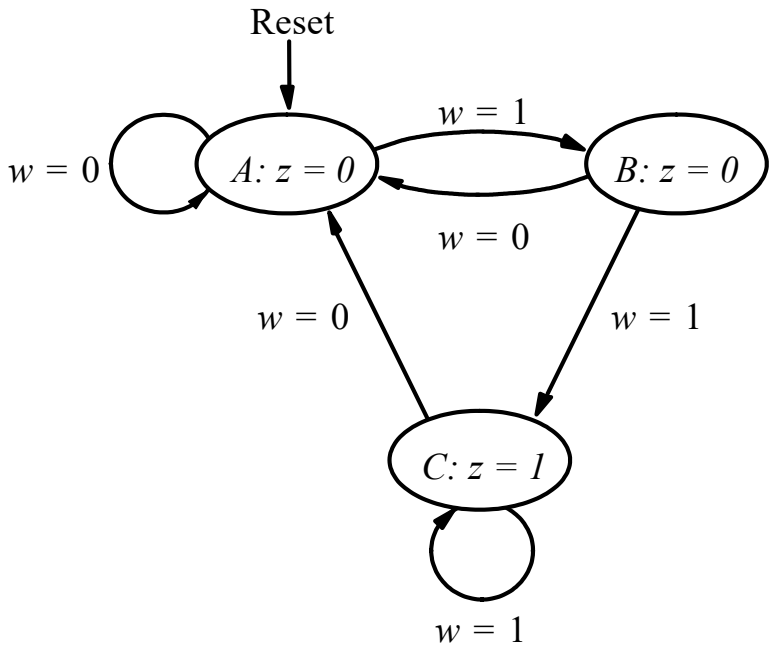


We need to find both the *next state logic* and the *output logic* implied by this machine.

[Figure 6.3 from the textbook]



Present state	Next state		Output z
	$w = 0$	$w = 1$	
A			
B			
C			



Present state	Next state		Output z
	$w = 0$	$w = 1$	
A	A	B	0
B	A	C	0
C	A	C	1

[Figure 6.4 from the textbook]

How to represent the States?

One way is to encode each state with a 2-bit binary number

A ~ 00

B ~ 01

C ~ 10

How to represent the states?

One way is to encode each state with a 2-bit binary number

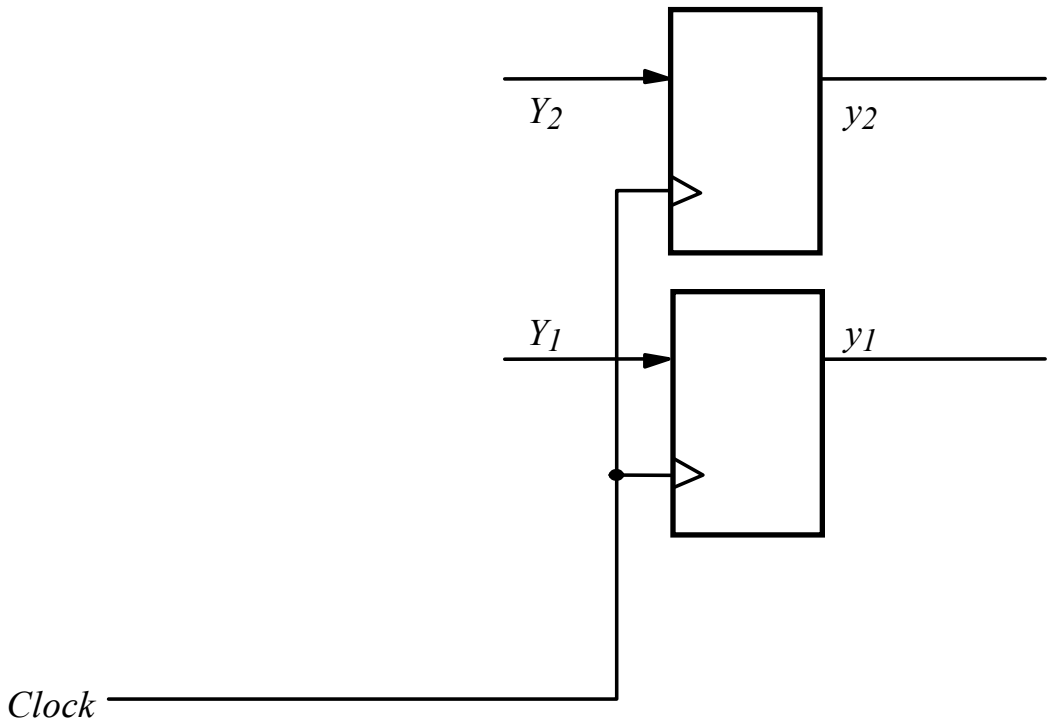
A ~ 00

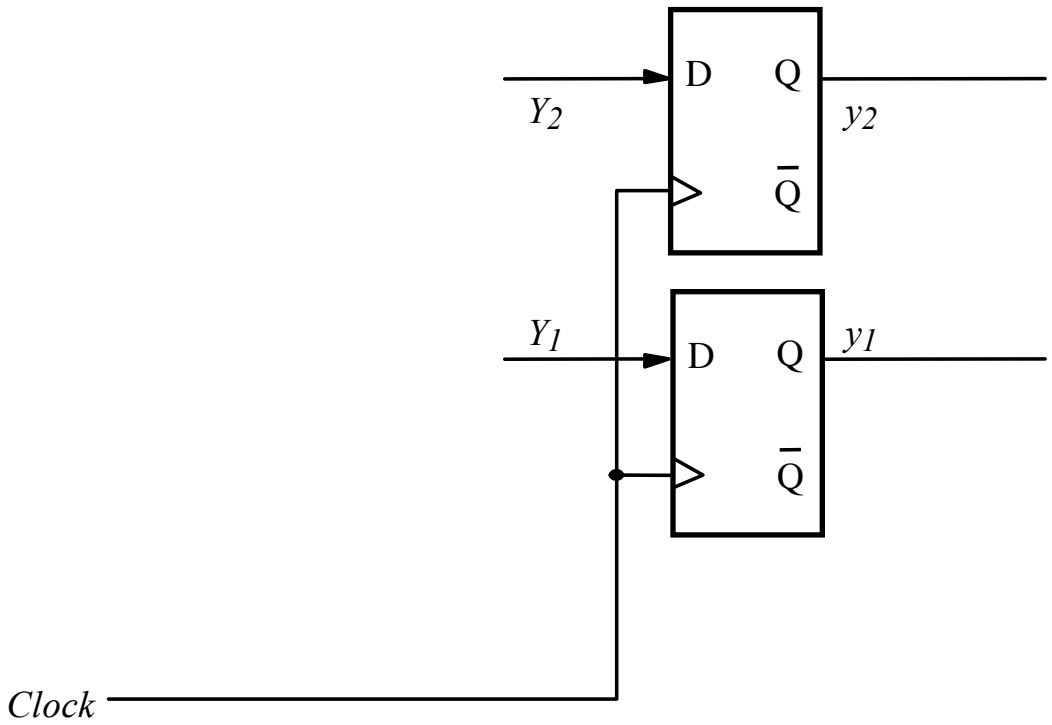
B ~ 01

C ~ 10

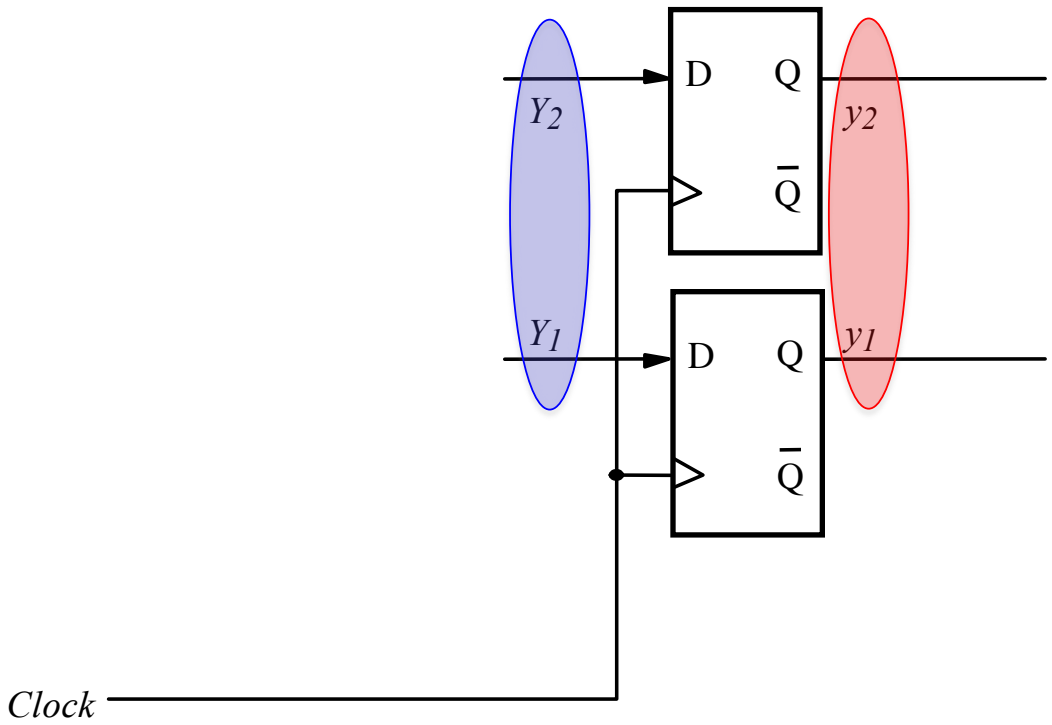
How many flip-flops do we need?

Let's use two flip-flops
to hold the machine's state


Y_2
y_2
Y_1
y_1
Clock



Let’s pick D Flip-Flops.

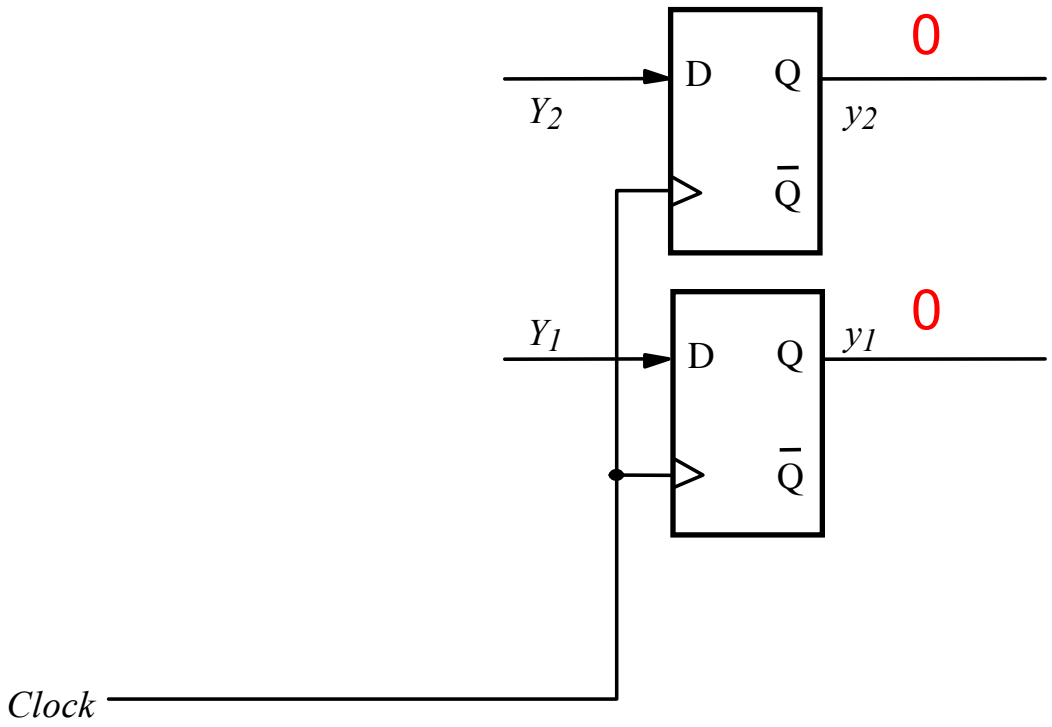


We will call y_1 and y_2 the *present state variables*.

We will call Y_1 and Y_2 the *next state variables*.

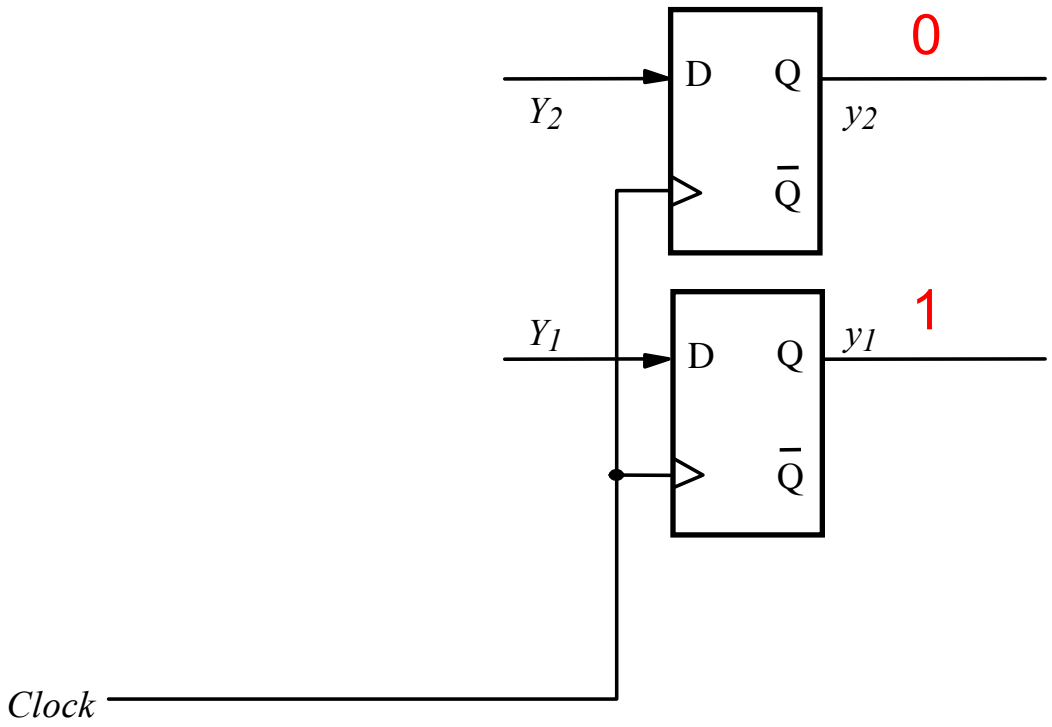
[Figure 6.5 from the textbook]

State = y_2 y_1



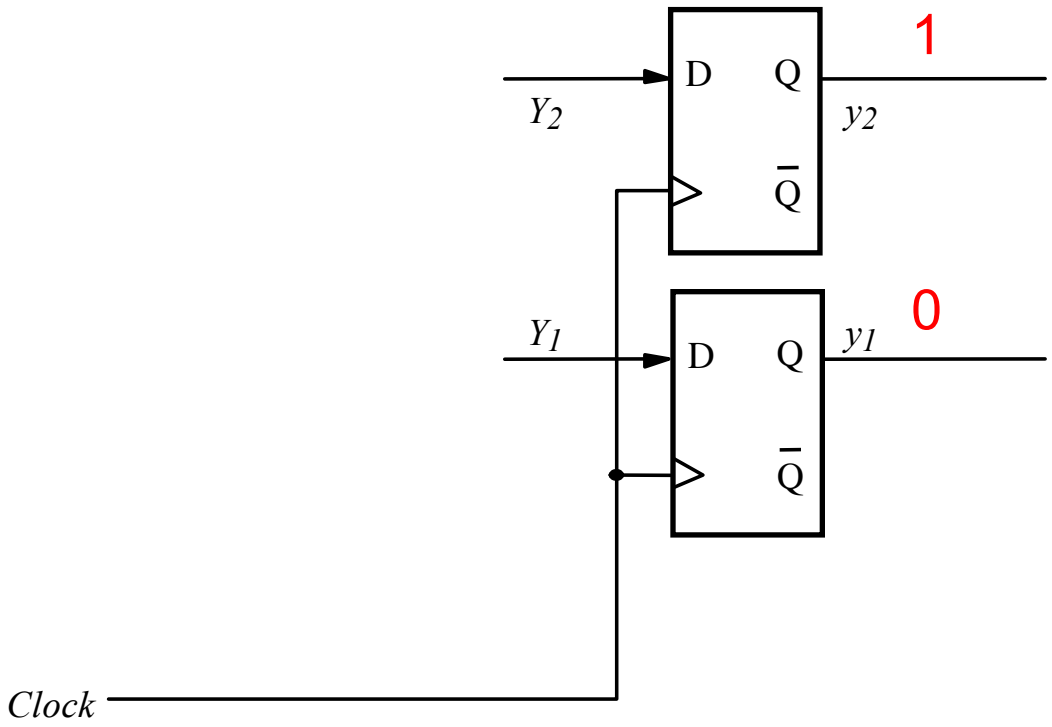
Two zeros on the output JOINTLY represent state A.

State = y_2 y_1



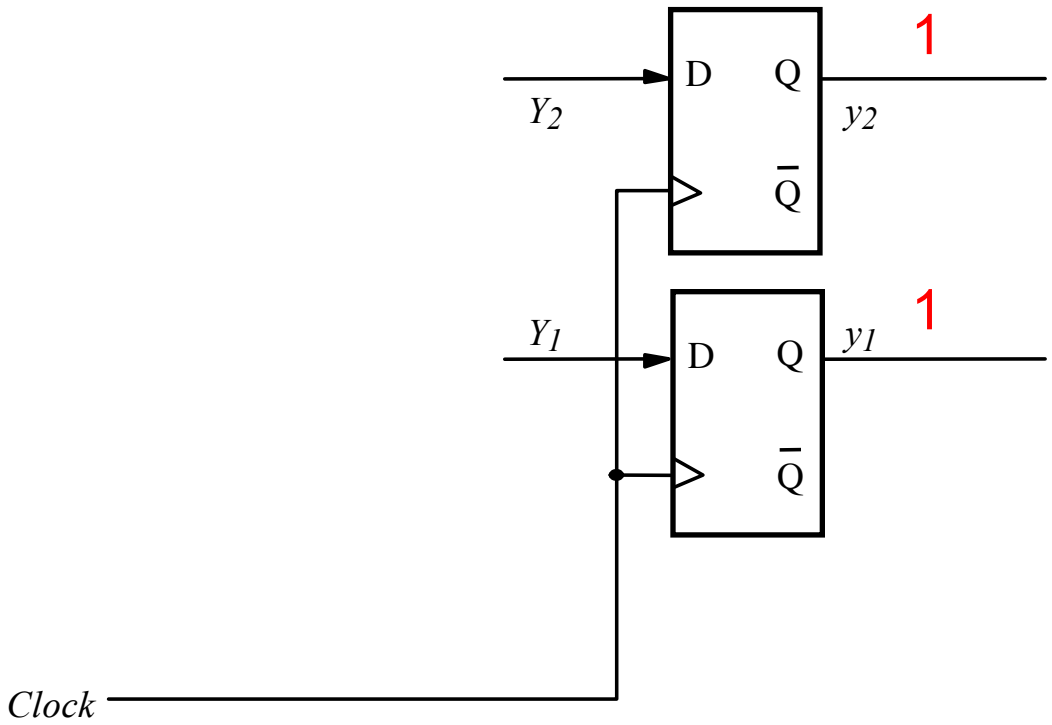
This flip-flop output pattern represents state B.

State = y_2 y_1



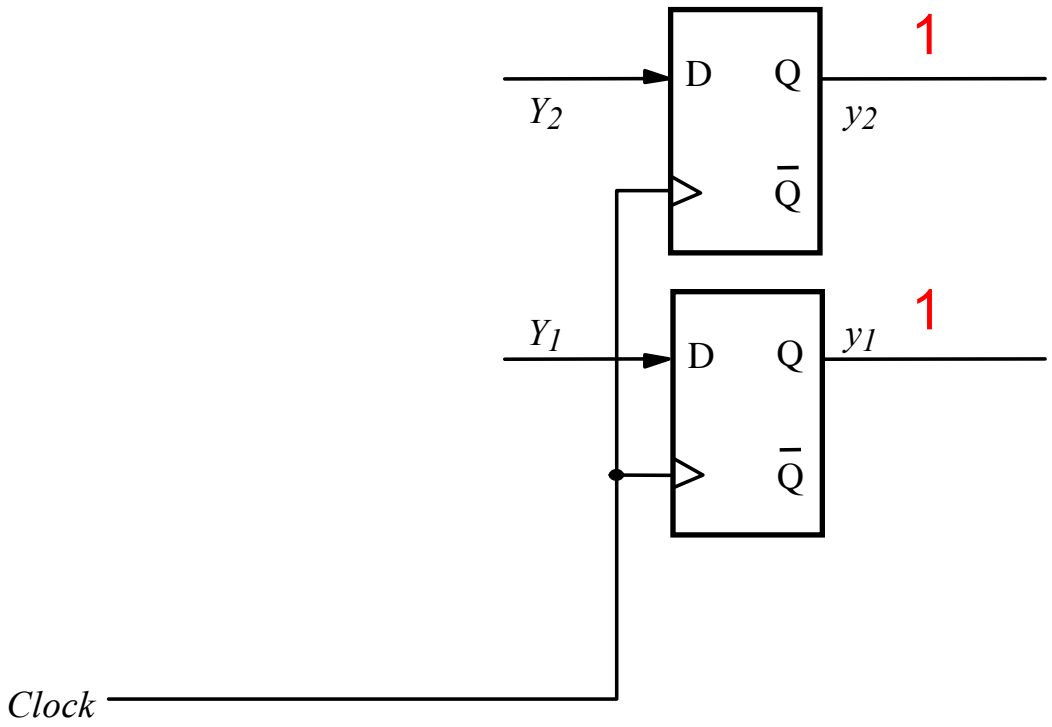
This flip-flop output pattern represents state C.

State = y_2 y_1

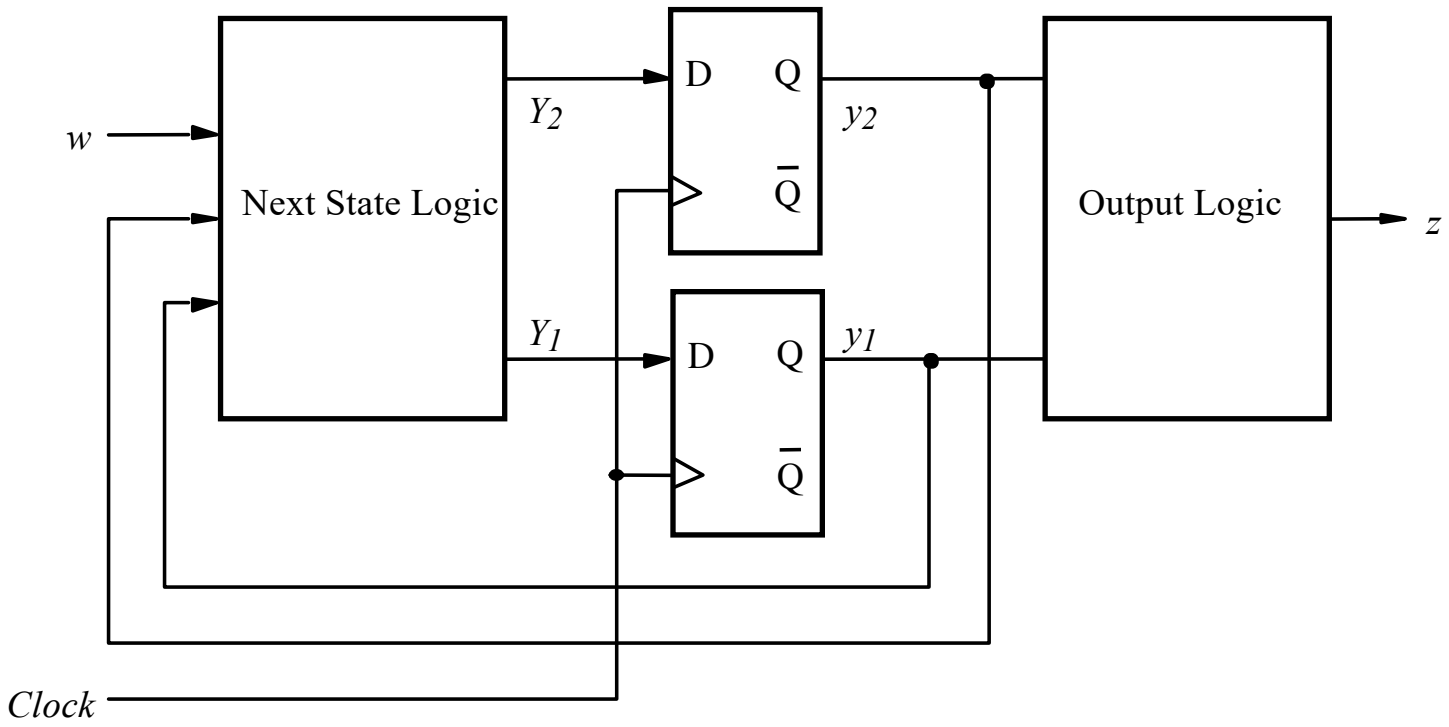


What does this flip-flop output pattern represent?

State = y_2 y_1



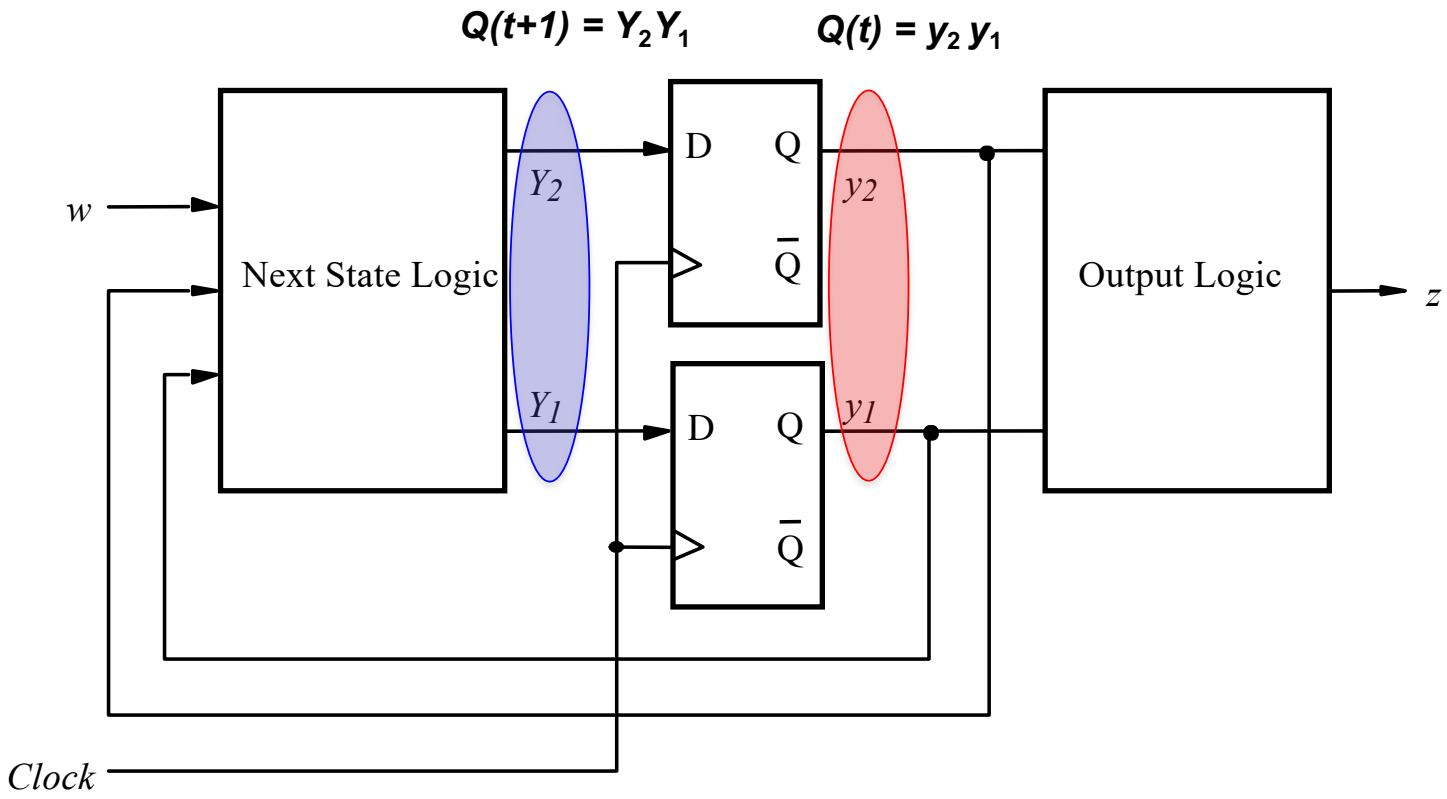
This would be state D, but we don't have one in this example. So, this is an impossible state.



We will call y_1 and y_2 the *present state variables*.

We will call Y_1 and Y_2 the *next state variables*.

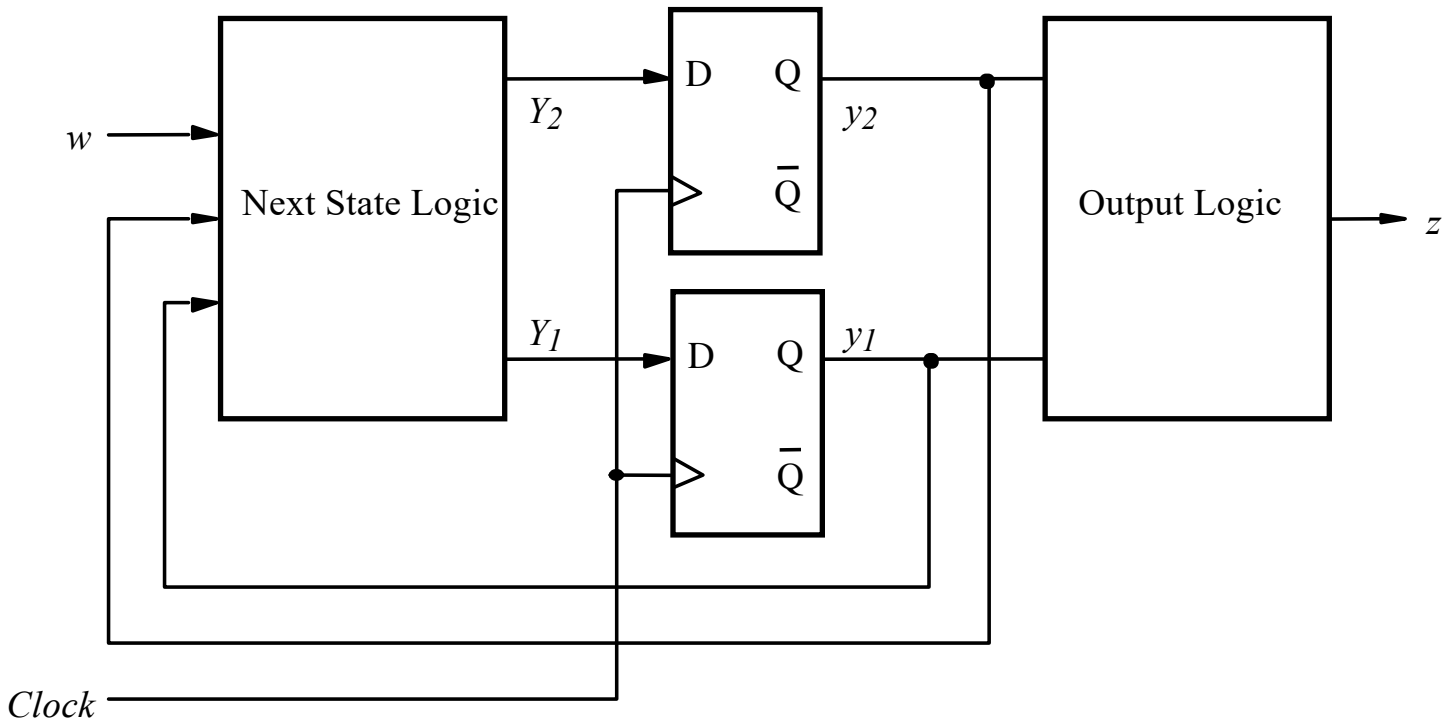
[Figure 6.5 from the textbook]



We will call y_1 and y_2 the *present state variables*.

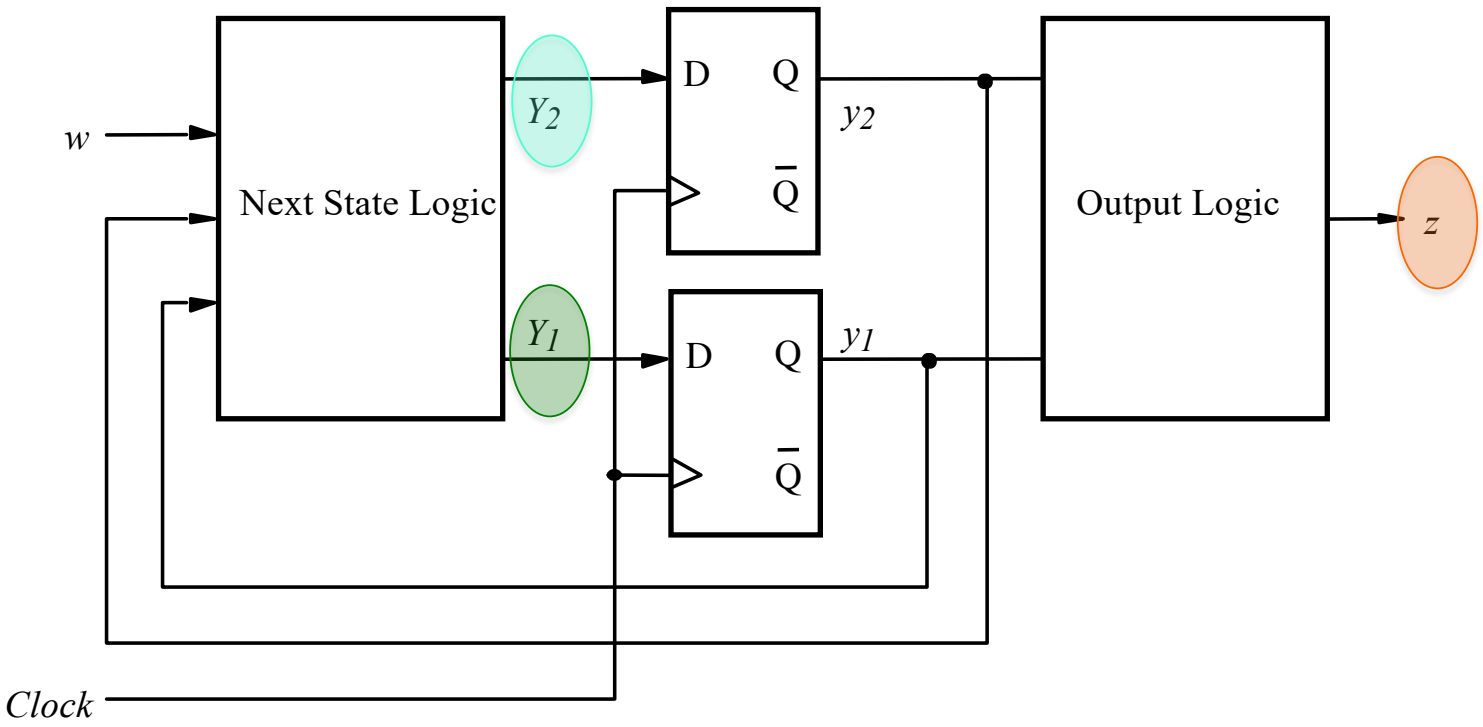
We will call Y_1 and Y_2 the *next state variables*.

[Figure 6.5 from the textbook]



We need to find logic expressions for
$Y_1(w, y_1, y_2)$, $Y_2(w, y_1, y_2)$, and $z(y_1, y_2)$.

[Figure 6.5 from the textbook]



We need to find logic expressions for

$Y_1(w, y_1, y_2)$, $Y_2(w, y_1, y_2)$, and $z(y_1, y_2)$.

[Figure 6.5 from the textbook]

Present state	Next state		Output z
	$w = 0$	$w = 1$	
A	A	B	0
B	A	C	0
C	A	C	1

Suppose we encoded our states in the same order in which they were labeled:

A ~ 00
B ~ 01
C ~ 10

[Figure 6.4 from the textbook]

Present state	Next state		Output z
	$w = 0$	$w = 1$	
A	A	B	0
B	A	C	0
C	A	C	1

	Present state	Next state		Output z
		$w = 0$	$w = 1$	
A	00			
B	01			
C	10			
	11			

The finite state machine will never reach a state encoded as 11.

[Figure 6.6 from the textbook]

Present state	Next state		Output z
	$w = 0$	$w = 1$	
A	A	B	0
B	A	C	0
C	A	C	1

	Present state $y_2 y_1$	Next state		Output z
		$w = 0$	$w = 1$	
		$Y_2 Y_1$	$Y_2 Y_1$	
A	00	00	01	0
B	01	00	10	0
C	10	00	10	1
	11	*dd*	*dd*	*d*

We arbitrarily chose these as our state encodings. We could have used others.

[Figure 6.6 from the textbook]

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

y_2	y_1	z
0	0	
0	1	
1	0	
1	1	

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0		
0	0	1		
0	1	0		
0	1	1		
1	0	0		
1	0	1		
1	1	0		
1	1	1		

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0	0	
0	0	1	0	
0	1	0	0	
0	1	1	d	
1	0	0		
1	0	1		
1	1	0		
1	1	1		

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0	0	
0	0	1	0	
0	1	0	0	
0	1	1	d	
1	0	0	0	
1	0	1	1	
1	1	0	1	
1	1	1	d	

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0	0	
0	0	1	0	
0	1	0	0	
0	1	1	d	
1	0	0	0	
1	0	1	1	
1	1	0	1	
1	1	1	d	

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0	0	0
0	0	1	0	0
0	1	0	0	0
0	1	1	d	d
1	0	0	0	
1	0	1	1	
1	1	0	1	
1	1	1	d	

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

w	y_2	y_1	Y_2	Y_1
0	0	0	0	0
0	0	1	0	0
0	1	0	0	0
0	1	1	d	d
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	d	d

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Present state y_2y_1	Next state $w = 0$ Y_2Y_1	Next state $w = 1$ Y_2Y_1	Output z
00	00	01	0
01	00	10	0
10	00	10	1
11	*dd*	*dd*	*d*

[Figure 6.6 from the textbook]

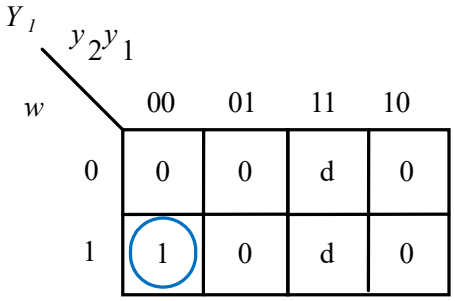
$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$

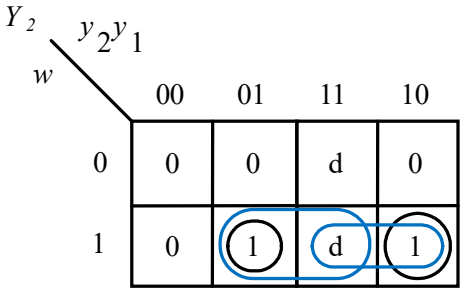
w	y_2	y_1	Y_2	Y_1
0	0	0	0	0
0	0	1	0	0
0	1	0	0	0
0	1	1	d	d
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	d	d

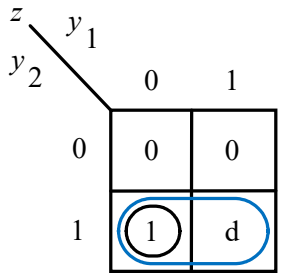
y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Note that the textbook draws these K-Maps differently from all previous K-maps (the most significant bit indexes the rows).

$Q(t) = y_2y_1$ and $Q(t+1) = Y_2Y_1$



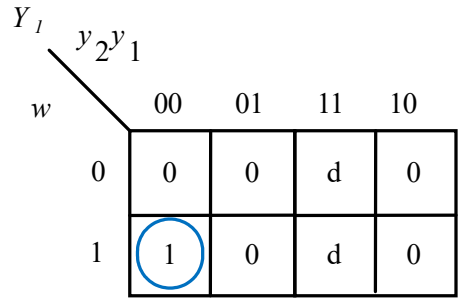


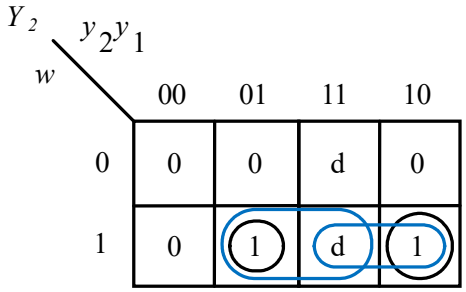


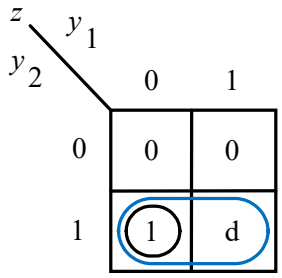
w	y_2	y_1	Y_2	Y_1
0	0	0	0	0
0	0	1	0	0
0	1	0	0	0
0	1	1	d	d
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	d	d

y_2	y_1	z
0	0	0
0	1	0
1	0	1
1	1	d

Don’t care conditions simplify the combinatorial logic







Ignoring don't cares

$$Y_1 = w\bar{y}_1\bar{y}_2$$

$$Y_2 = wy_1\bar{y}_2 + w\bar{y}_1y_2$$

$$z = \bar{y}_1y_2$$

Using don't cares

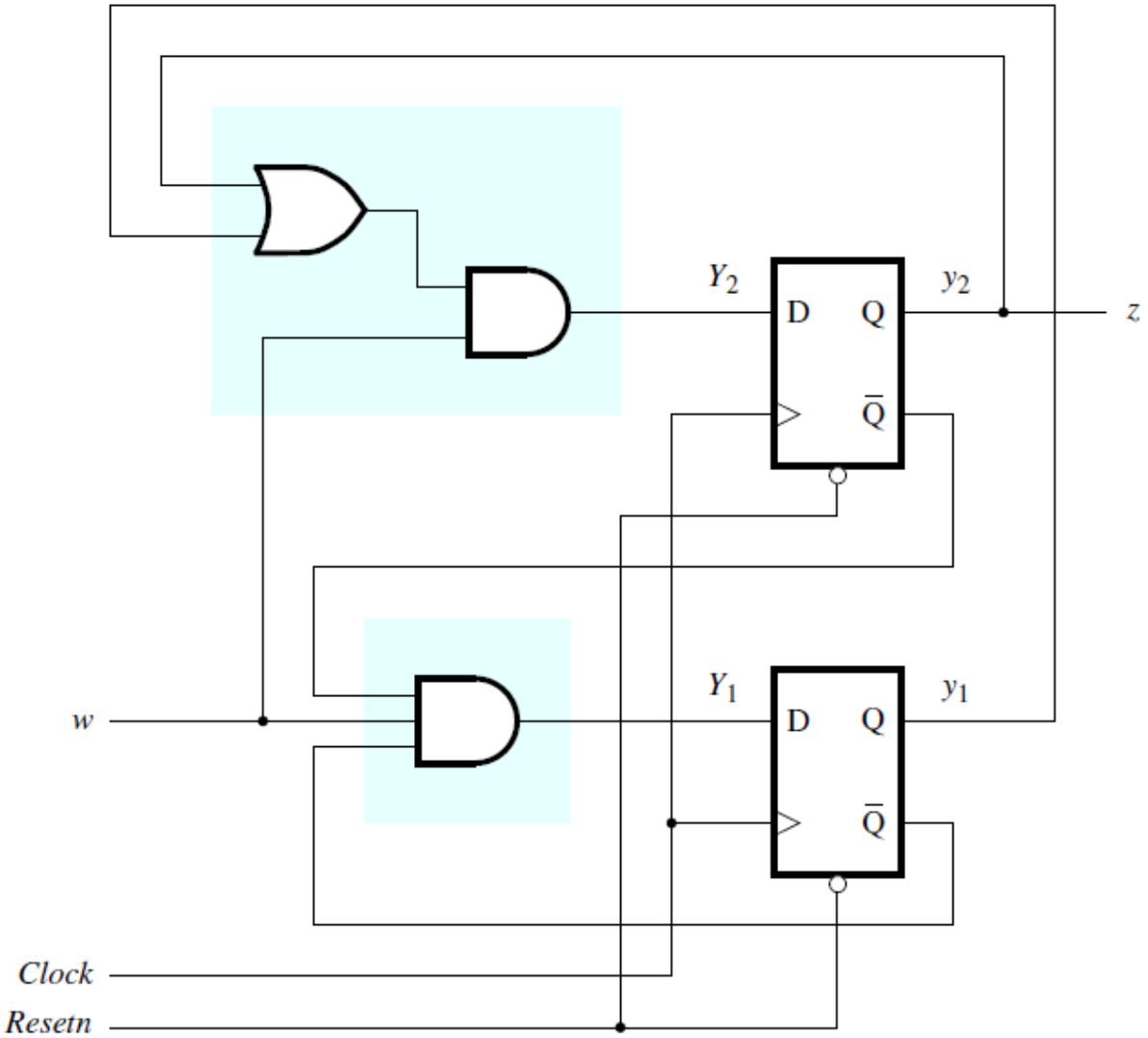
$$Y_1 = w\bar{y}_1\bar{y}_2$$

$$Y_2 = wy_1 + wy_2 = w(y_1 + y_2)$$

$$z = y_2$$

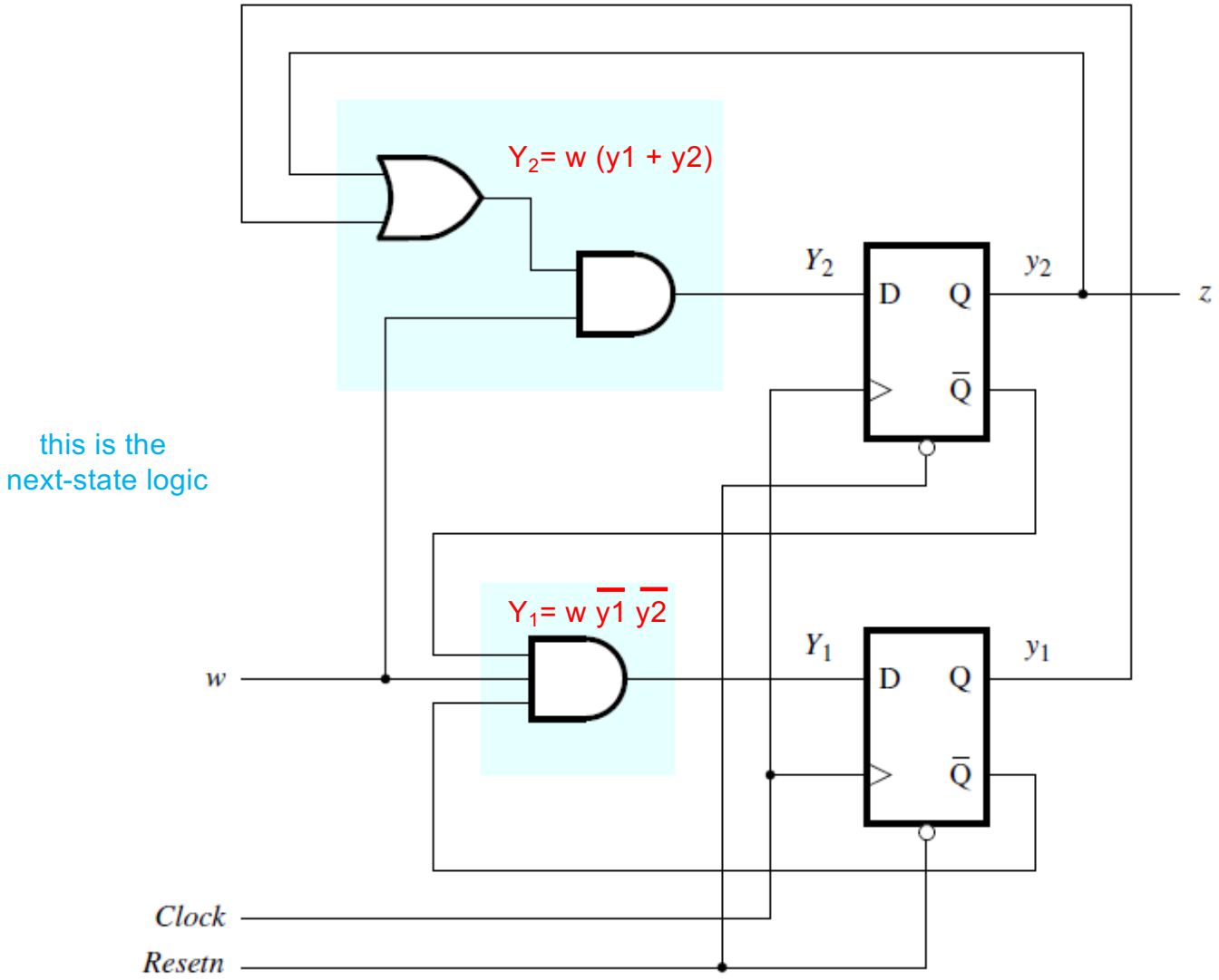
[Figure 6.7 from the textbook]

Draw the Circuit Diagram



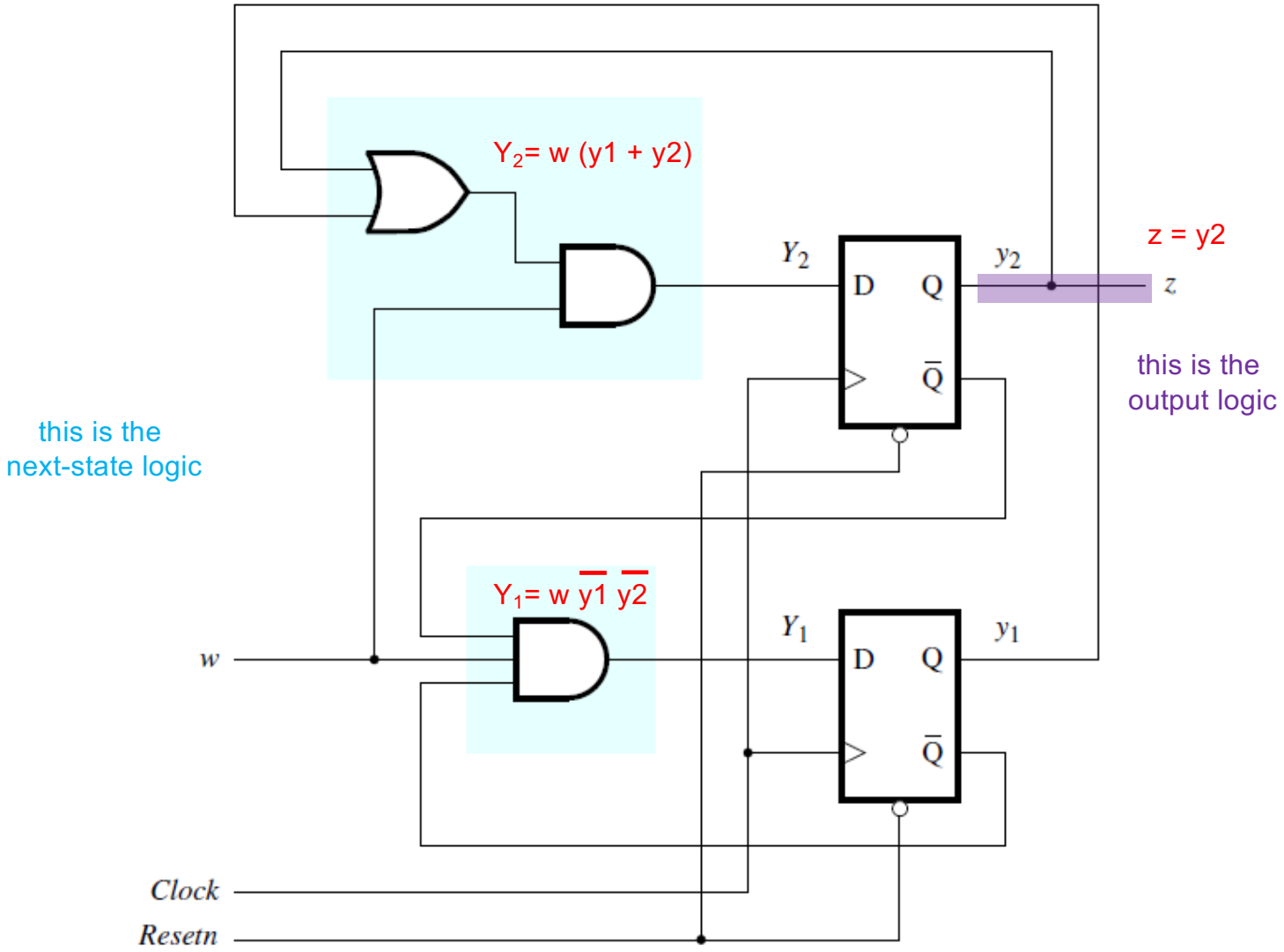
[Figure 6.8 from the textbook]

Draw the Circuit Diagram



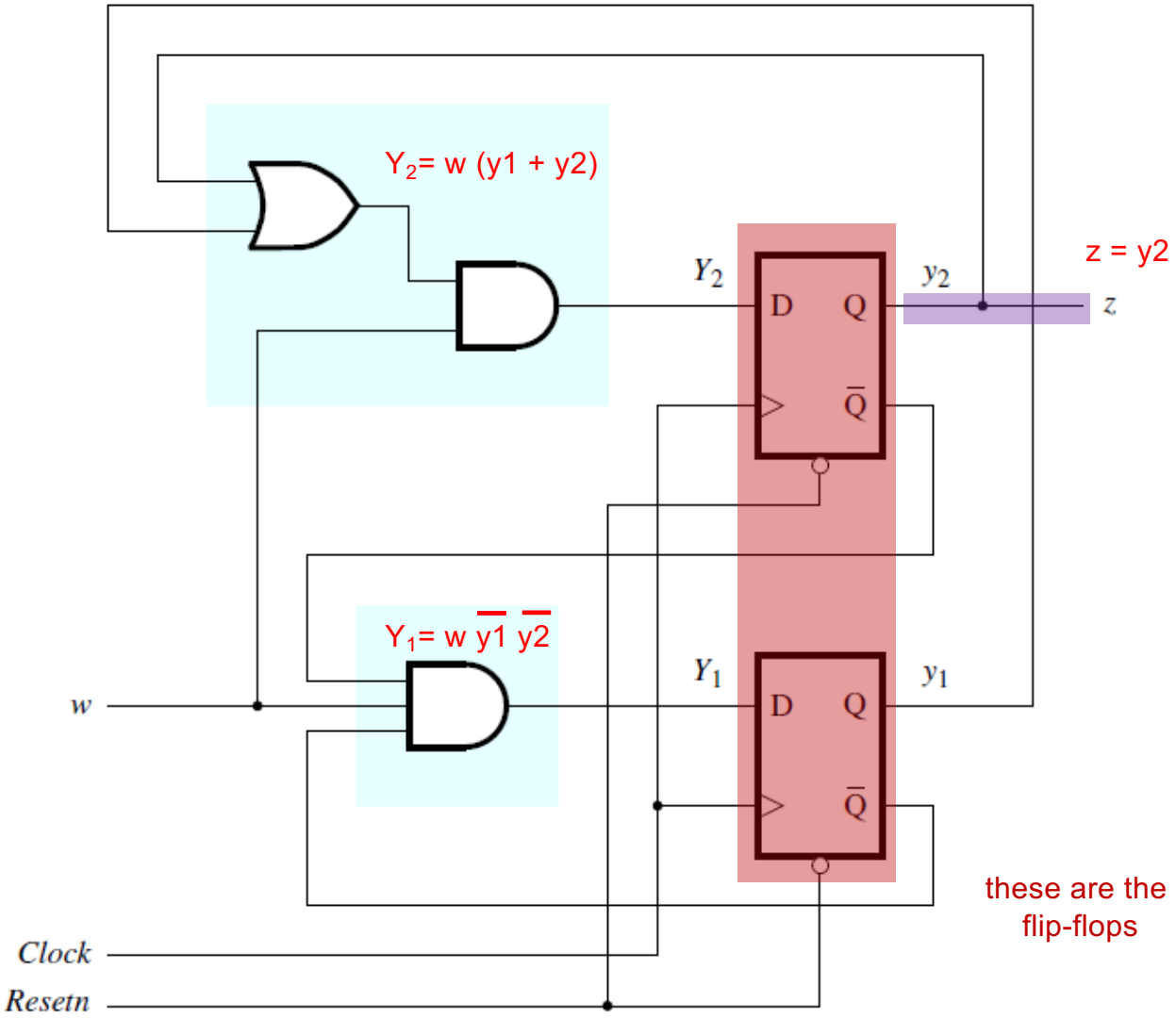
[Figure 6.8 from the textbook]

Draw the Circuit Diagram



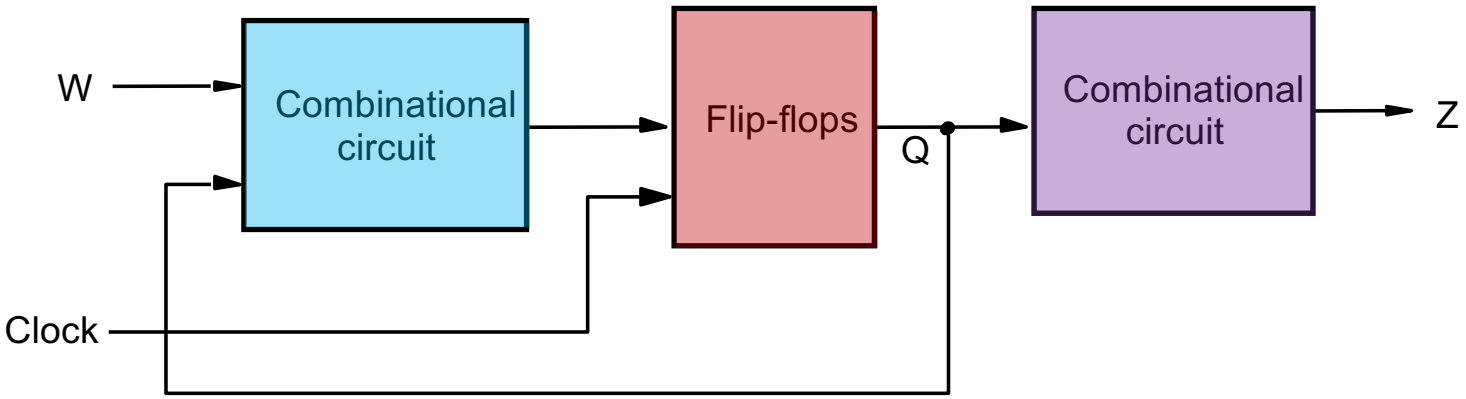
[Figure 6.8 from the textbook]

Draw the Circuit Diagram

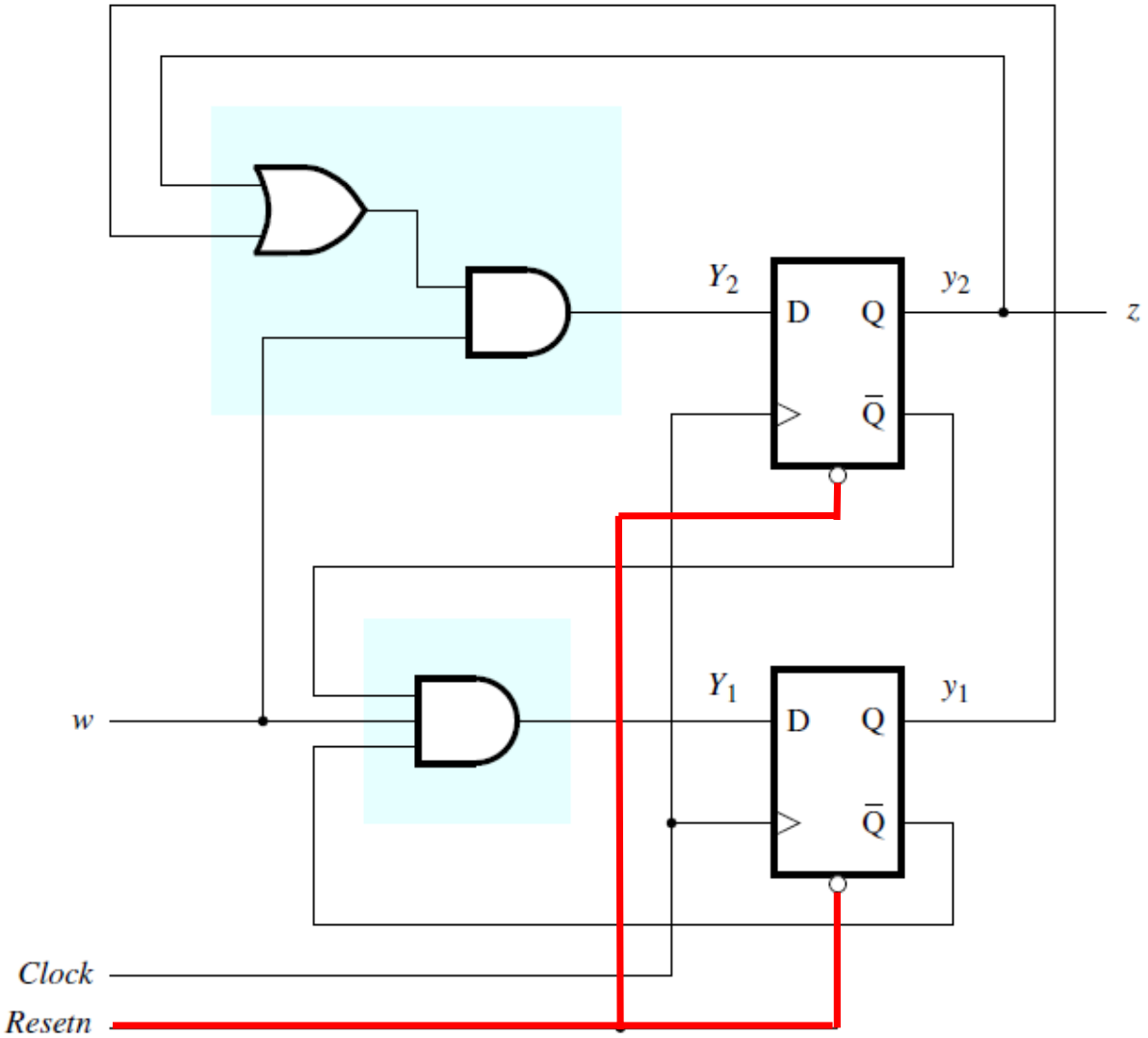


[Figure 6.8 from the textbook]

Moore Type

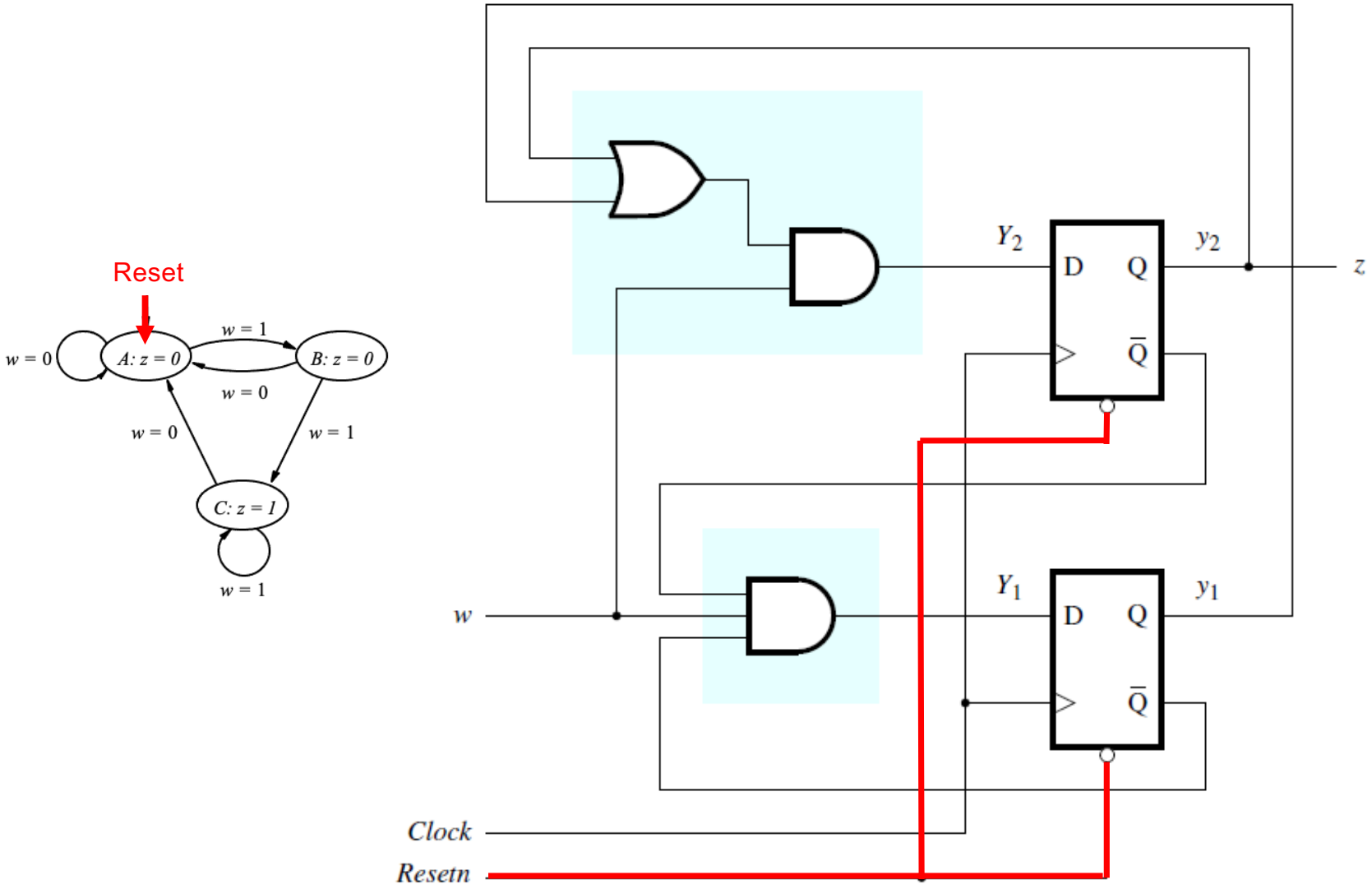

W
Combinational circuit
Flip-flops
Q
Combinational circuit
Z
Clock

Don’t Forget to Add the Reset Line



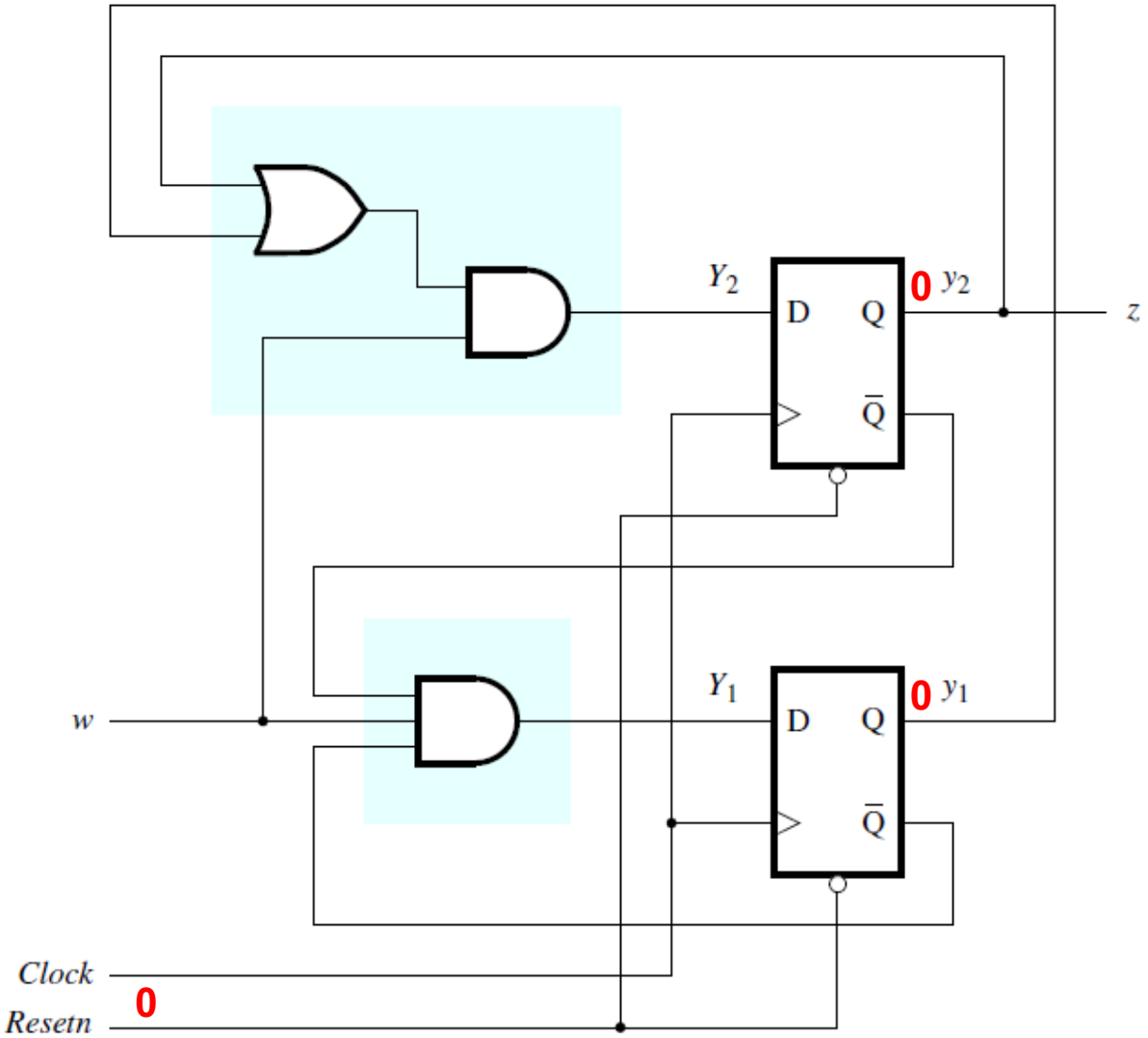
[Figure 6.8 from the textbook]

Don’t Forget to Add the Reset Line



[Figure 6.8 from the textbook]

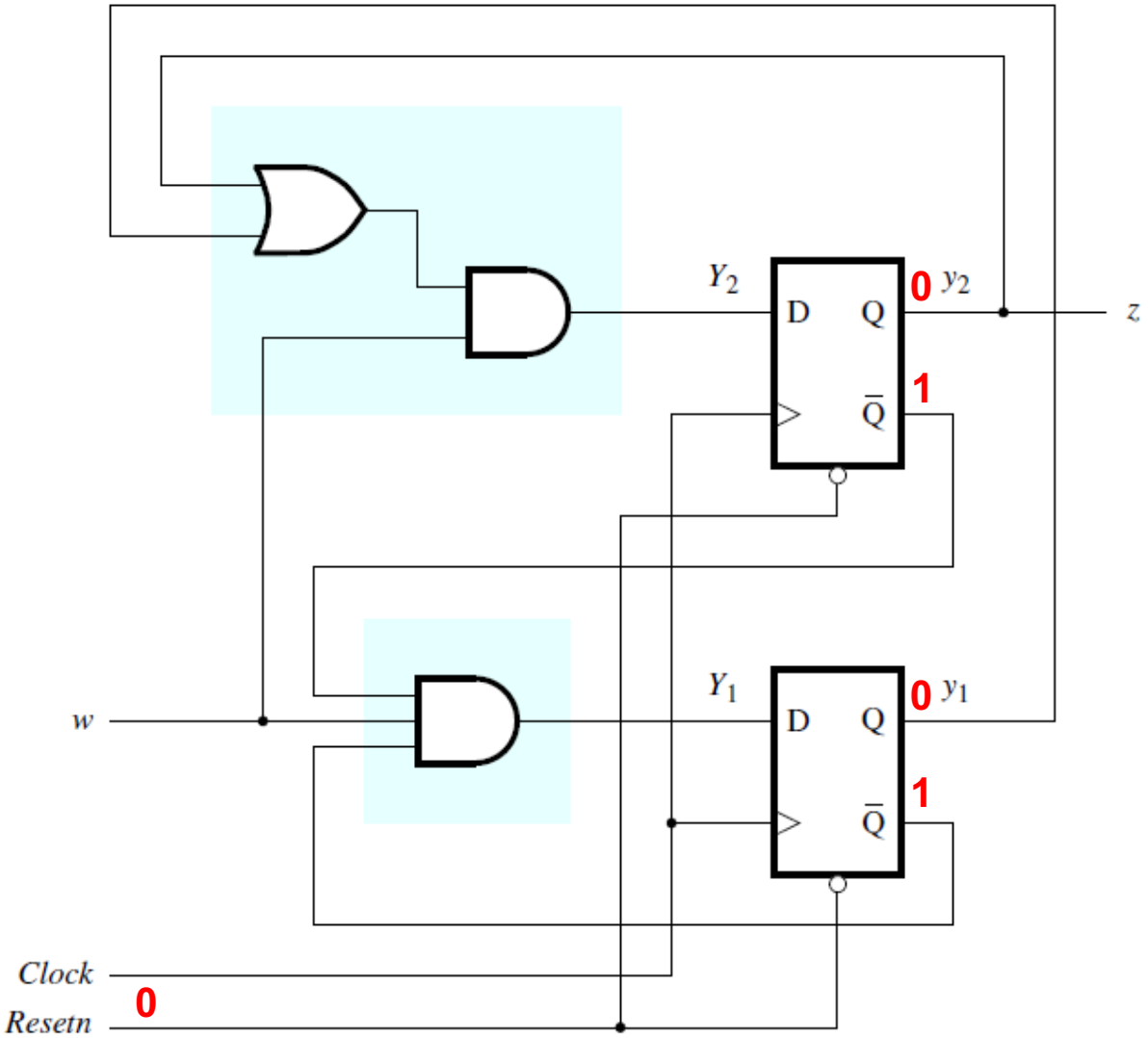
State A=00



When the reset signal is equal to zero it puts the machine back to its start state, which is state *00* (or A) in this case.

[Figure 6.8 from the textbook]

State A=00

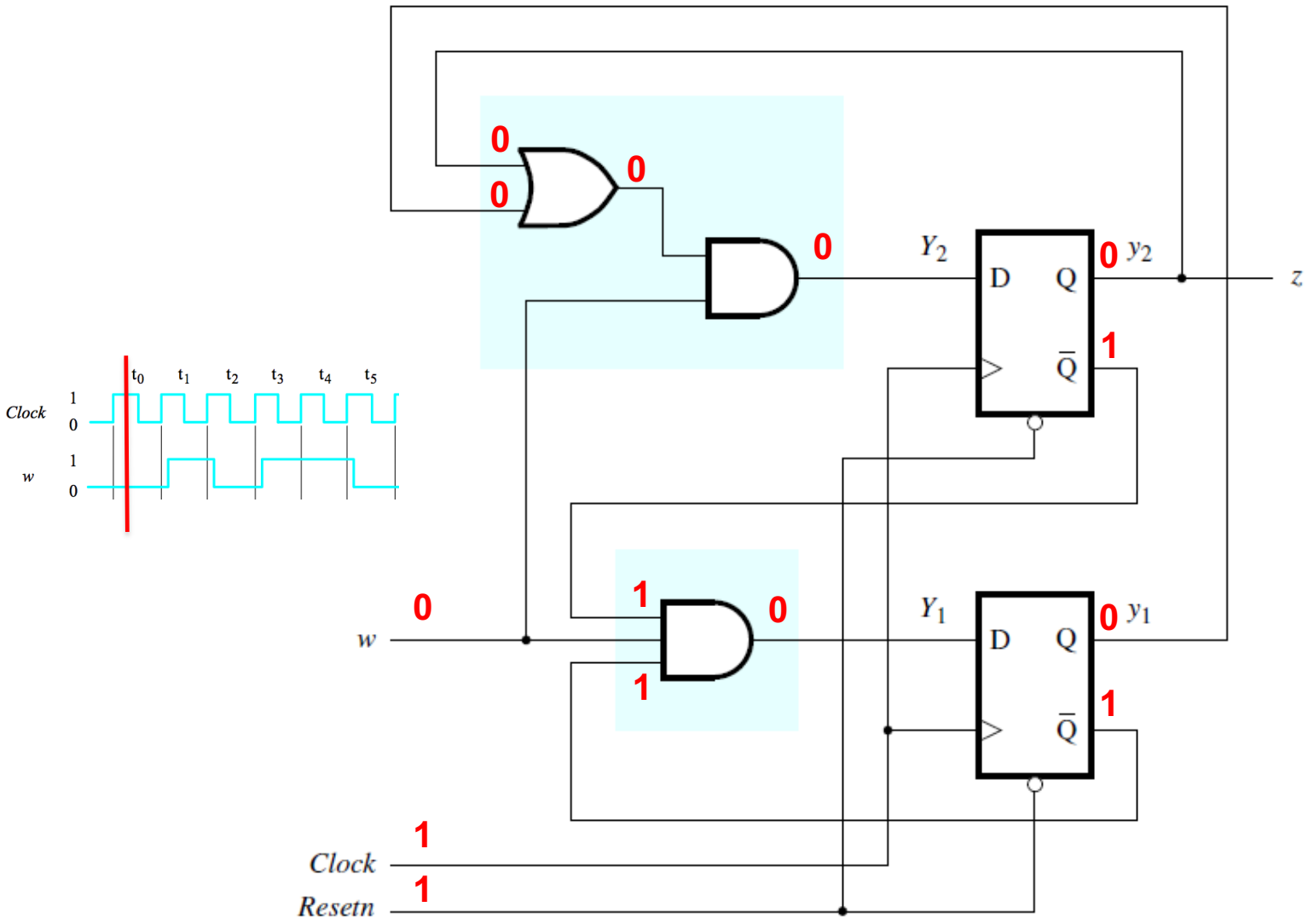


When the reset signal is equal to zero it puts the machine back to its start state, which is state *00* (or A) in this case.

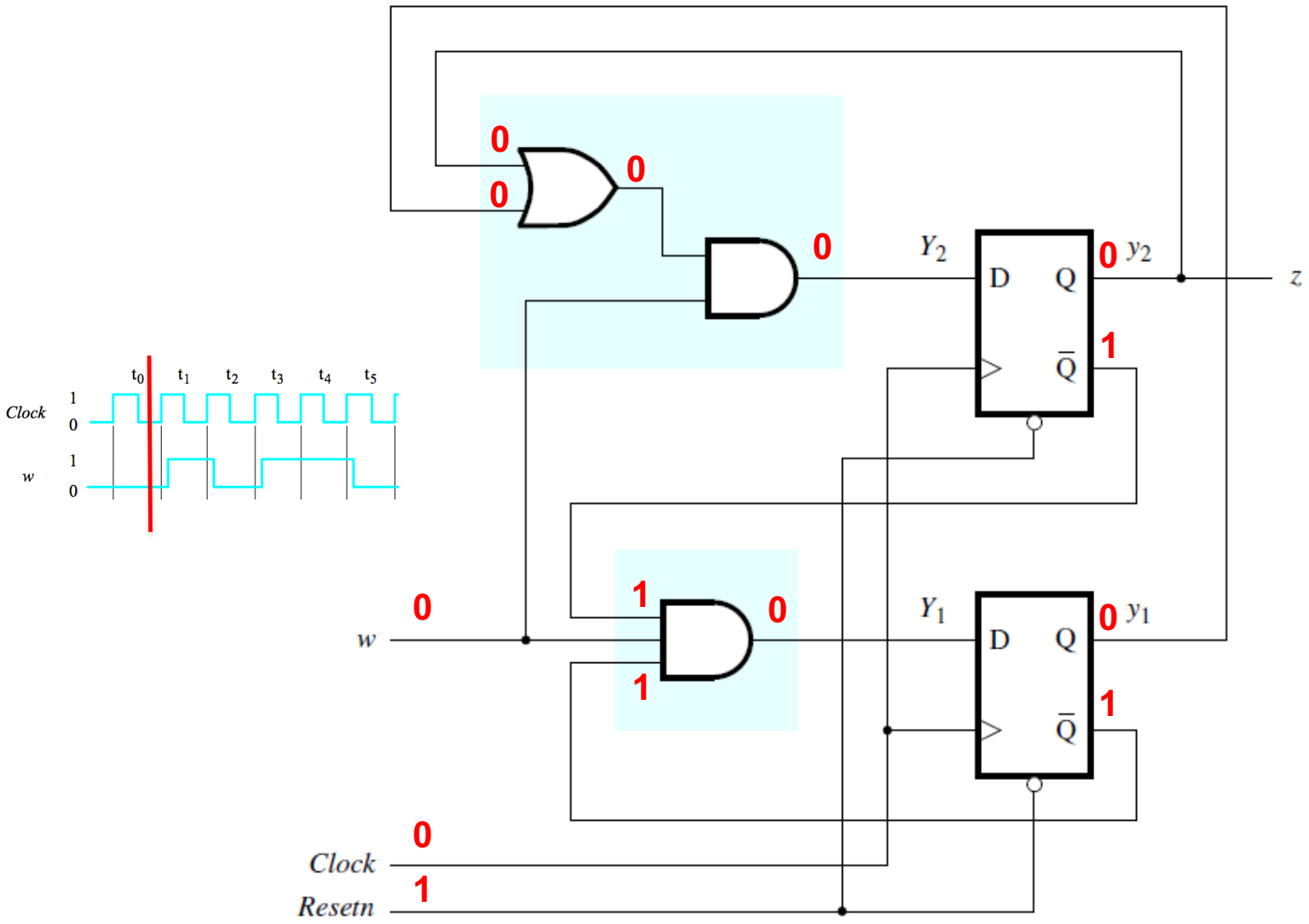
[Figure 6.8 from the textbook]

State = y_2 y_1

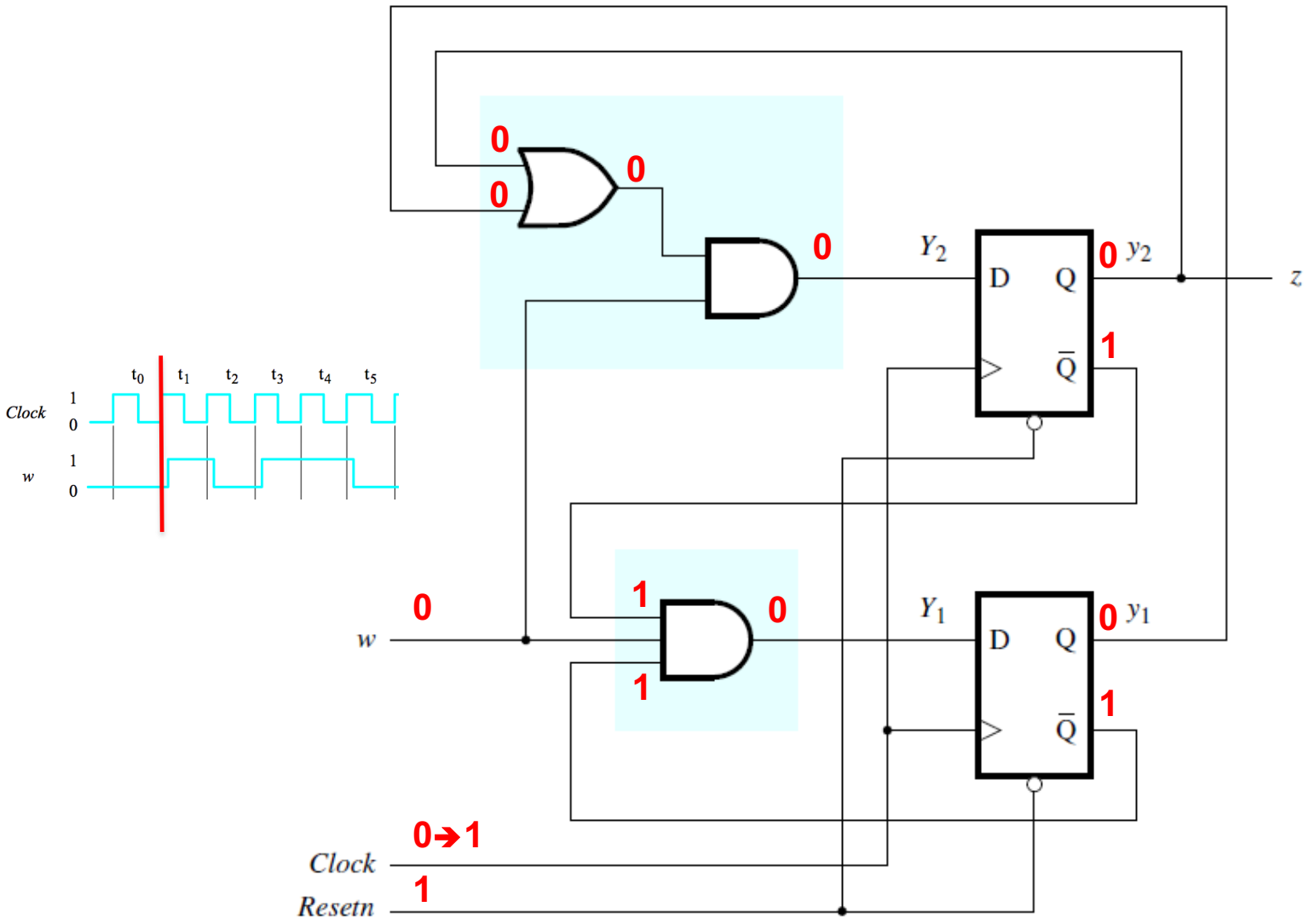
State A=00



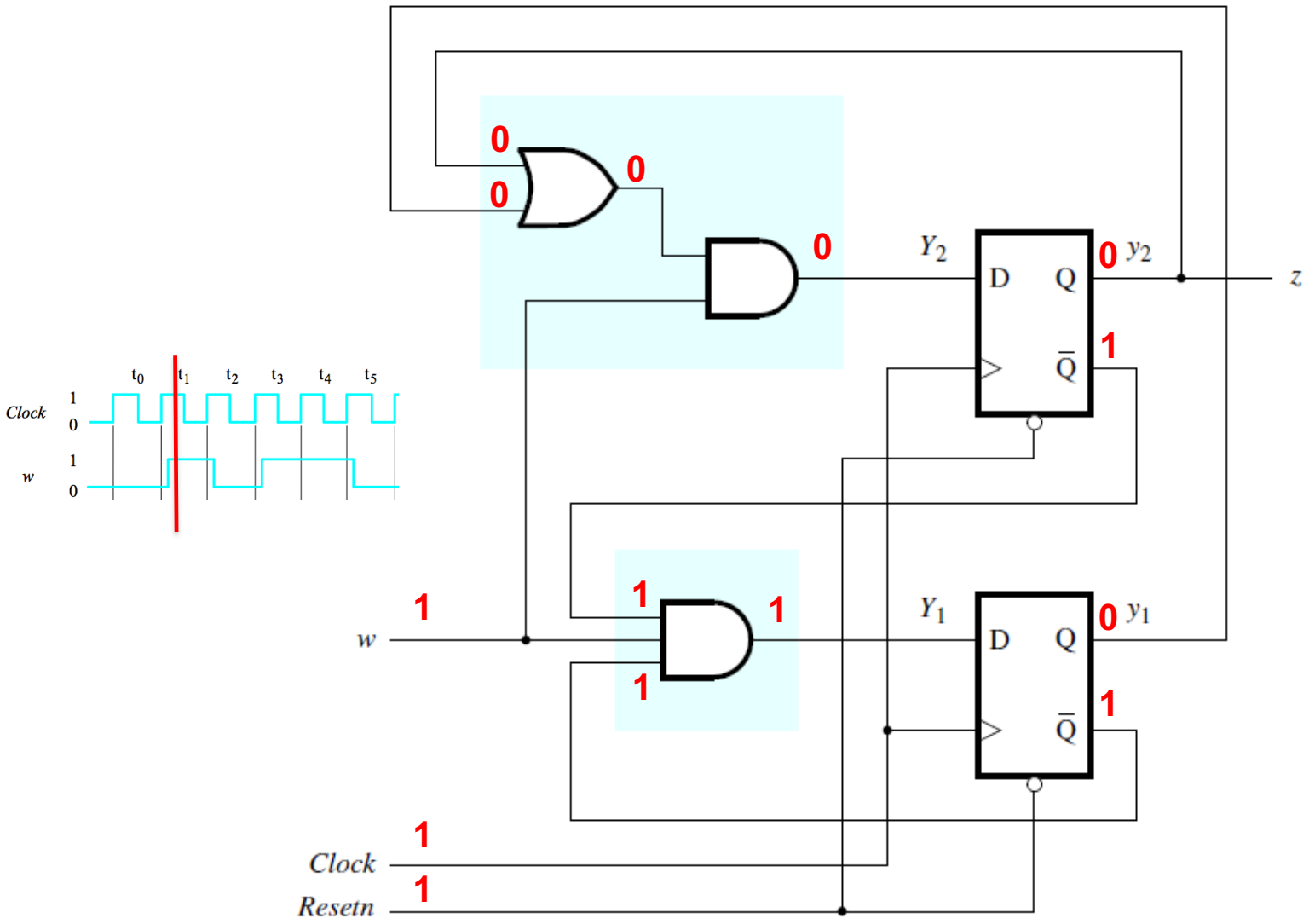
State A=00


Clock
w
t0
t1
t2
t3
t4
t5
0
0
0
0
Y2
D
Q
Q
y2
z
1
1
0
0
w
Y1
y1
1
1
0
Clock
Resetn
1

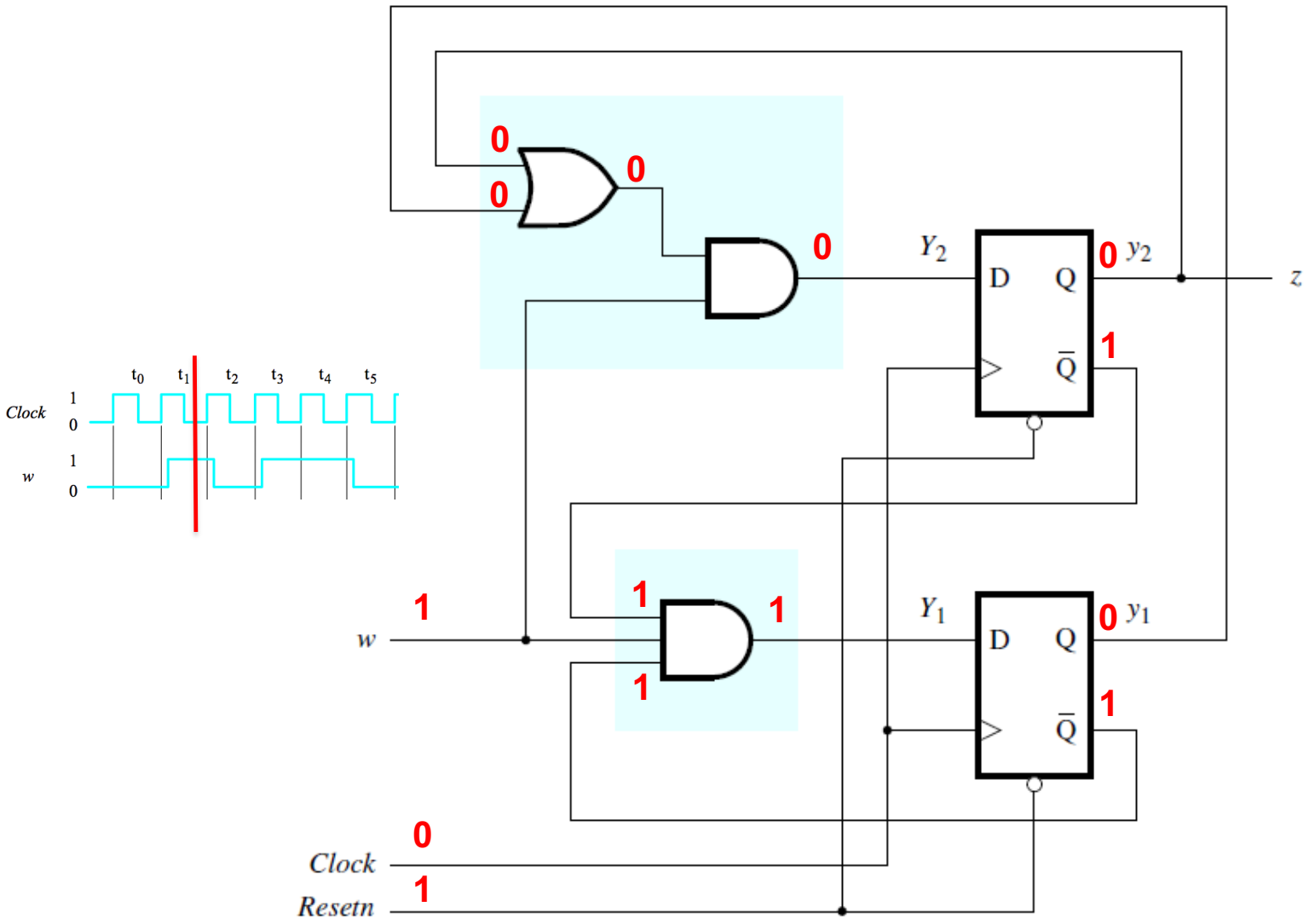
State A=00


0
0
0
0
Y_2
D
Q
$\bar{Q}$
0 y_2
1
z
t0 t1 t2 t3 t4 t5
Clock
w
1
0
1
0
0
1
1
0
Y_1
D
Q
$\bar{Q}$
0 y_1
1
w
0→1
Clock
1
Resetn

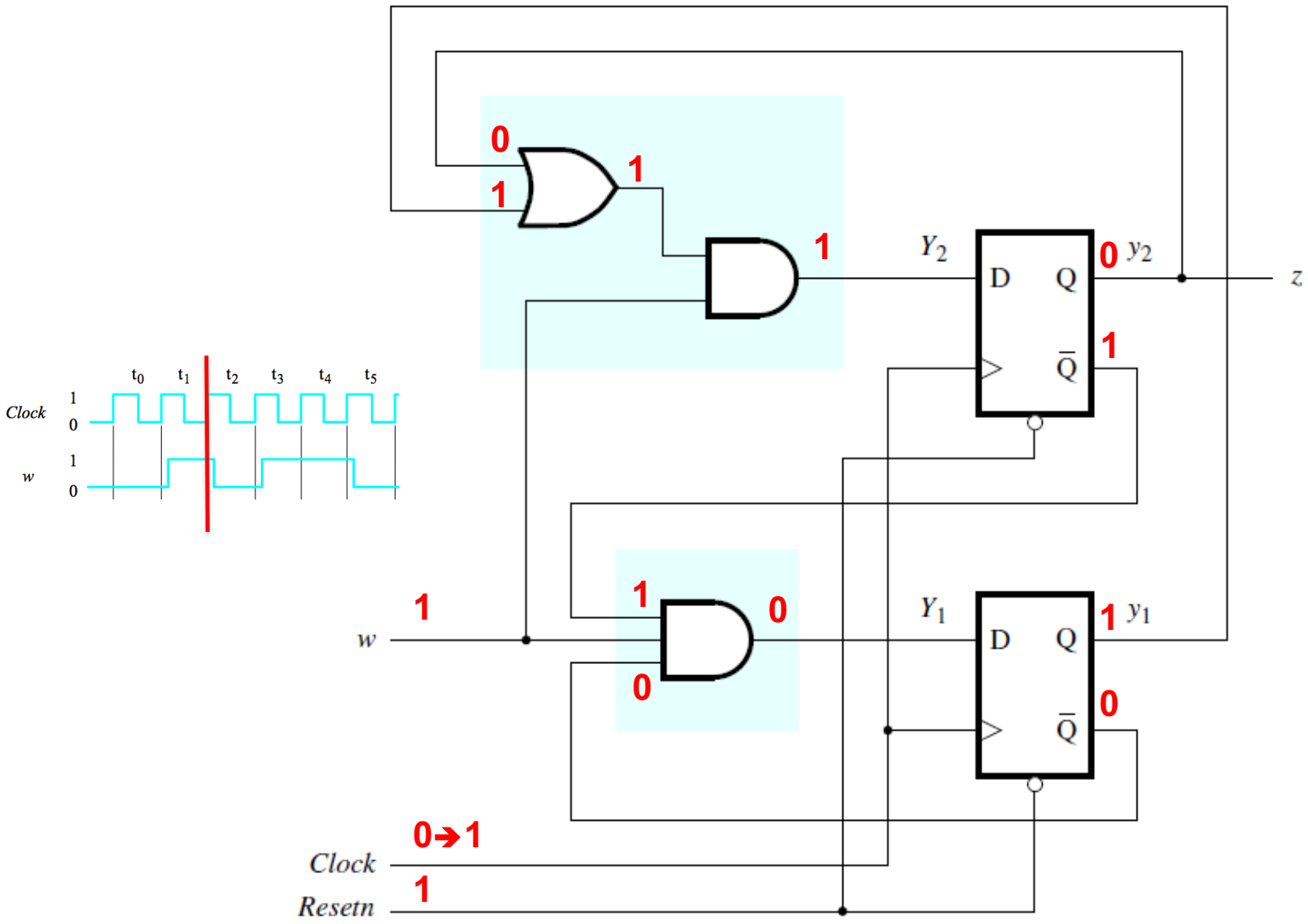
State A=00


0
0
0
0
Y_2
D
Q
$\bar{Q}$
0 y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
1
w
1
1
1
Y_1
D
Q
$\bar{Q}$
0 y_1
1
1
Clock
1
Resetn

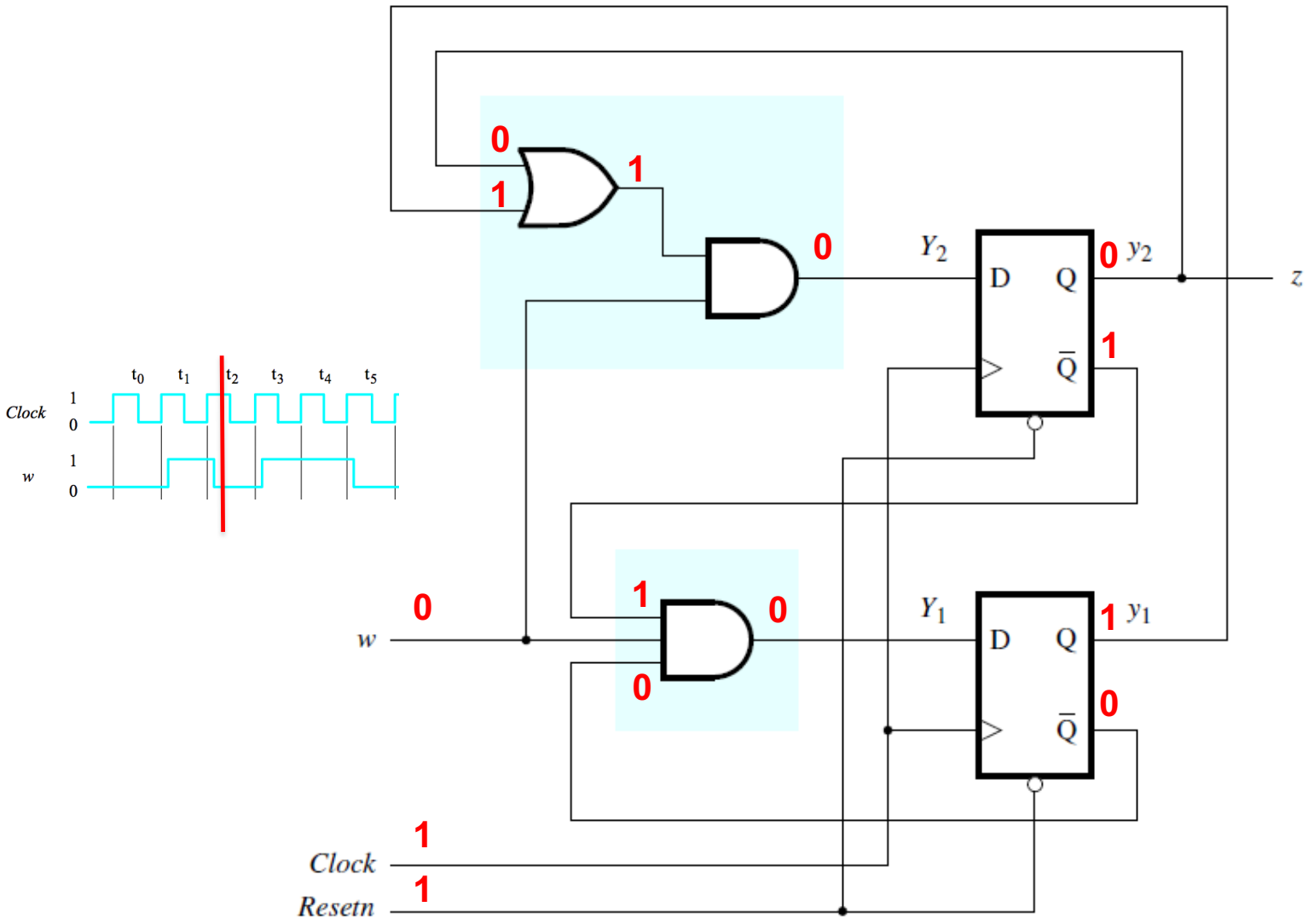
State A=00



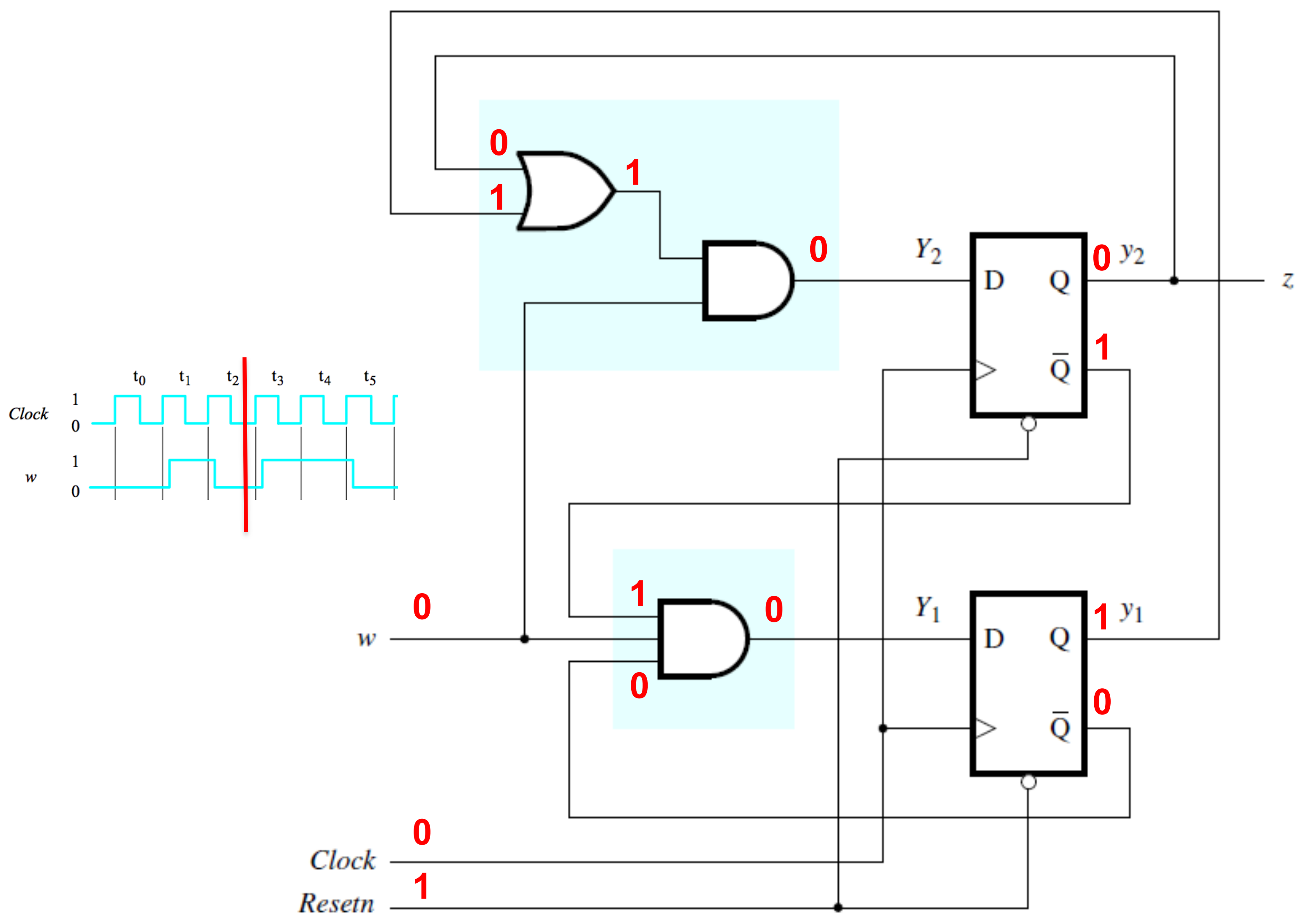
State B=01


0
1
1
1
Y_2
D
Q
$\bar{Q}$
0
y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
1
0
1
0
Y_1
D
Q
$\bar{Q}$
1
y_1
0
w
1
0→1
Clock
Resetn
1

State B=01

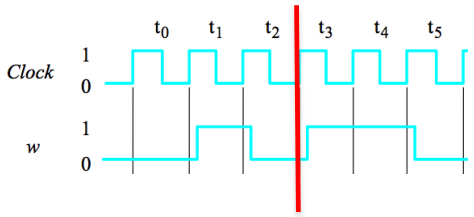

Clock
w
t0
t1
t2
t3
t4
t5
0
1
0
1
0
Y2
D
Q
Q
0
y2
1
z
1
0
0
w
1
0
Y1
D
Q
Q
1
y1
0
1
Clock
1
Resetn

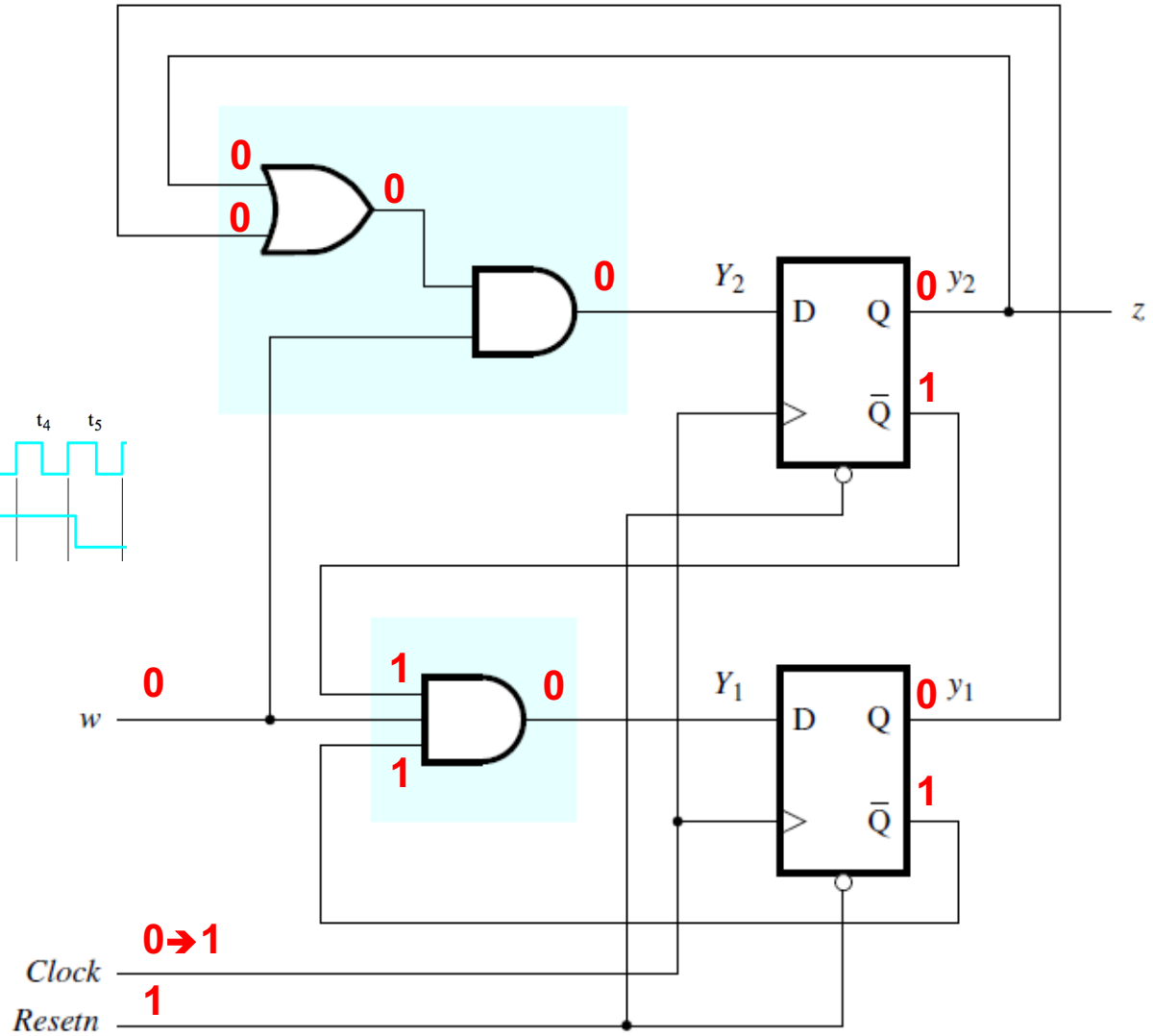
State B=01



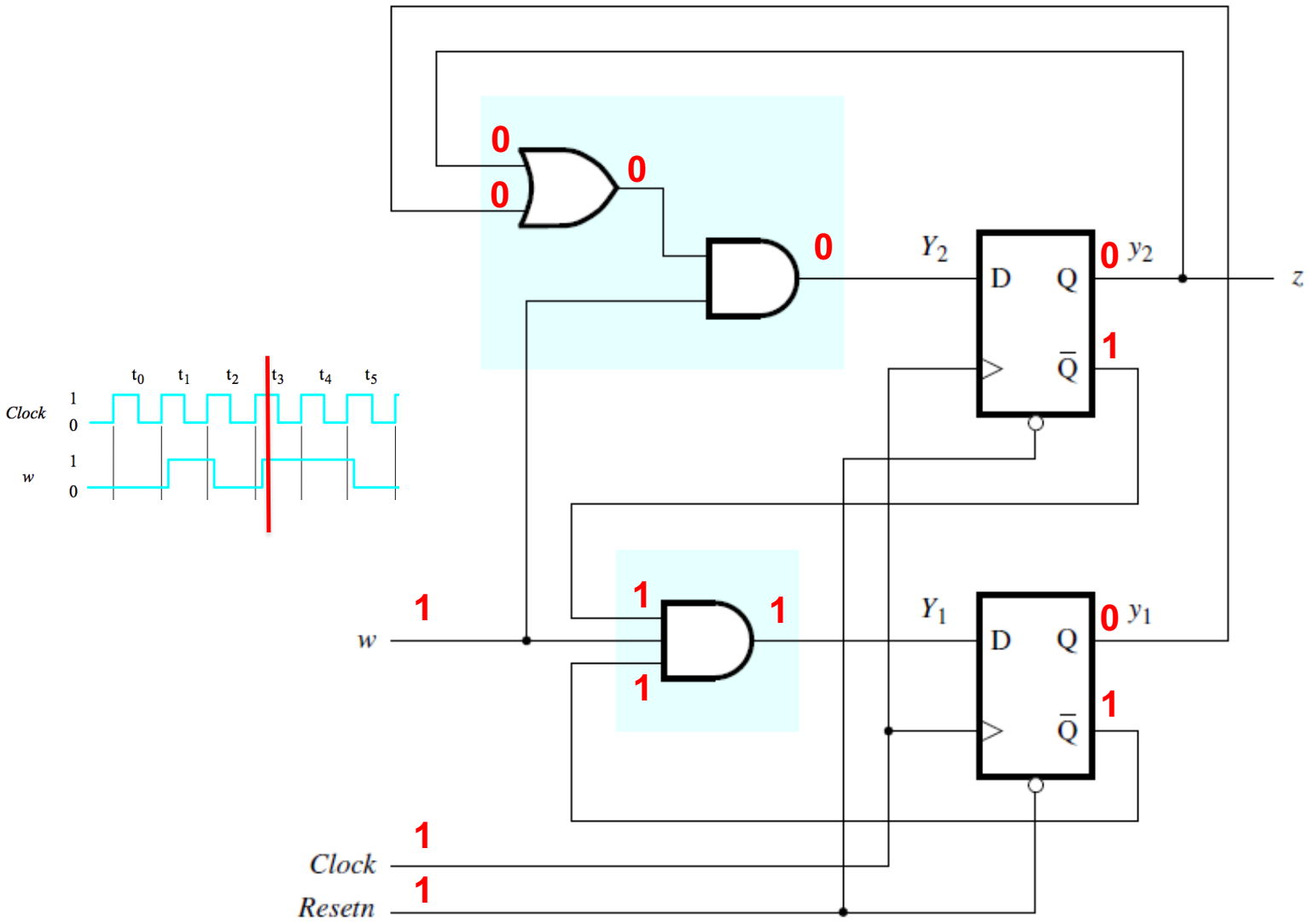
t0
t1
t2
t3
t4
t5
Clock
w
1
0
1
0
0
1
1
0
0
1
0
1
0
1
0
Y2
Y1
D
Q
Q̄
y2
y1
z
w
Clock
Resetn

State A=00

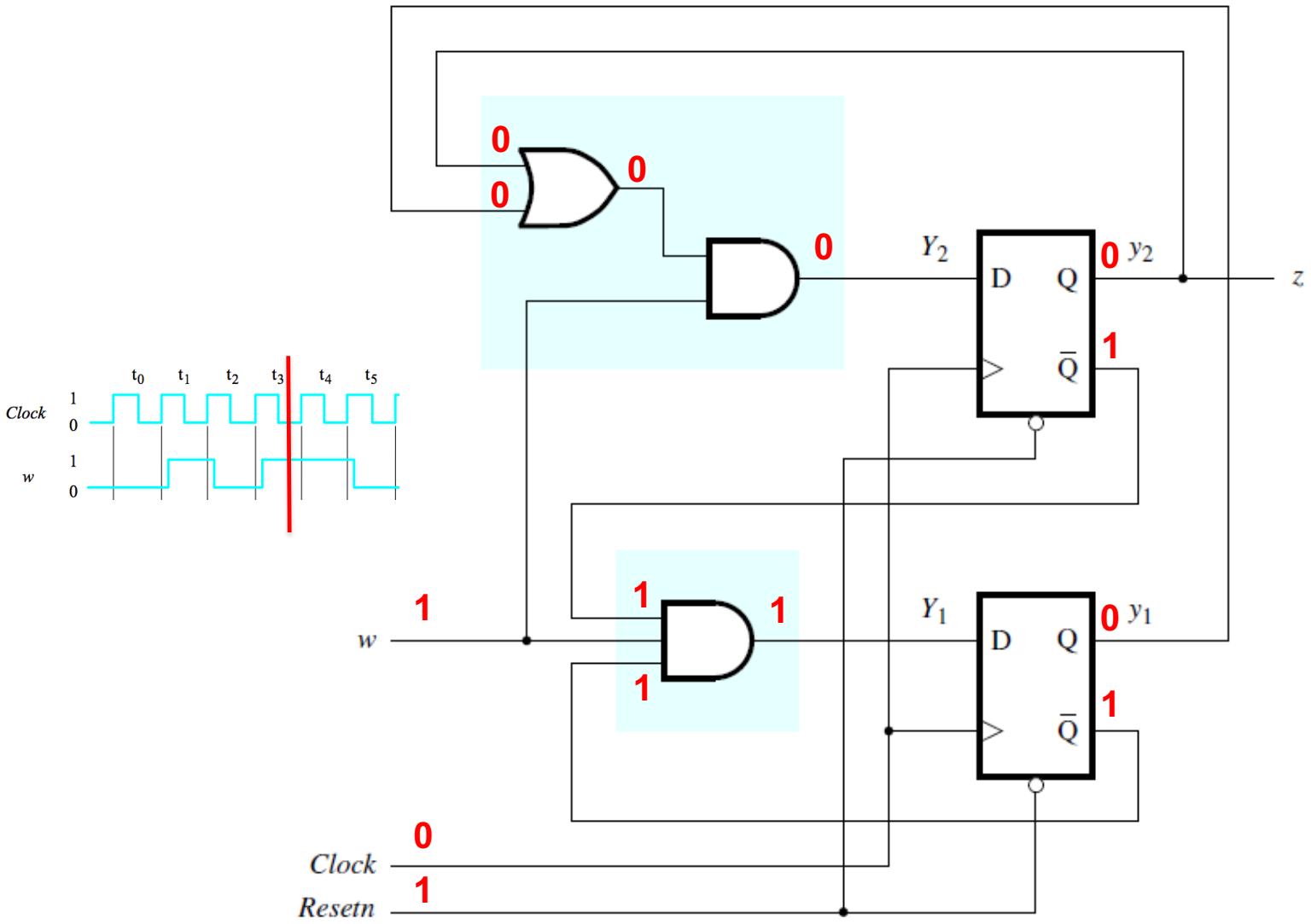

t0 t1 t2 t3 t4 t5
Clock
1
0
w
1
0


0
0
0
0
Y2
D
Q
Q̄
0 y2
1
z
1
0
w
0
1
1
Y1
D
Q
Q̄
0 y1
1
0→1
Clock
1
Resetn

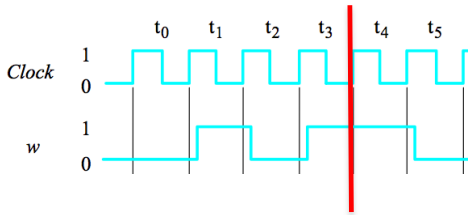
State A=00

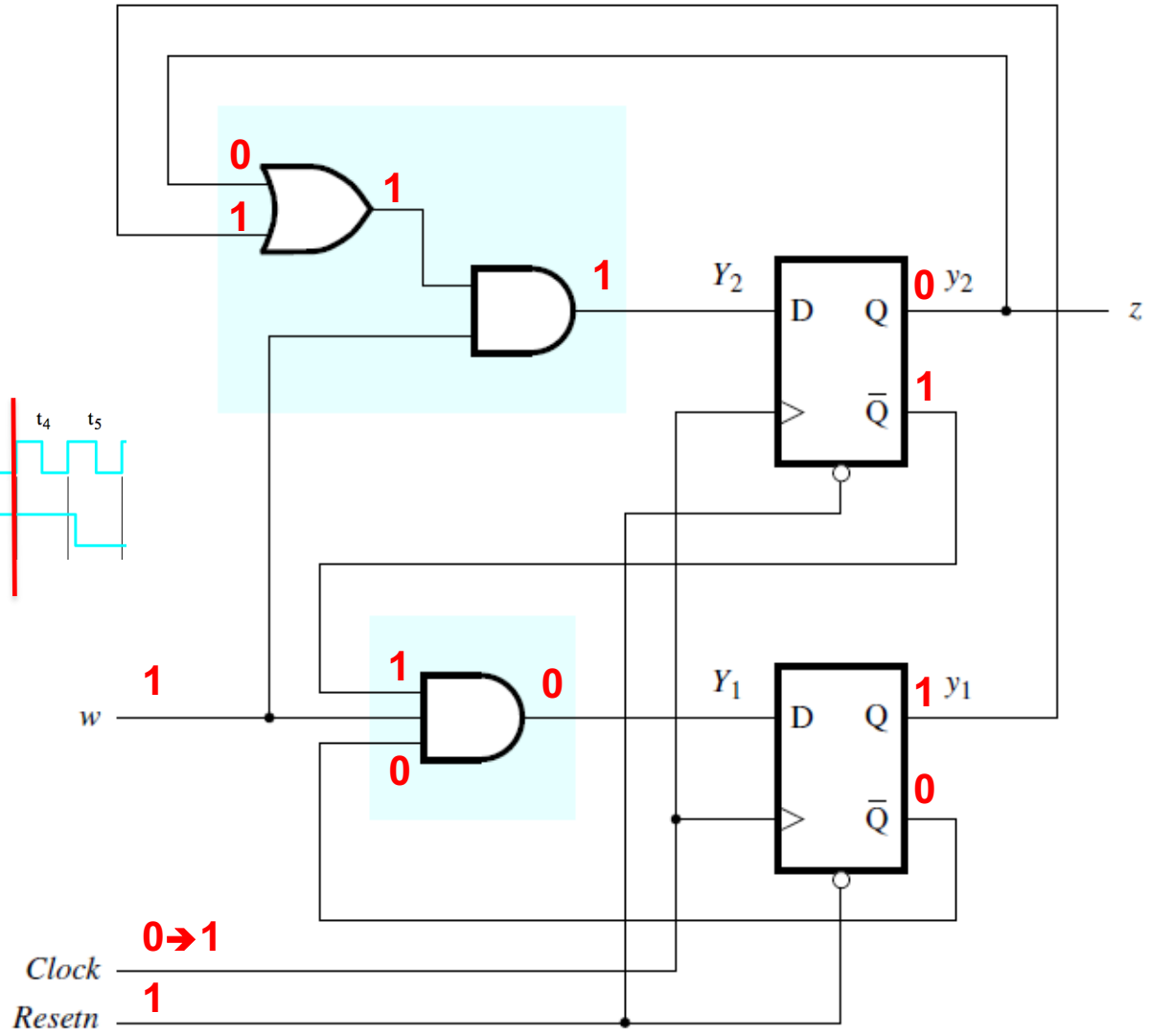

0
0
0
0
Y_2
D
Q
$\bar{Q}$
0 y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
1
1
1
1
w
Y_1
D
Q
$\bar{Q}$
0 y_1
1
1
Clock
Resetn

State A=00

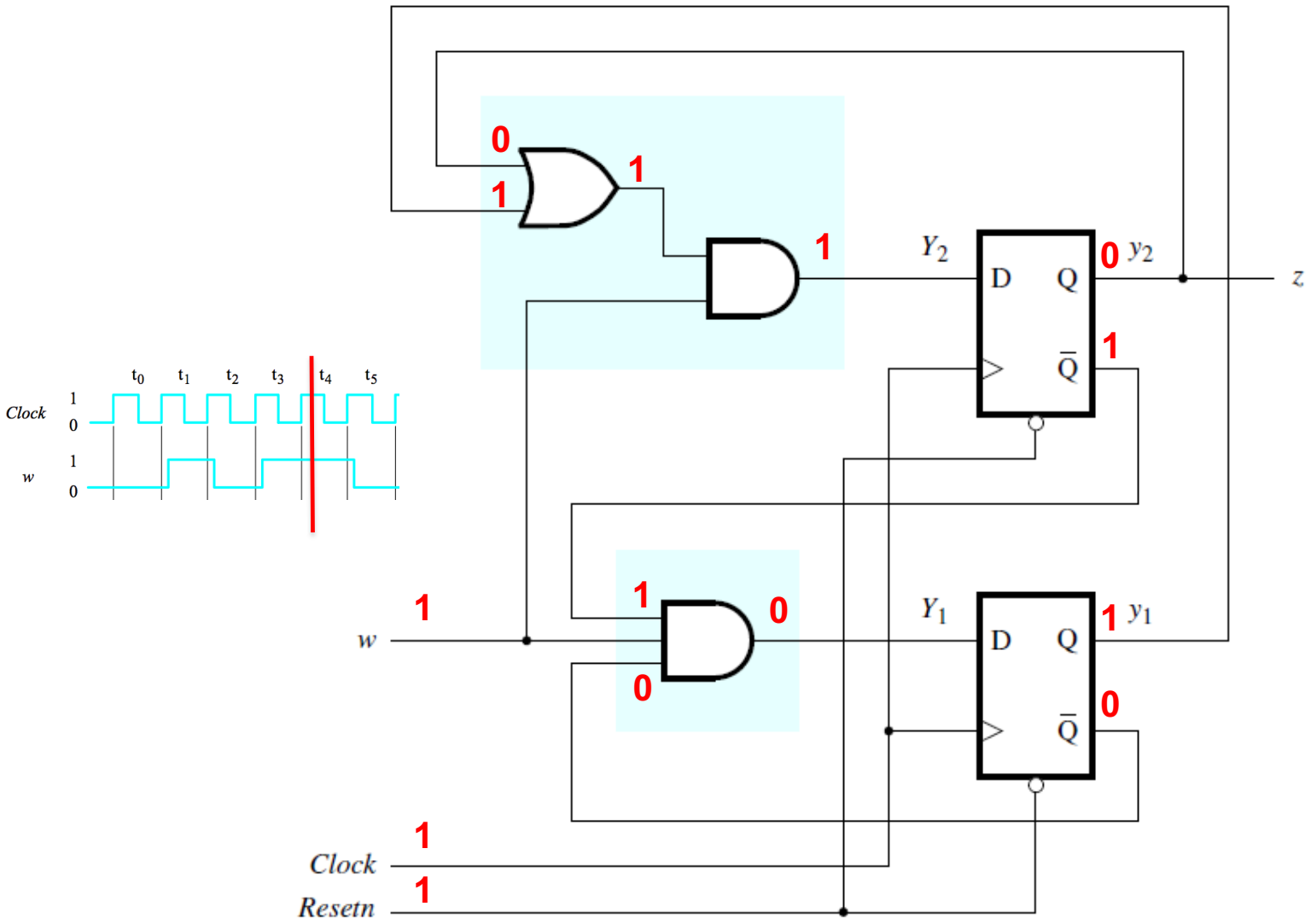

0
0
0
0
Y_2
D
Q
$\overline{Q}$
0 y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
1
1
1
1
w
Y_1
D
Q
$\overline{Q}$
0 y_1
1
0
Clock
1
Resetn

State B=01

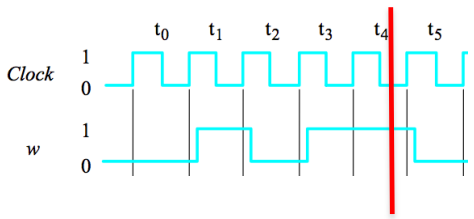

t0 t1 t2 t3 t4 t5
Clock
w
1
0
1
0

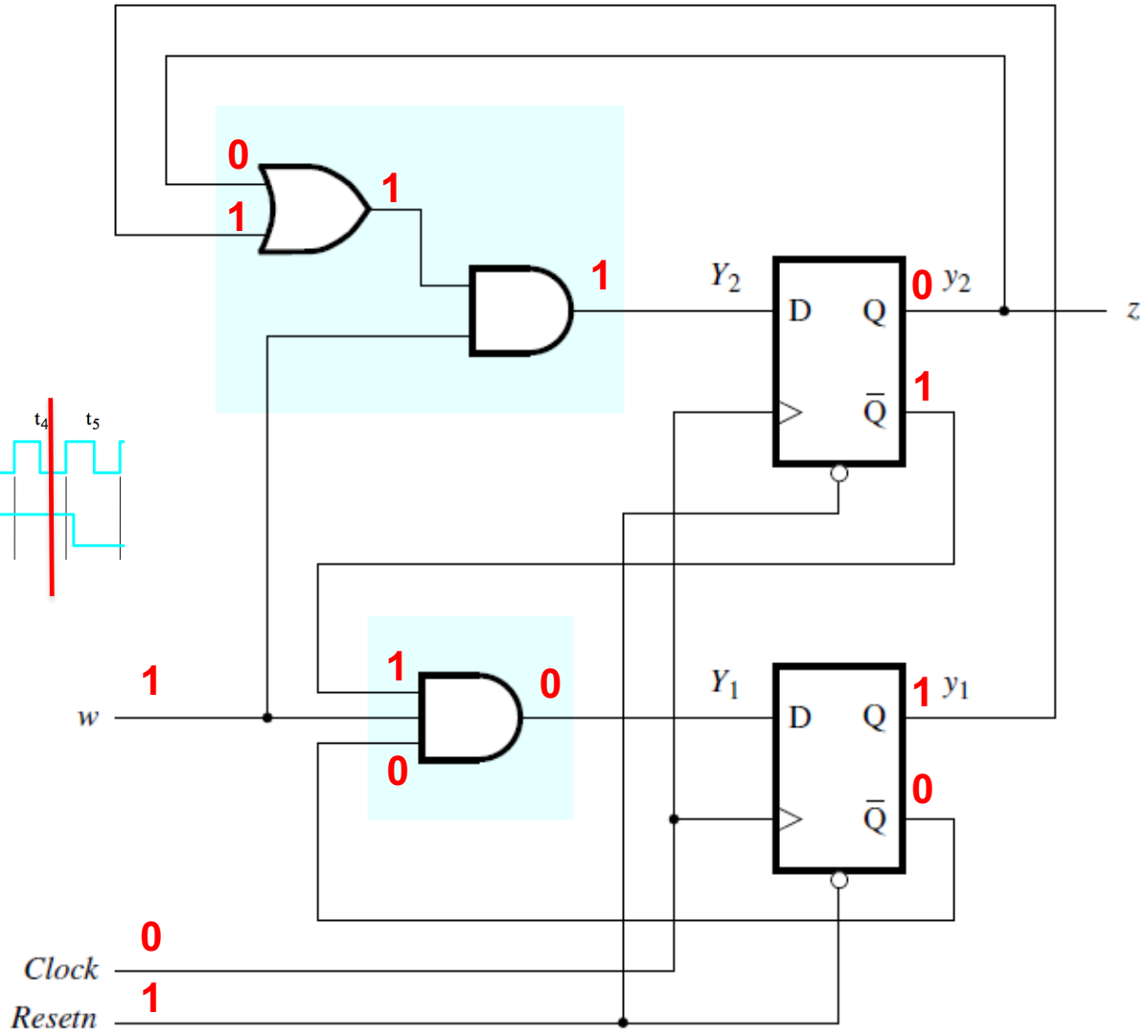

0
1
1
1
Y2
D
Q
Q̄
0
y2
1
z
1
1
0
w
1
0
Y1
D
Q
Q̄
1
y1
0
0→1
Clock
1
Resetn

State B=01

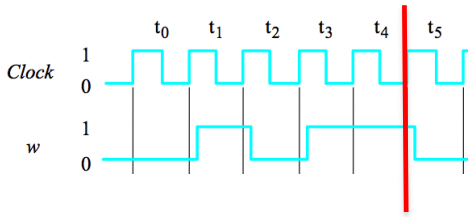

0
1
1
1
Y_2
D
Q
$\bar{Q}$
0
y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
1
0
1
0
w
1
Y_1
D
Q
$\bar{Q}$
1
y_1
0
Clock
Resetn
1
1

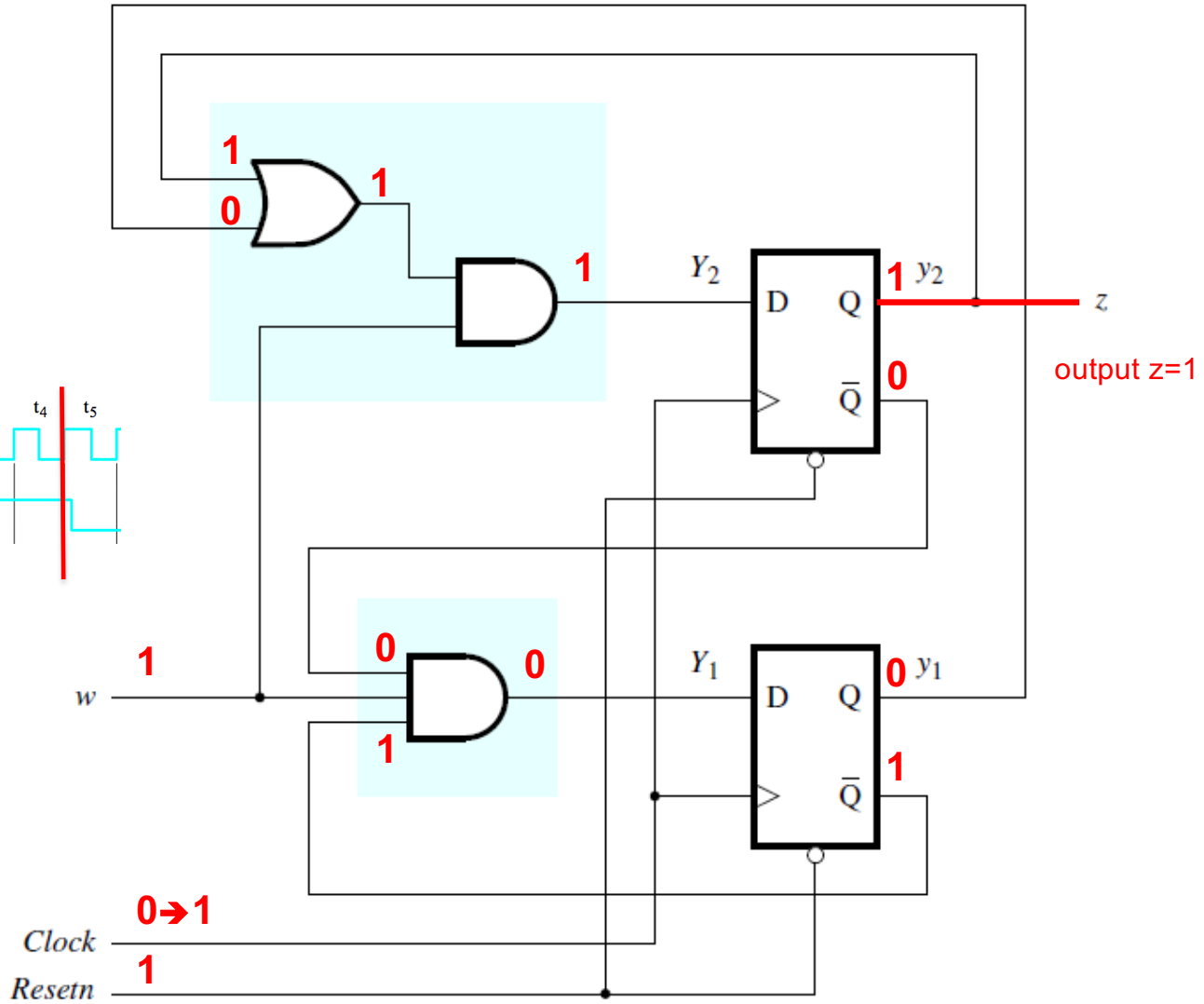
State B=01


t0 t1 t2 t3 t4 t5
Clock
w
1
0
1
0

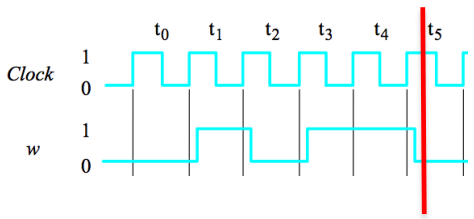

0
1
1
1
Y2
D
Q
Q
0 y2
1
z
1
1
0
w
1
0
Y1
D
Q
Q
1 y1
0
0
Clock
Resetn
0
1

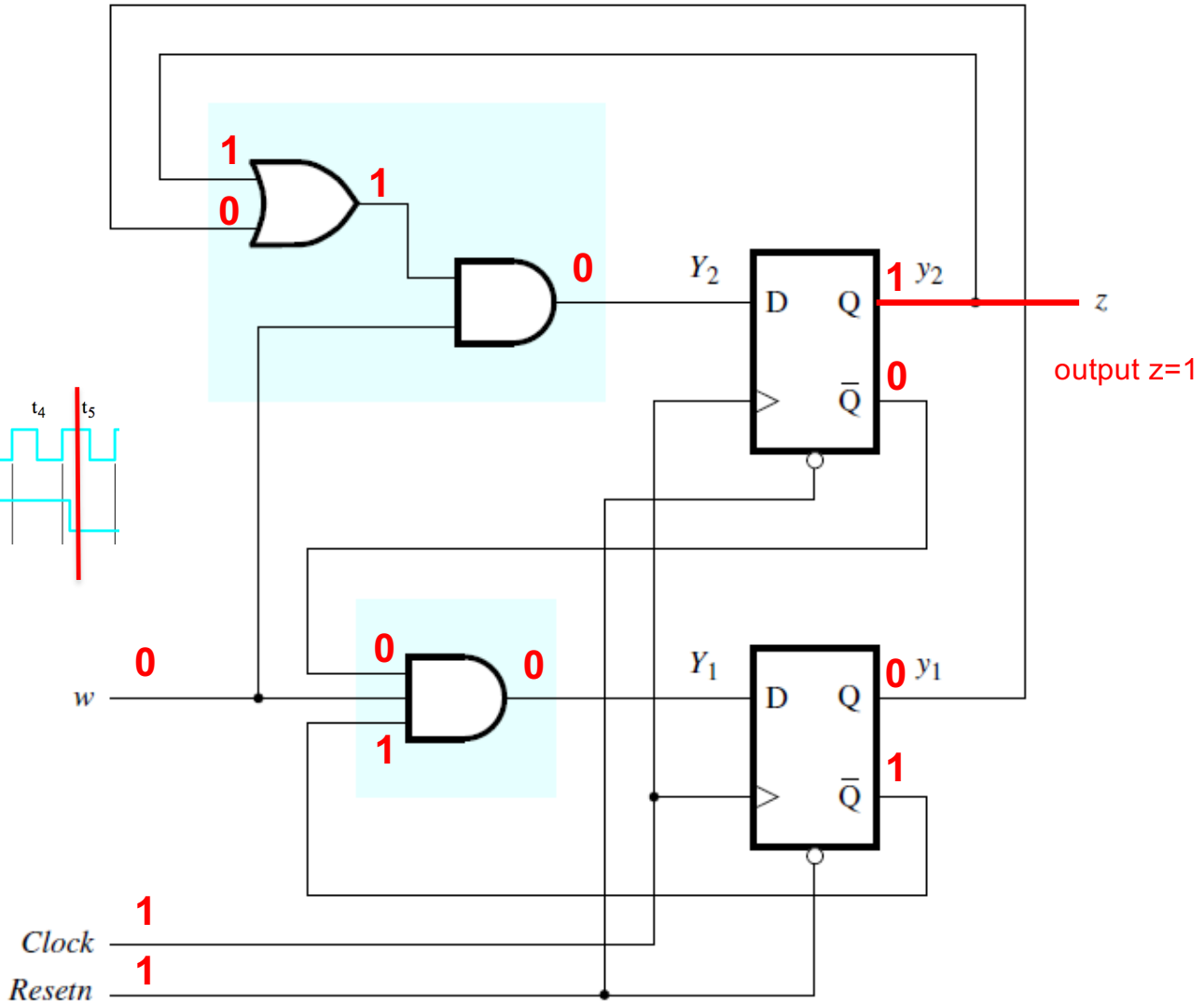
State C=10


t0 t1 t2 t3 t4 t5
Clock
w
1
0
1
0

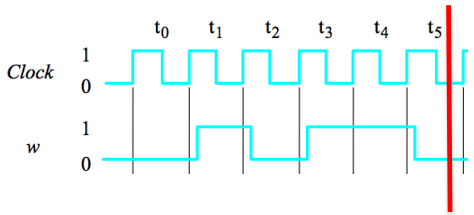

1
0
1
1
Y2
D
Q
1 y2
0
z
output z=1
w
1
0
0
1
Y1
D
Q
0 y1
1
0➔1
Clock
1
Resetn

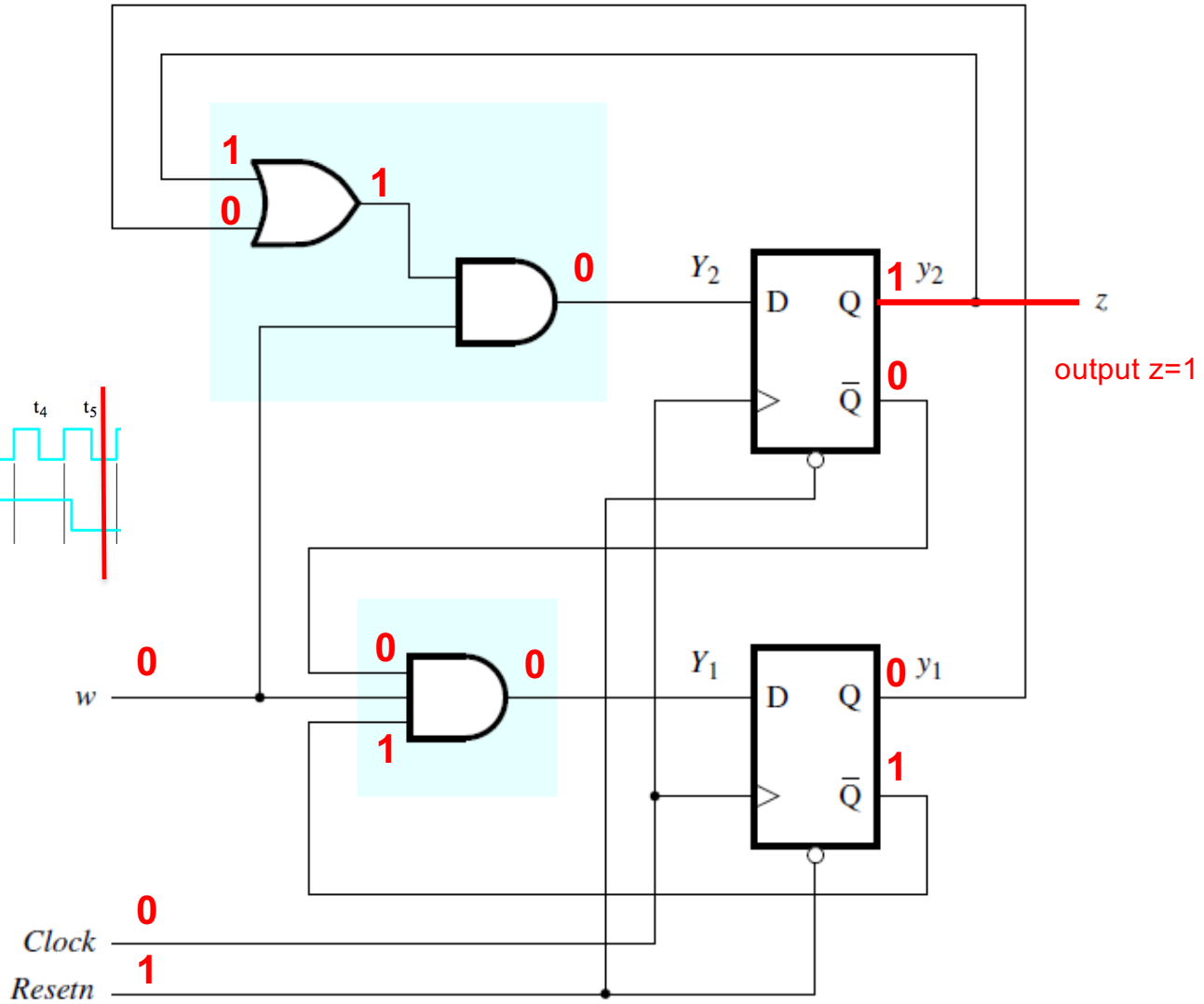
State C=10


t0 t1 t2 t3 t4 t5
Clock
1
0
w
1
0

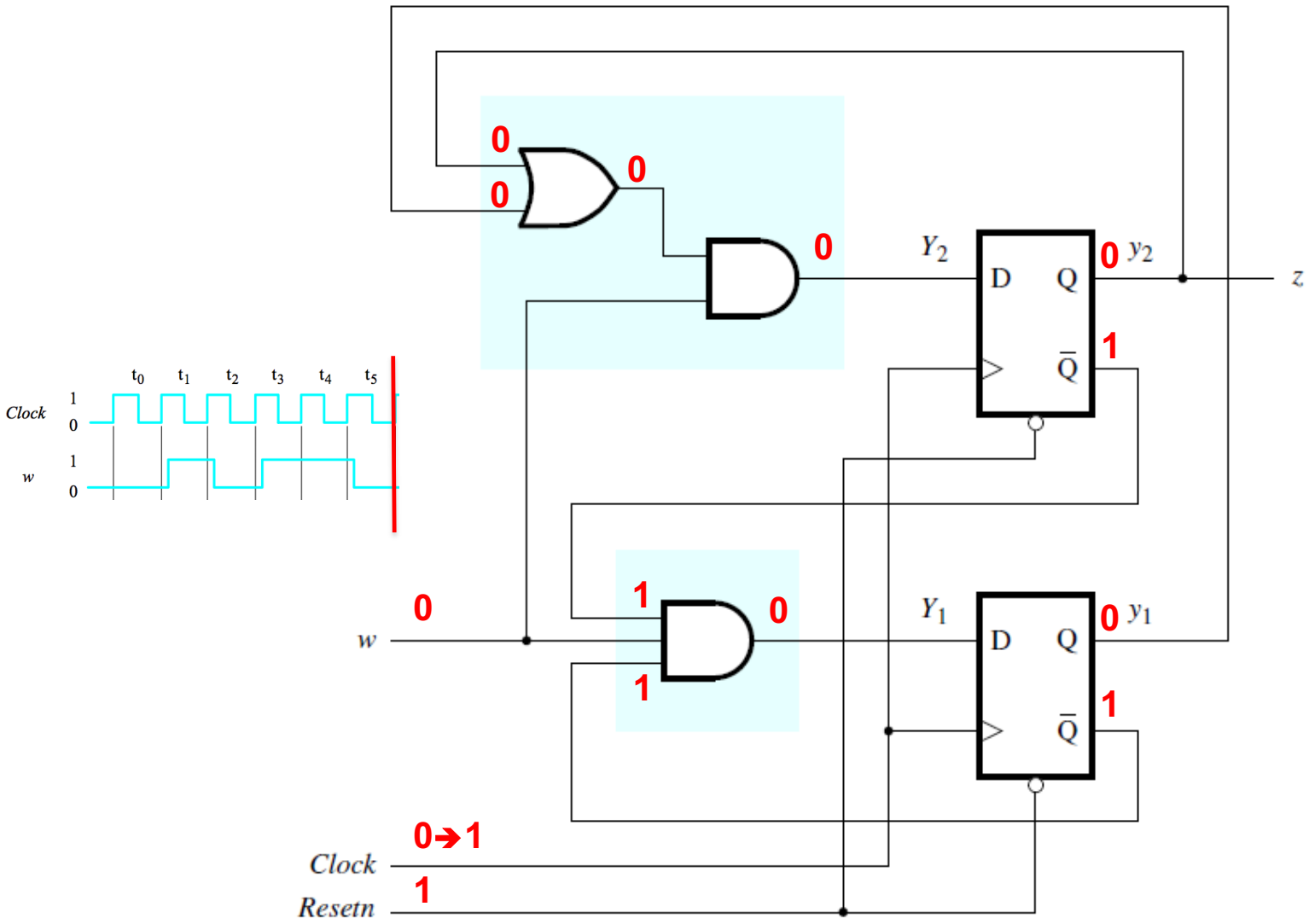

1
0
1
0
Y2
D
Q
1 y2
z
0
output z=1
0
0
0
w
0
1
Y1
D
Q
0 y1
1
1
Clock
1
Resetn
1

State C=10

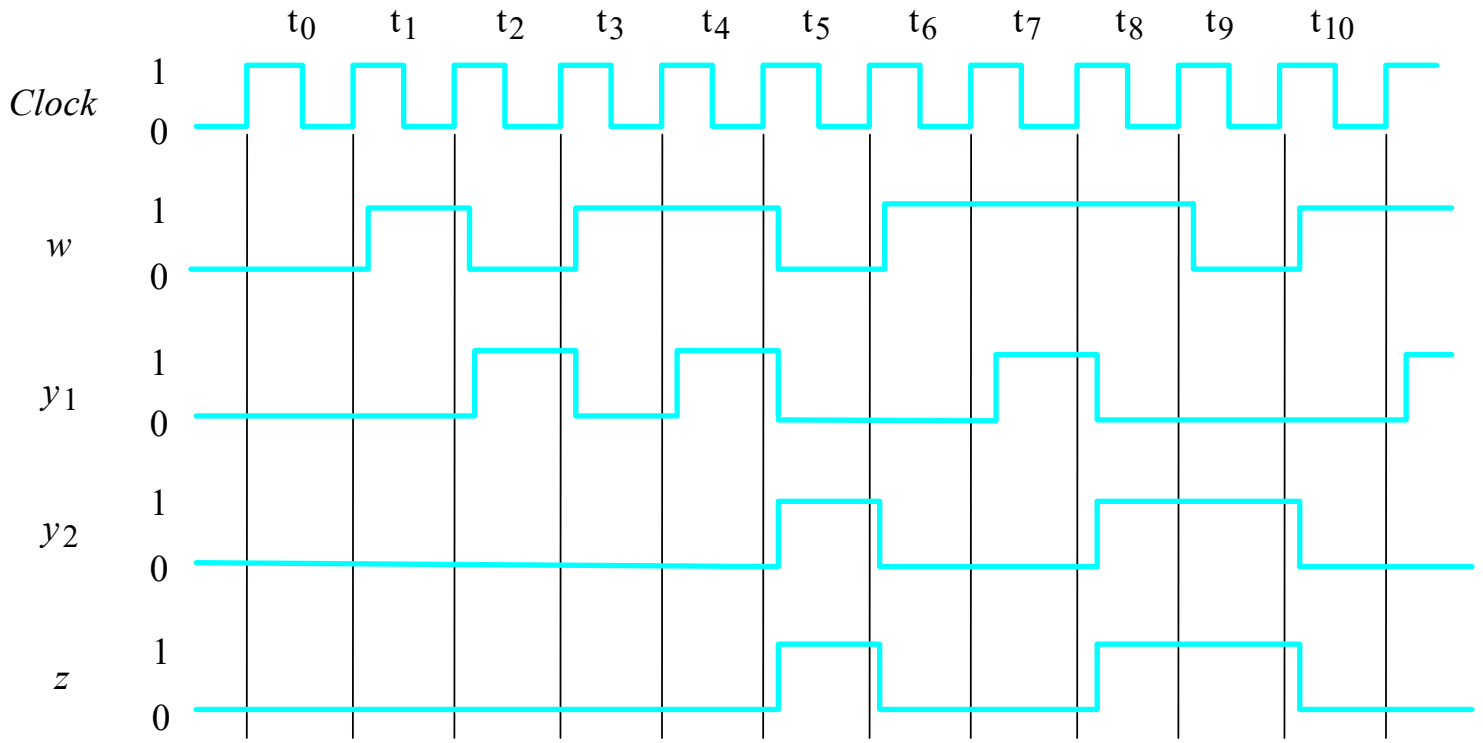

t0 t1 t2 t3 t4 t5
Clock
w
1
0
1
0


1
0
1
0
Y2
D
Q
1 y2
z
0
output z=1
0
0
0
w
0
1
Y1
D
Q
0 y1
1
0
Clock
1
Resetn

State A=00

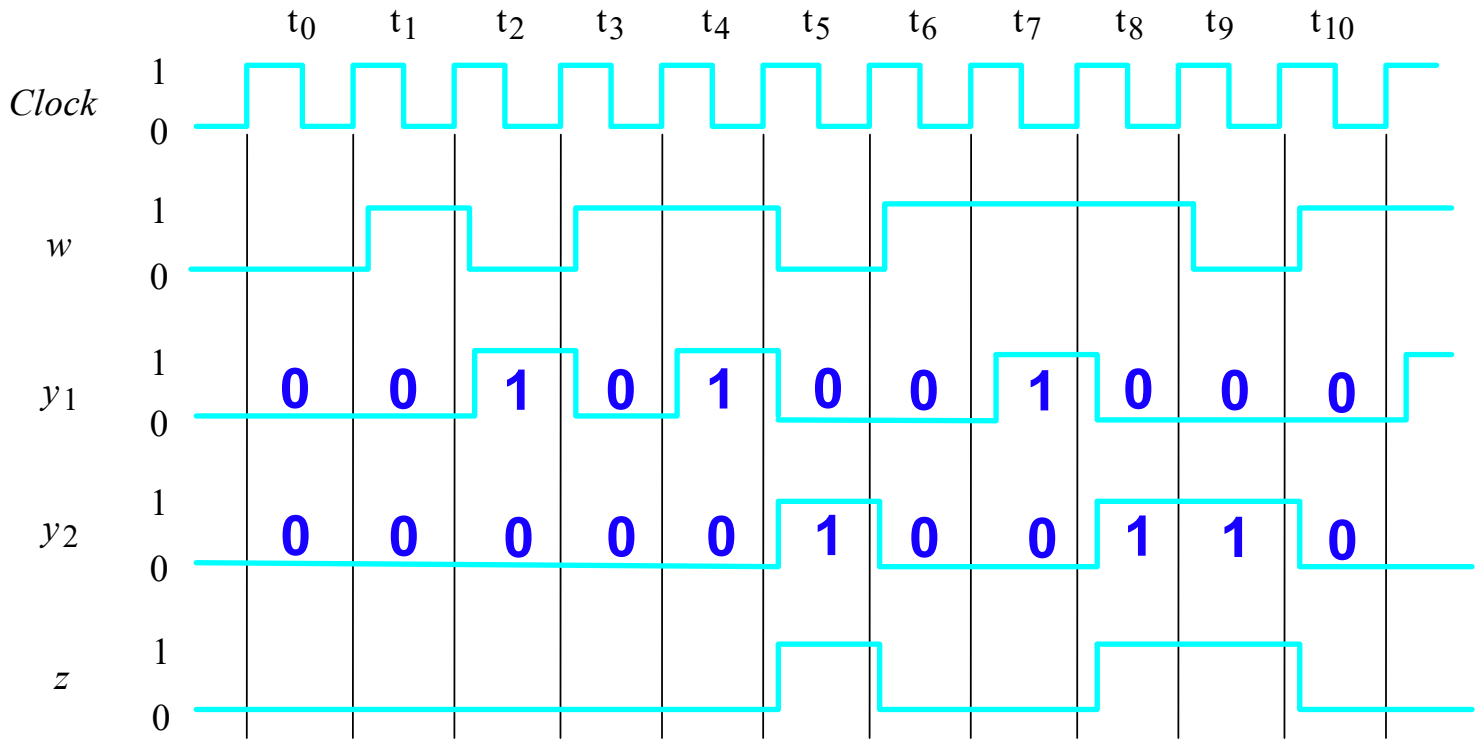

0
0
0
0
Y_2
D
Q
$\bar{Q}$
0 y_2
1
z
t_0 t_1 t_2 t_3 t_4 t_5
Clock
w
1
0
1
0
0
1
1
0
Y_1
D
Q
$\bar{Q}$
0 y_1
1
w
0→1
Clock
1
Resetn

Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0

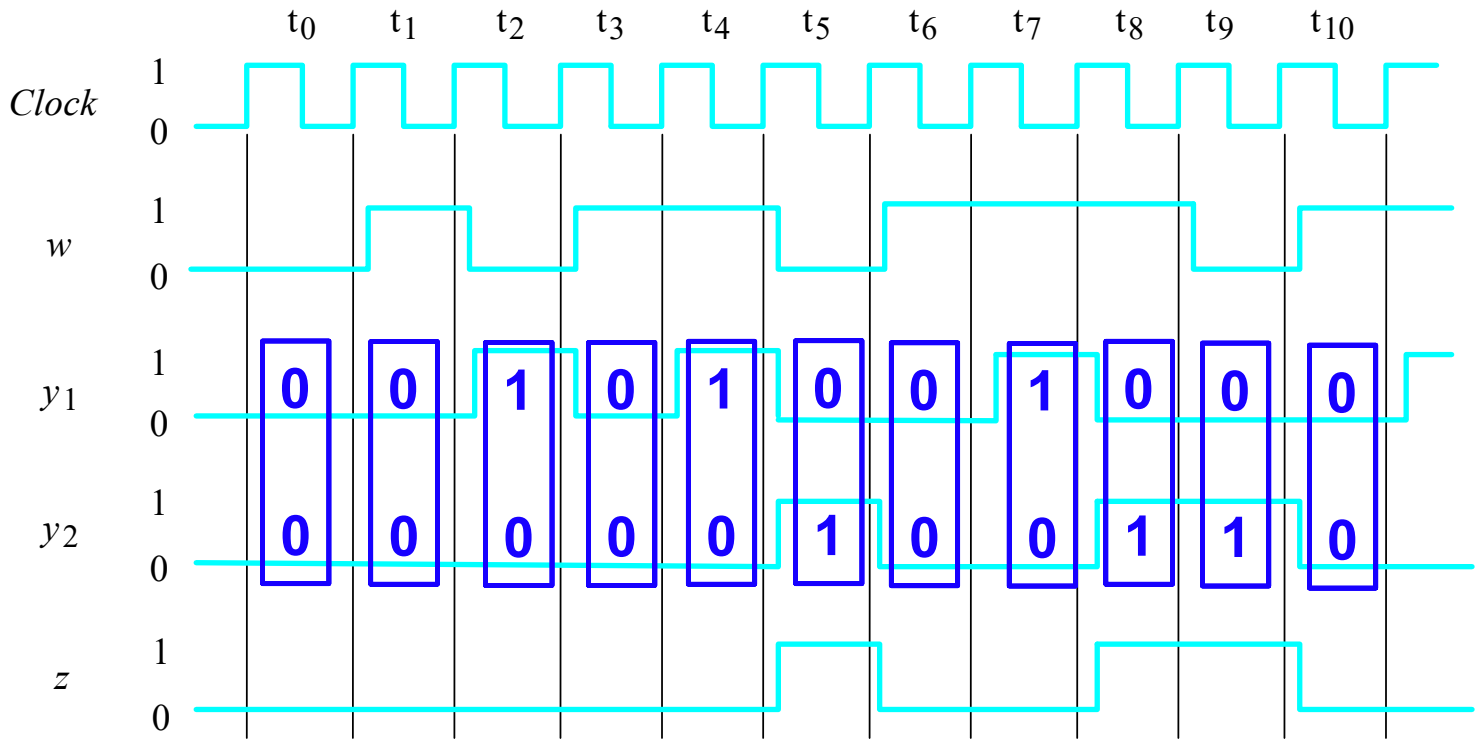


[Figure 6.9 from the textbook]

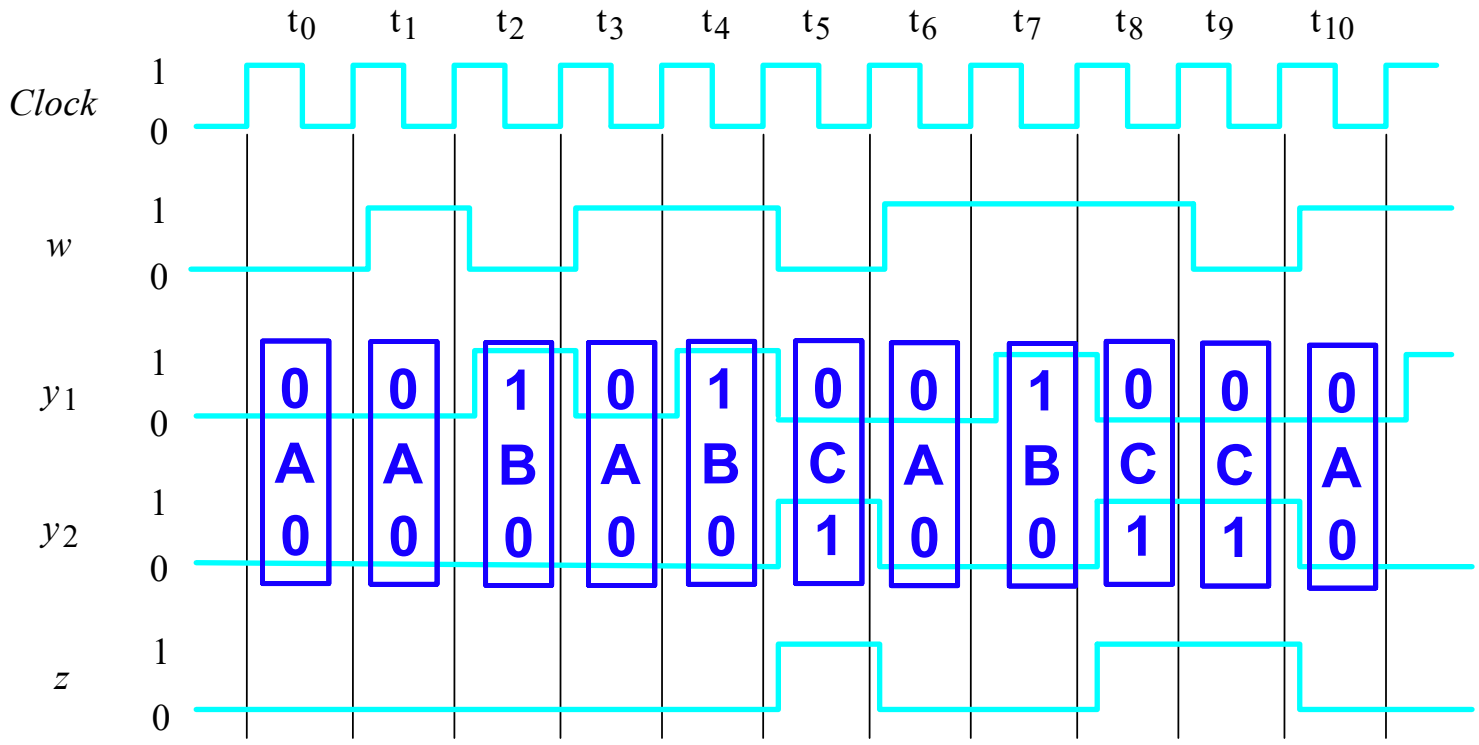
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



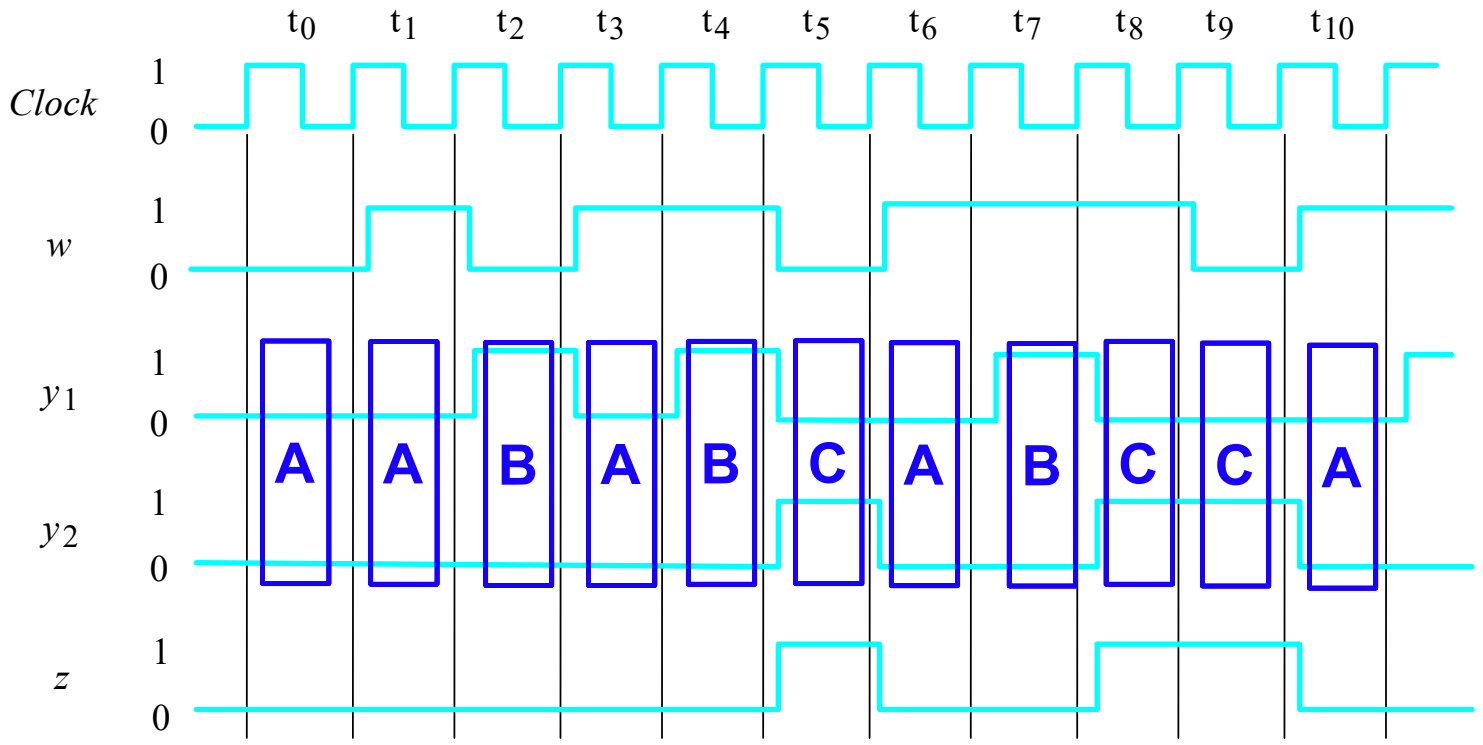
Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



Clockcycle:	t_0	t_1	t_2	t_3	t_4	t_5	t_6	t_7	t_8	t_9	t_{10}
w:	0	1	0	1	1	0	1	1	1	0	1
z:	0	0	0	0	0	1	0	0	1	1	0



Summary: Designing a Moore Machine

- Obtain the circuit specification.
- Derive a state diagram.
- Derive the state table.
- Decide on a state encoding.
- Encode the state table.
- Derive the output logic and next-state logic.
- Draw the circuit diagram
- Add a reset signal.

Questions?

THE END